

TITLE

**Faraday Isolators
and
Electro-optical Modulators:
A Progress report**

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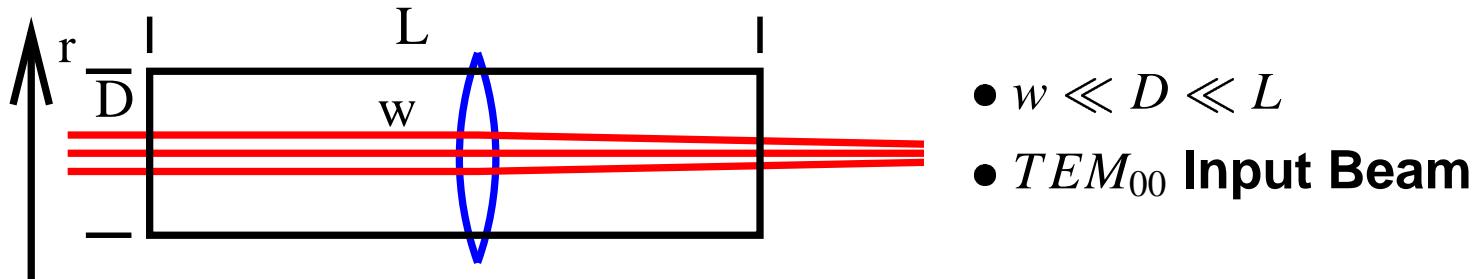
TABLE OF CONTENT

- 1. Thermal Lensing
- 2. Compensation
- 3. Experimental Setup

- 4. Modulators
 - 5. Faraday Isolator
 - 6. Summary
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TEMPERATURE DISTRIBUTION

Temperature Distribution:



$$\Delta T(r) = \frac{P_{abs}}{4\pi k_{th}} \left[\sum_{n=0}^{\inf} \frac{\left(-2\frac{r^2}{w^2}\right)^n}{n!n} \right]$$

THERMAL LENSING

3 different effects create thermal lensing:

- **thermal changes in index of refraction dn/dT**
- **refractive index changes due to stress**
- **thermal expansion (curvature in the surfaces)**

$$\begin{aligned}\Delta\Lambda(r) &= \Delta\Lambda_{thermal}(r) + \Delta\Lambda_{stress}(r) + \Delta\Lambda_{expansion}(r) \\ &\approx \Delta T(r)L \underbrace{\left(\frac{dn}{dT} - \frac{n^3}{2}\rho_{12}\alpha \right)}_{\frac{dn}{dT}eff} + 2\alpha nw\Delta T(r)^a\end{aligned}$$

Most cases: $\Delta\Lambda_{thermal}(r) > \Delta\Lambda_{expansion}(r)$

^aMansell et.al. Appl.Optics 40(3) (2001)

LIMITS ON THERMAL LENSING

First Order:

- Simple Lens:

$$\Delta T(w) = \Delta T(0) - \Delta T(r = w) \approx 0.1 \frac{\alpha P}{k_{th}}$$

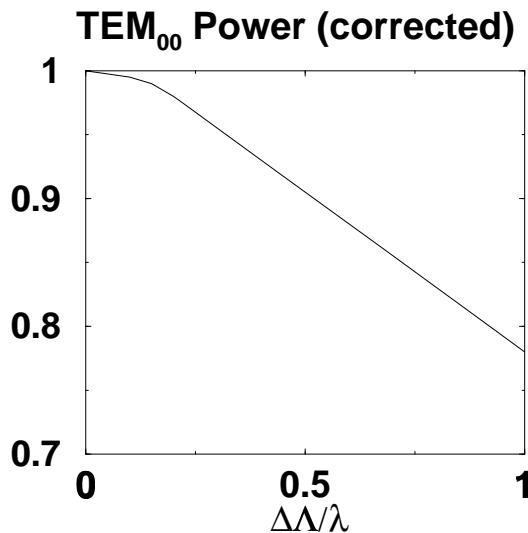
$$\Delta\Lambda(w) = \frac{dn}{dT} L \Delta T(w) \approx 0.1 \frac{dn}{dT} \frac{LP_{abs}}{k_{th}} \quad \Rightarrow \quad R_{th} = \frac{w^2}{2\Delta\Lambda(w)}$$

Remarks:

- Can be included in mode matching calculations
 - add some uncertainty in the mode matching calculations
 - mode matching depends now on laser power
 - bad mode matching for low power alignment states
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LIMITS ON THERMAL LENSING

Second Order:



