## Squeeze Amplitude Filters

#### Thomas Corbitt and Nergis Mavalvala MIT

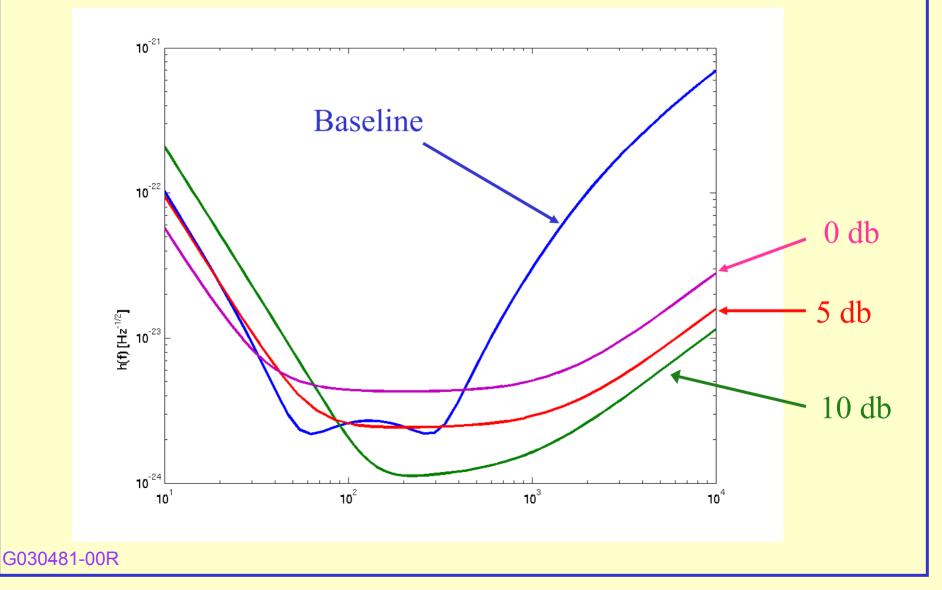
#### Stan Whitcomb Caltech

G030481-00R

## March 2003 LSC meeting

- Thomas asked...
  - Is squeezing useful in an AdLIGO configuration?
  - What is an optimal configuration?
- Assumptions then...
  - ~10 dB of squeezing at fixed squeeze angle
- Result = Yes
  - Slightly different detuning and SEM reflectivity to get best advantage

