

Seismic Developments at **LASTI**

LIGO-G050184-00-Z

Luarent Ruet

Richard Mittleman

Lei Zuo

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OUTLINE

1) Geophone tilt correction

HAM

BSC (non-linear bending??)

2) BSC Stack Characterization

Resonant Gain

Noise Study

3) Modal Control/Adaptive Filters

4) Estimators

5) HAM Plant Modifications

6) System identification noise subtraction

Triple

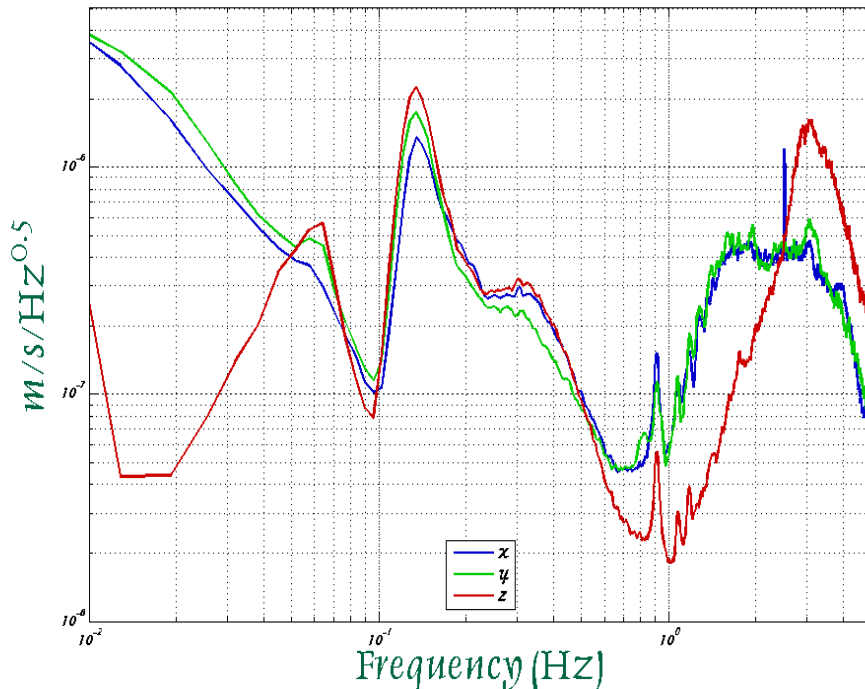
BSC Noise Measurements

7) Future Plans

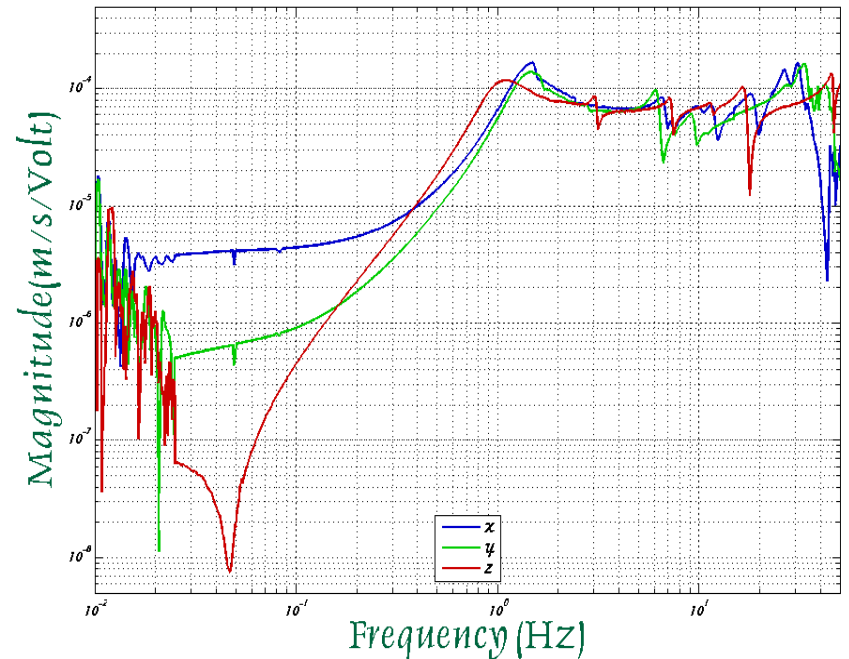
Tilt Correction

The source of tilt can be divided into two categories, inherent and induced.