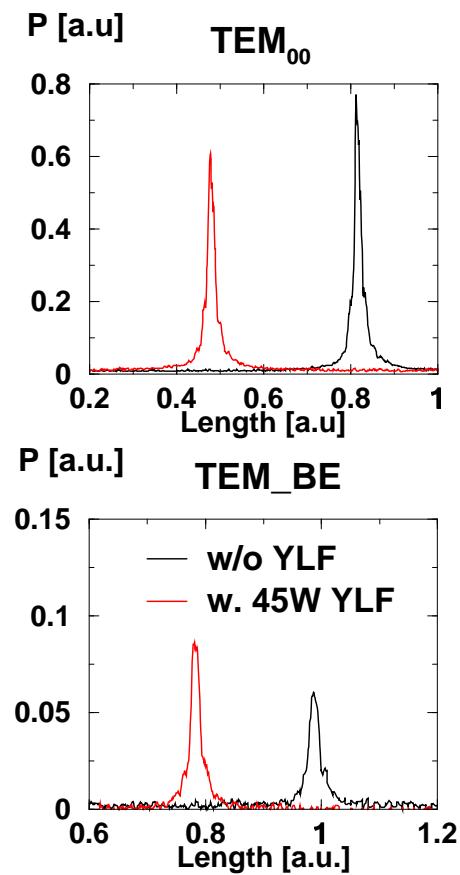
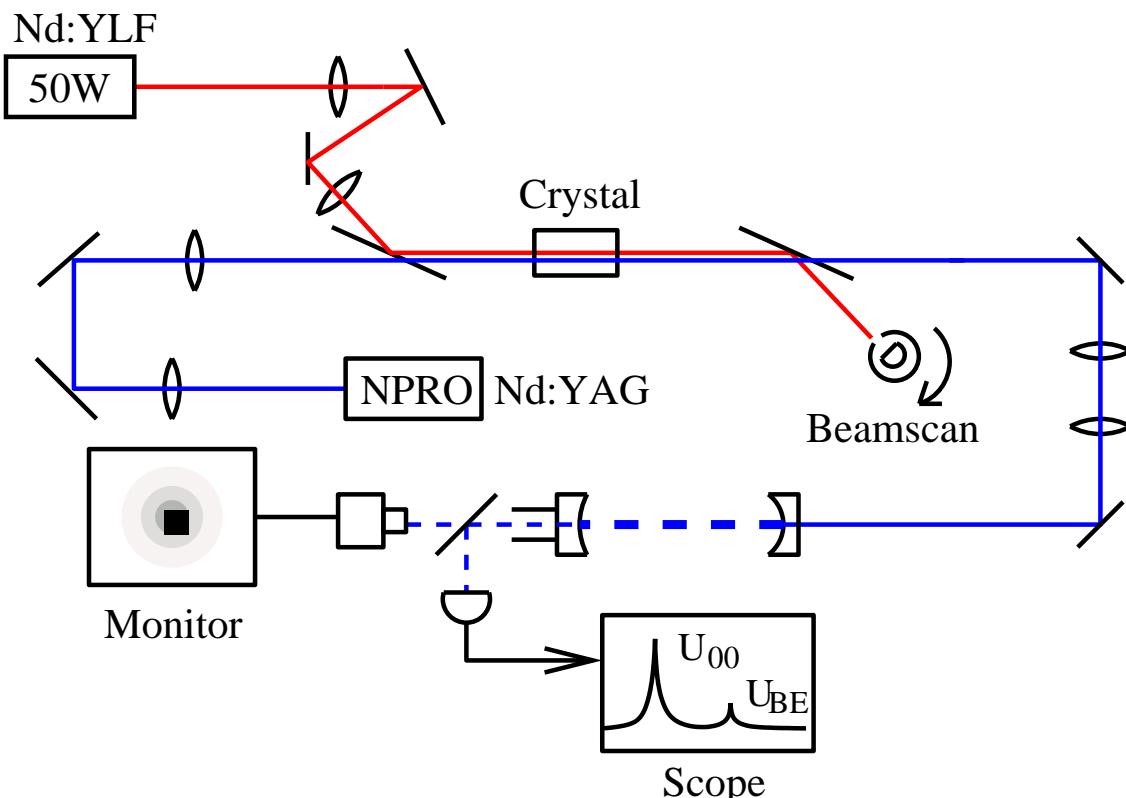
- Higher Order Modes:

$$\Delta\Lambda(w) < \lambda/6 \Rightarrow P_{HO} \approx 0$$

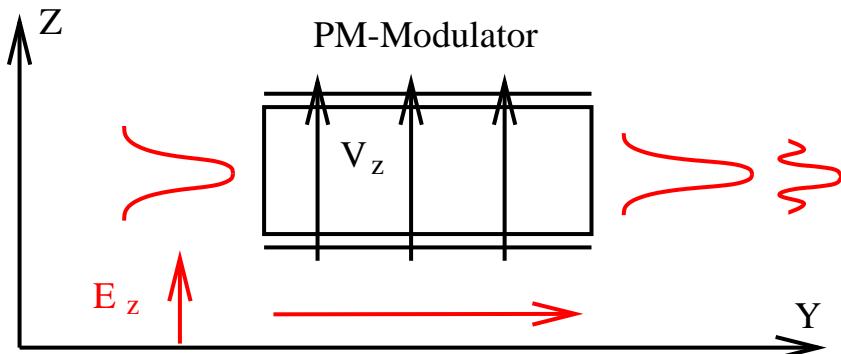
$$\Delta\Lambda(w) > \lambda/6 \Rightarrow P_{HO} \approx 0.24 * \frac{\Delta\Lambda(w)}{\lambda} - 0.03$$

- Allow 3% higher order modes in each EOM \Rightarrow 3 EOMs \approx 10% losses
 - > 95% mode matching between MC and CO \Rightarrow FI < 4% HO-modes (1% goal)
-

PUMP-PROBE-EXPERIMENT



MODULATORS: MATERIALS



- Modulation Index scales with $n^3 r_{nm}$
- Thermal Problems scale with $\frac{dn}{dT} \frac{\alpha}{\kappa}$
- Figure of merit: $\frac{n^3 r_{nm} \kappa}{\alpha dn/dT}$

Crystal	$n^3 r_{nm} [pm/V]$	$\frac{dn}{dT} \left[\frac{10^{-5}}{K} \right]$	$\kappa \left[\frac{W}{mK} \right]$	$\alpha [cm^{-1}]$	$\frac{n^3 r \kappa}{\alpha dn/dT} [10^{-14} Am]$	Φ_e
LiNbO ₃	333 ^a	3.8 ^a	5.6 ^a	<1.5e-3 ^a	327	?
KTP	224 ^e	0.83 ^c	13 ^e	<1e-3 ^e	3513	0.7
RTA	273 ^e	?	?	<1e-3 ^e	?	4e-3

^a: Crystal Technology, Inc.

^b: Non linear optics Book, KTP: dn/dT=(1.7), 2.5,3.4 e-5 Kato, IEEE J. of QE 28(10) 1992

^c: Wiechman et.al. Opt. Lett. 18(15) (1993) (Sony)

^d: Karlsson et.al. Opt. Lett. 24(5) (1999) (miss p_4 value, assumed $p_4 = 0$).

^e: Stolzenberger @ Crystal Associates, Raicol crystals claims < 50 ppm/cm for KTP

LiNbO₃: $k_y, E_z, n_z = n_e + \Delta n'$, $n_x = n_0 + \Delta n''$.

KTP: k_y, E_z : **KTiOPO₄**

RTA: k_y, E_z : **RbTiOAsO₄**

MODULATORS: RESULTS

Crystal	Pump[W]	P_{00}	P_{BE}	Ratio	P_{10}	$\frac{P_t}{P_r+P_t}$	Comments
bare beam	0	711 ± 10	40 ± 5	$5.6\% \pm 1\%$	51 ± 5	$1.5e-4$	
RTA (10mm)	0	722 ± 10	33 ± 5	$4.6\% \pm 1\%$	40 ± 5		no housing
RTA (10mm)	45	720 ± 10	30 ± 5	$4.2\% \pm 1\%$	39 ± 5	$2e-4$	"
LiNbO_3 (40mm)	0	740 ± 10	41 ± 5	$5.5\% \pm 1\%$	40 ± 5		no housing
LiNbO_3 (40mm)	45	641 ± 10	52 ± 5	$8.1\% \pm 1\%$	22 ± 5	$1.6e-4$	"
LiNbO_3 (40mm)	0	768 ± 10	30 ± 5	$3.9\% \pm 1\%$	53 ± 5		housing
LiNbO_3 (40mm)	45	605 ± 10	110 ± 5	$18.2\% \pm 1.5\%$	33 ± 5	$6.7e-4$	"

Thermal lens in RTA: invisible

Thermal lens in LiNbO_3 , w/o housing: visible, but tolerable

Thermal lens in LiNbO_3 , with housing: unacceptable

Guidelines for Design:

- RTA (or RTP, KTA, KTP)
 - Power management essential \Rightarrow Temperature stabilization with Peltier elements
 - Cooperation with Quantum Technology (Lake Mary, FL) (?)
-

OPTICAL ISOLATION

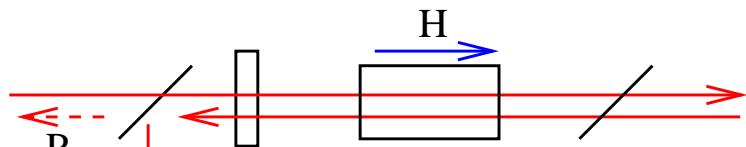
Two Problems:

- 1. Birefringence \Rightarrow reduces Isolation Ratio**
- 2. Thermal lensing**

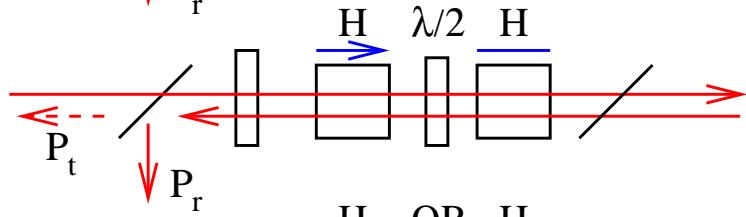
- 1. two FR-crystal Design compensates birefringence (Efim Khazanov et. al. (LSC-conference 03/01))**
 - 2. negative thermal lens compensates positive thermal lens (UF-Design)**
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OPTICAL ISOLATION

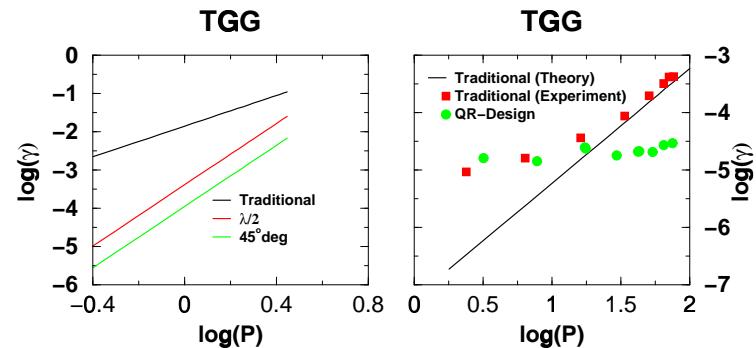
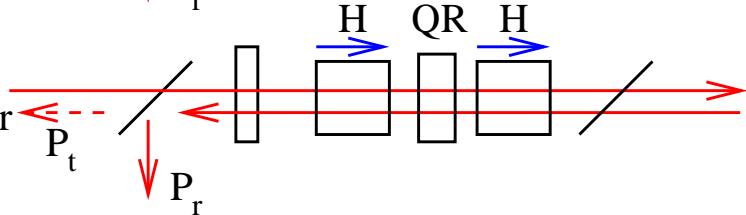
Traditional Design