# Frequency INdependent Squeeze Angle

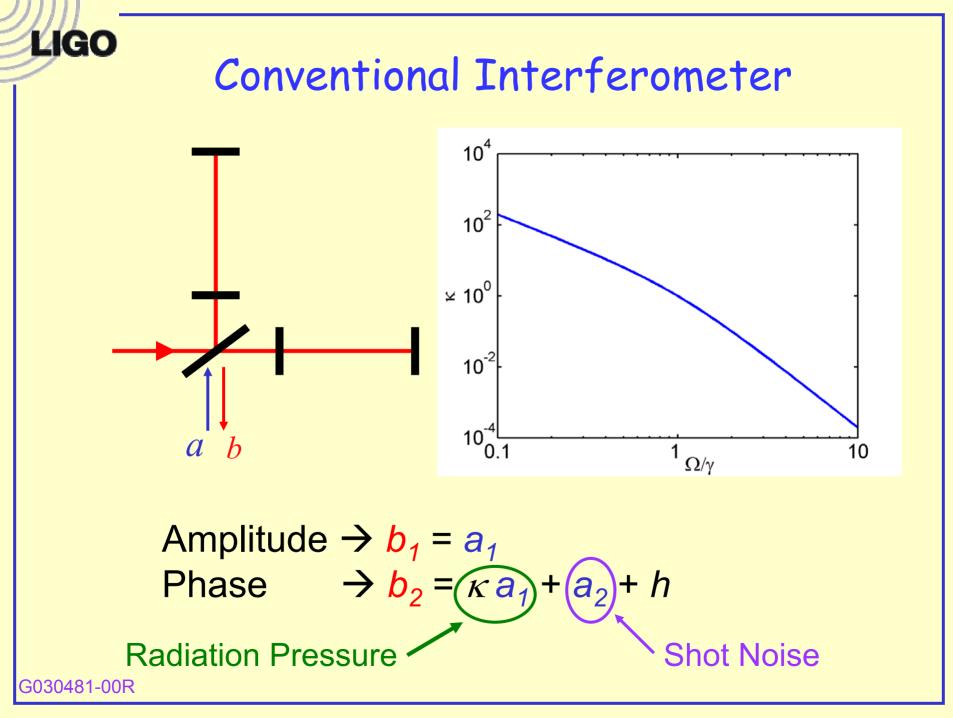


## Today...

## Filtering to

- Rotate squeeze angle
- Tailor squeeze amplitude

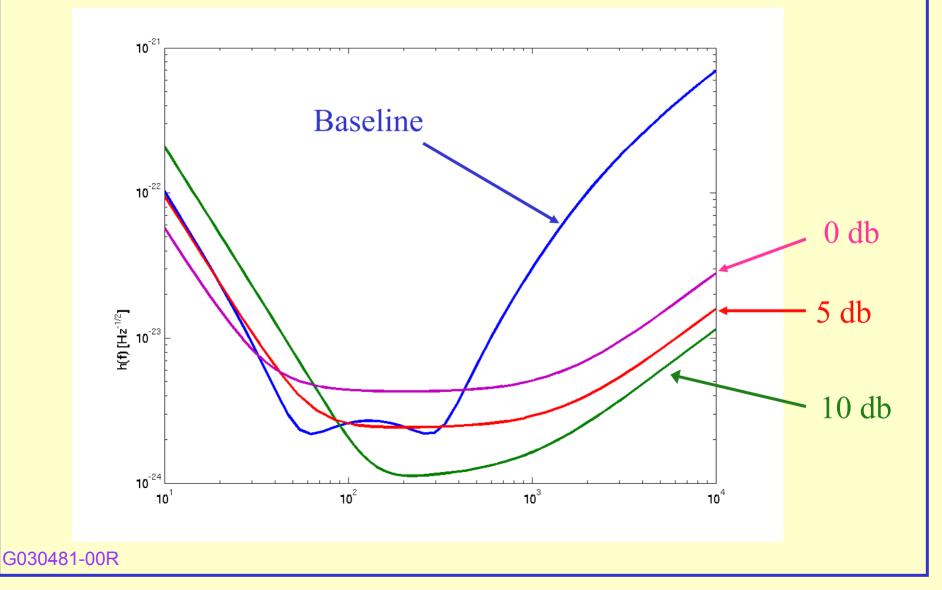
## Basics of squeezing in interferometers



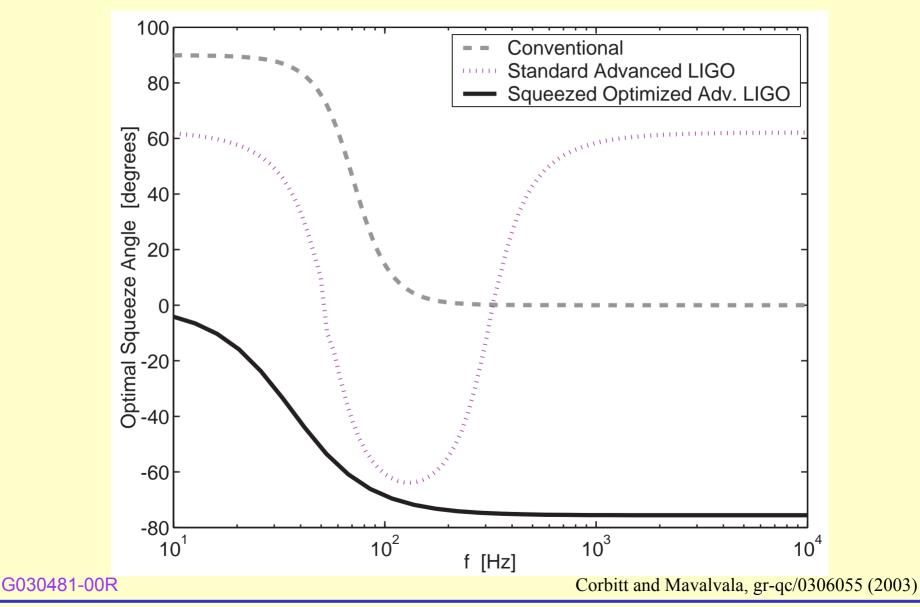
## **Optimal Squeeze Angle**

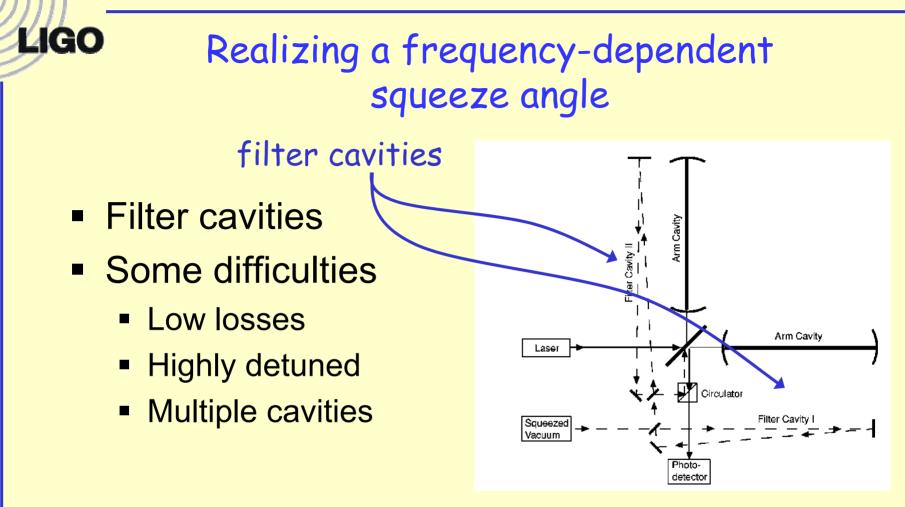
- If we squeeze a<sub>2</sub>
  - shot noise is reduced at high frequencies BUT
  - radiation pressure noise at low frequencies is increased
- If we could squeeze  $\kappa a_1 + a_2$  instead
  - could reduce the noise at all frequencies
- "Squeeze angle" describes the quadrature being squeezed

# Frequency INdependent Squeeze Angle



## Frequency-dependent squeeze angle





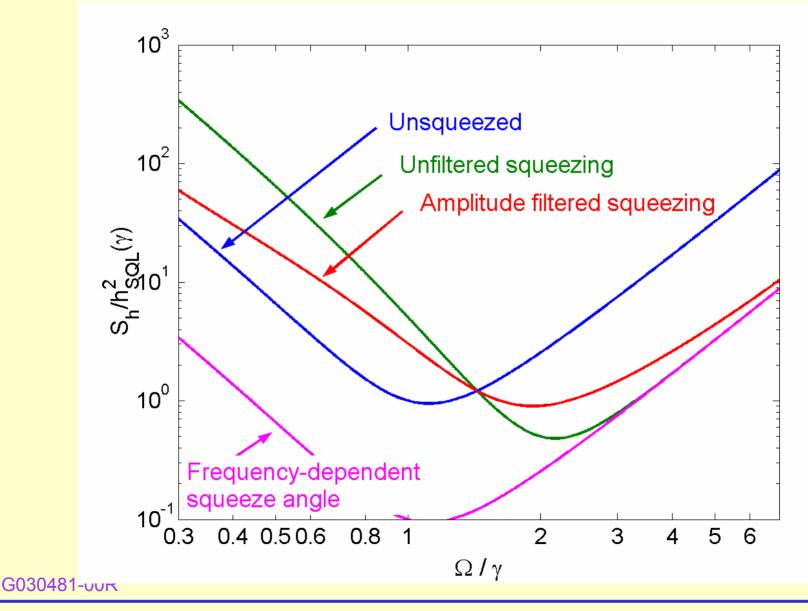
- Conventional interferometers  $\rightarrow$ 
  - Kimble, Levin, Matsko, Thorne, and Vyatchanin, Phys. Rev. D 65, 022002 (2001).
- Signal tuned interferometers  $\rightarrow$

• Harms, Chen, Chelkowski, Franzen, Vahlbruch, Danzmann, and Schnabel, gr-qc/0303066 (2003). G030481-00R