Design with $\lambda/2$ -plate



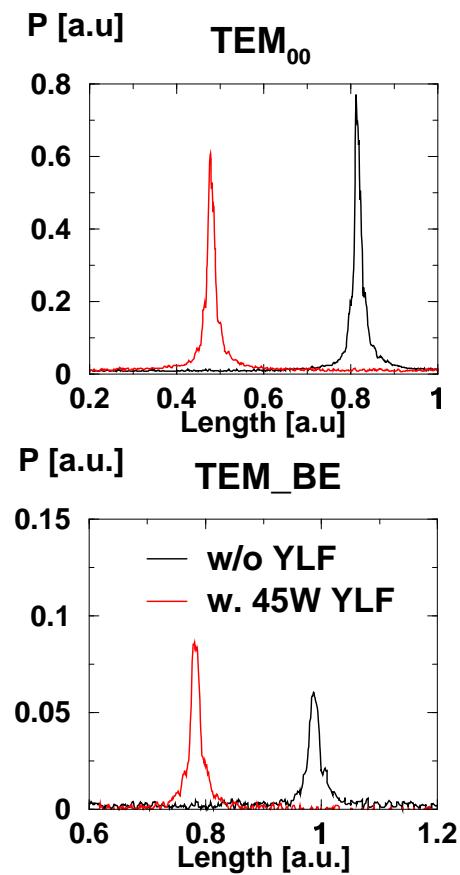
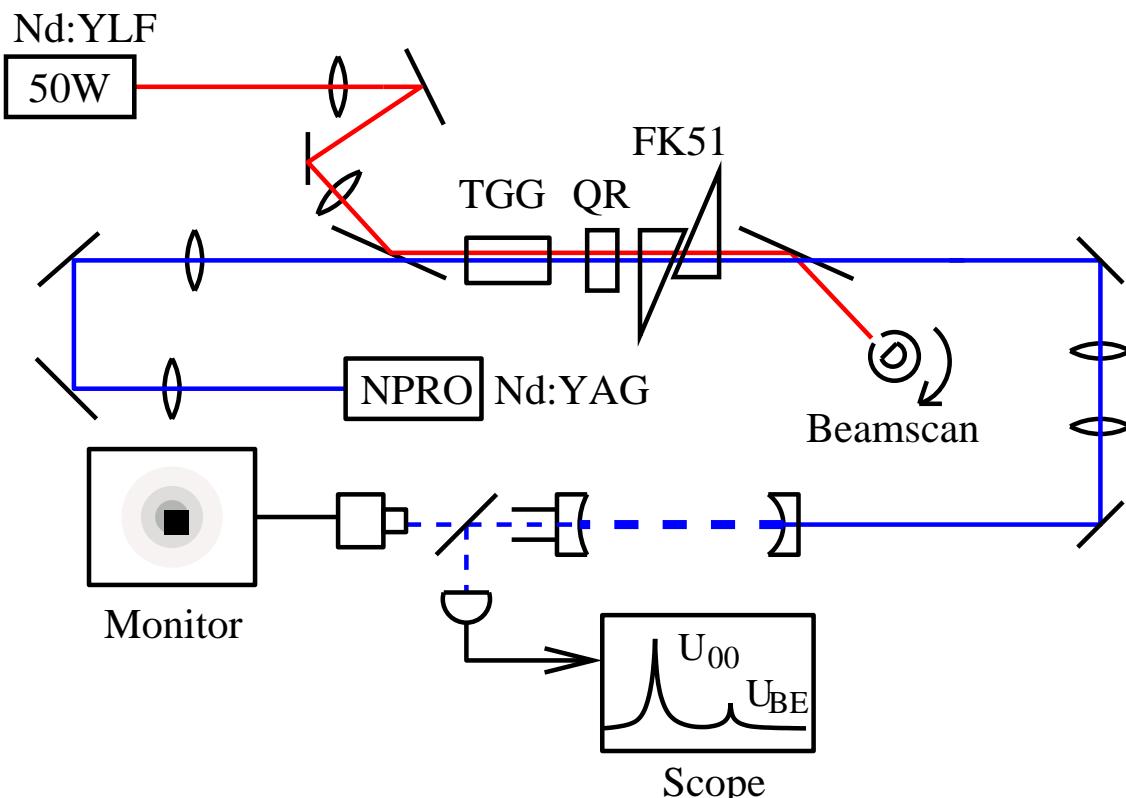
Design with Quartz Rotator



- 45dB isolation at 50W (100W)

Source: Efim Khazanov et. al. (LSC-conference 03/01)

PUMP-PROBE-EXPERIMENT



THERMAL LENSING AND COMPENSATION

P	P_{00}	P_{BE}	Ratio	P_{10}	$\frac{P_r}{P_r+P_t}$
0W	771	17	2.2%	62	
45W (no FK51)	620	143	23%	16	2.1e-4
0W (w.FK51)	674	27	4.0%	42	
45W (w. FK51)	641	17	2.6%	43	8.3e-4

20% thermal lensing \Rightarrow 2% HO-modes

150W \Rightarrow 12% HO-modes (w/o) compensator

Summary Isolator:

- Two Element Isolator compensates birefringence
- $dn/dT < 0$ element compensates thermal lensing
- Start to look into different materials (BBO ?)

Result

- Thermal lensing could be reduced by a factor 8
- beam distortions/higher order modes ?
(Experiment still limited by ellipticity in input beam)

Thermal Lensing measurements and Compensation:
G.M., Rupal Amin, Donovan McFeron, Ramsey Lundock
David Guagliardo, David Tanner, David Reitze
University of Florida

Birefringence compensation - New Faraday Design
Efim Khazanov, Nikolay Andreev, Oleg Palashov, Alexander Sergeev
Inst. of Applied Physics, N. Novgorod, Russia

Theory:
Mansell, Hennawi, Gustafson, Fejer, Byer, Clubley, Yoshida, Reitze
Appl. Opt. 40(3), pg. 366 (2001)

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