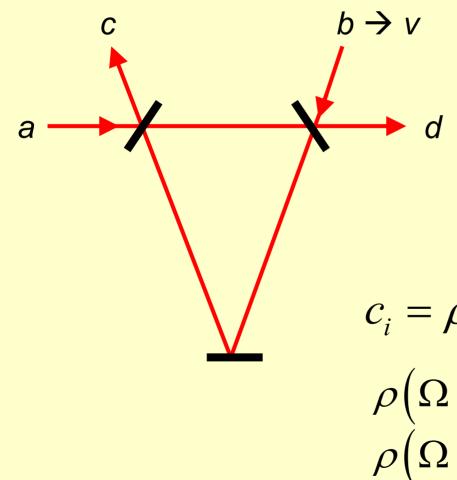
## Other alternatives

- Squeeze at an angle to reduce noise at an intermediate frequency
   narrowband performance
- Squeeze at an angle to reduce high frequency noise
  - reduced sensitivity at low frequency (same effect as increasing power)
- Squeeze at an angle to reduce high frequency noise and filter squeezed light to destroy (anti-) squeezing at low frequencies
   improved performance at high frequencies without compromising low-frequency sensitivity

## Amplitude filtered squeezing



## Principle of amplitude filter



- Losses allow vacuum to leak in
- Ordinary vacuum replaces the squeezed field but only at frequencies where the anti-squeezing dominates

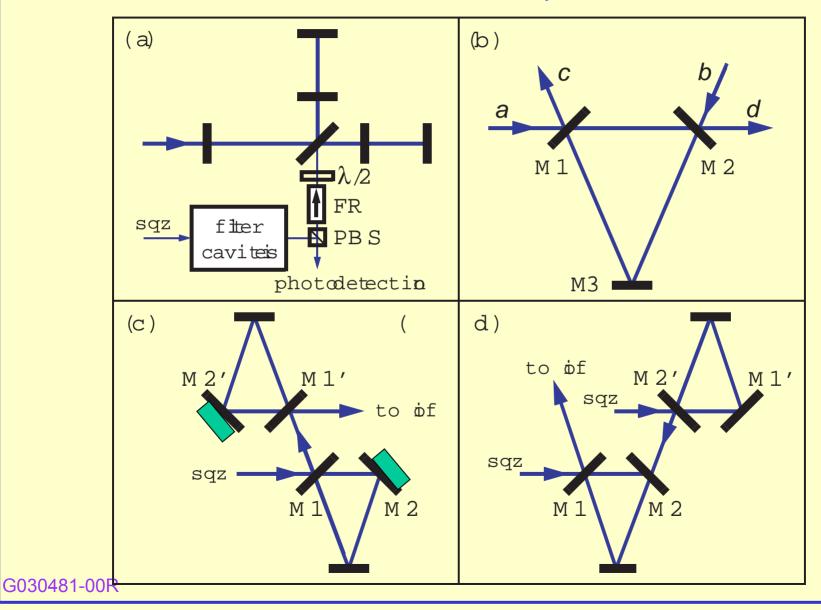
$$c_{i} = \rho(\Omega) a_{i} + \sqrt{1 - |\rho(\Omega)|^{2}} v_{i}$$
  

$$\rho(\Omega < \gamma_{f}) \sim 0 \implies c_{i} \rightarrow v_{i}$$
  

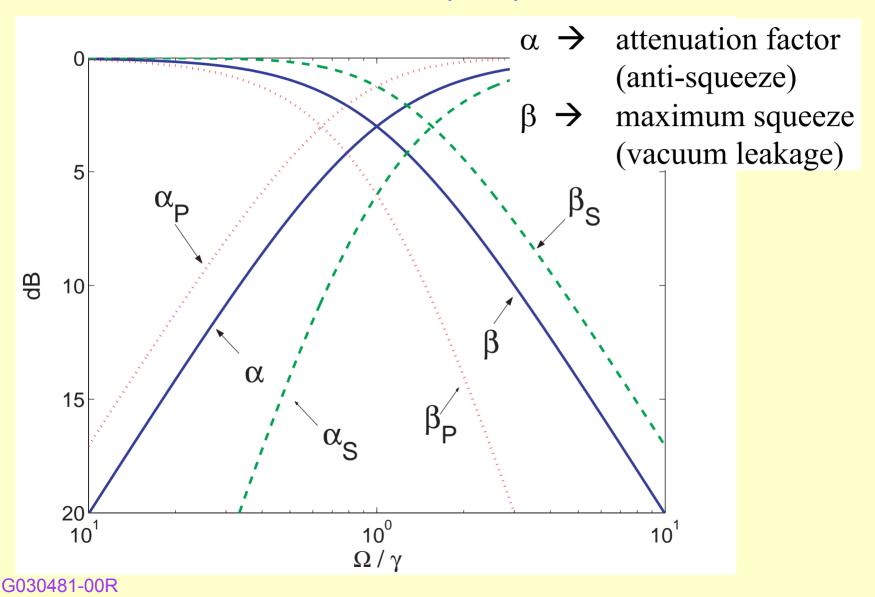
$$\rho(\Omega > \gamma_{f}) \sim 1 \implies c_{i} \propto a_{i}$$

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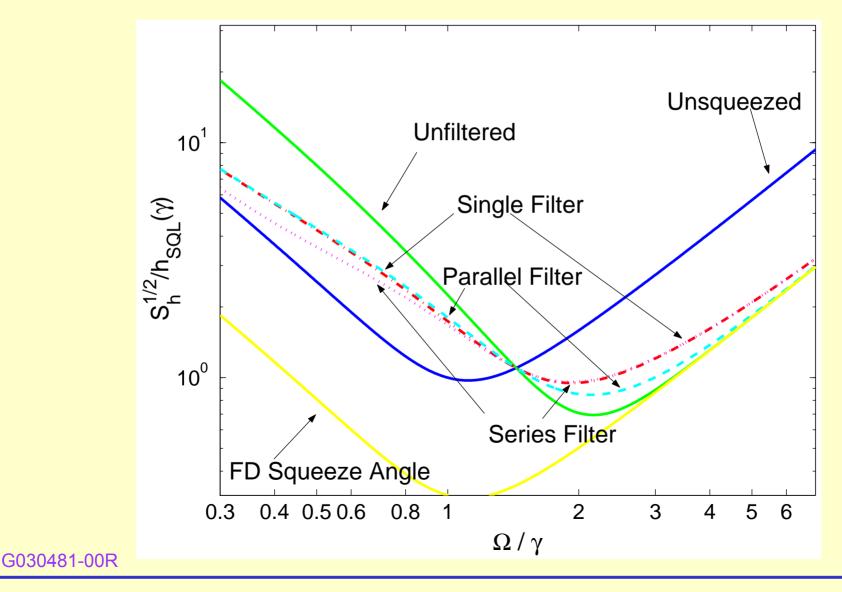
## Extend to multiple filters



## Filter properties



# Application to a conventional interferometer



## Astrophysical Performance

Configuration	$rac{\gamma_f}{\gamma}$	$\operatorname{Power}\left(\frac{I_0}{I_{SQL}}\right)$	NS SNR	$\frac{1}{\sqrt{S_h}} \left( \frac{\Omega}{\gamma} = 10 \right)$
Conventional interferometer	_	1.0	1.00	1.00
Conventional interferometer	_	0.1	1.26	0.32
Unfiltered fixed-angle squeeze	—	1.0	0.81	3.16
Single filter	1	1.0	0.81	3.16
Single filter	5	1.0	0.96	1.89
Single filter	1	0.1	1.14	0.96
Single filter	5	0.1	1.25	0.60
Series filter	1	1.0	0.89	3.00
Series filter	5	1.0	1.00	1.72
Series filter	1	0.1	1.25	0.93
Series filter	5	0.1	1.26	0.55
Parallel filter	1	1.0	0.84	3.16
Parallel filter	5	1.0	0.94	2.56
Parallel filter	1	0.1	1.11	1.00
Parallel filter	5	0.1	1.24	0.86
FD squeeze	1	1.0	3.16	3.16

## Conclusion

- Squeeze magnitude filtering does not give as good a broadband performance as FD-squeeze angle
   BUT
- Good wideband improvement over fixed squeeze angle
   AND
- Amplitude filters easier to implement
- Flexible design depending on filter cavity linewidth