Lasti Ground Power Spectrum



HAM Modal Transfer Functions



Geophone Tilt Subtraction

Tilt transfer function of an inertial sensor

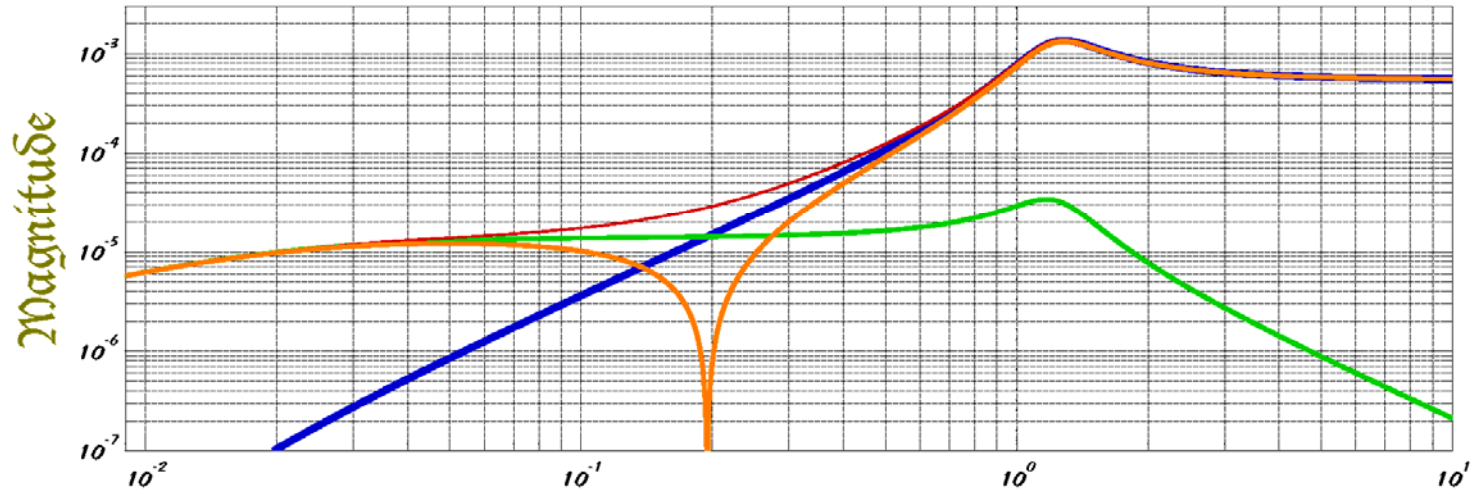
$$\frac{\textit{Output}}{\theta} = \frac{\textit{Sensor Responce}}{f^2}$$

Assumptions

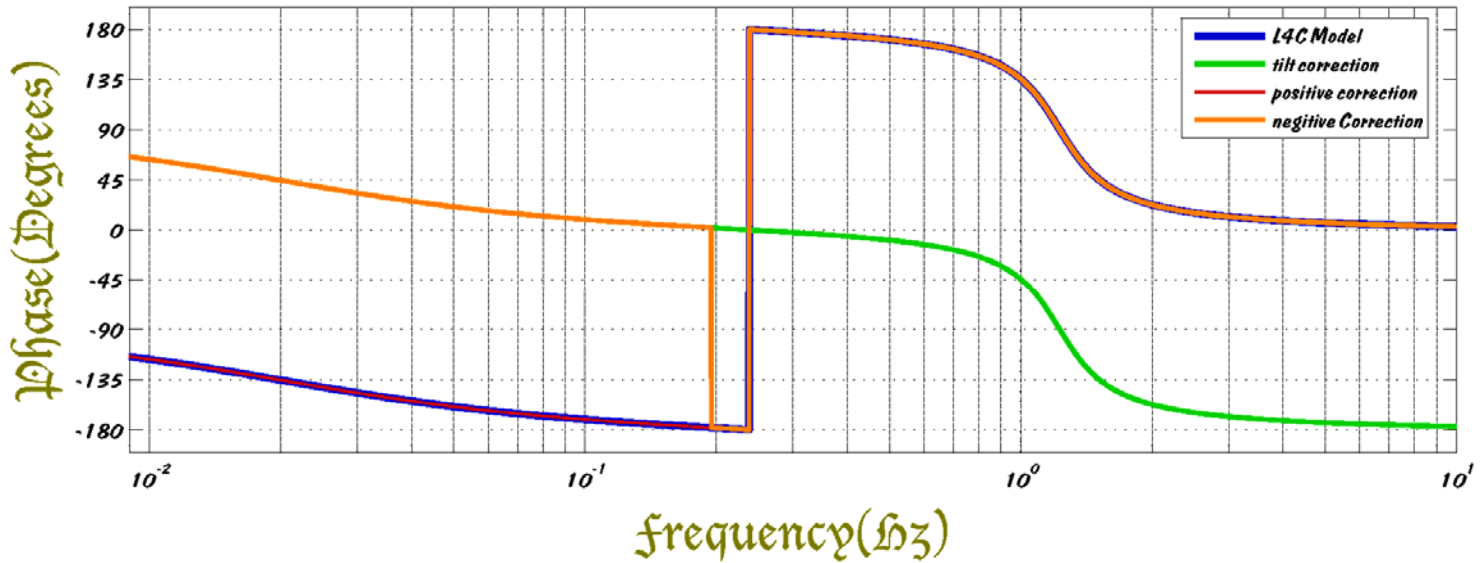
- 1) The plant is linear
- 2) The induced angle is proportional to the displacement

We can then predict the tilt-induced signal from the geophones

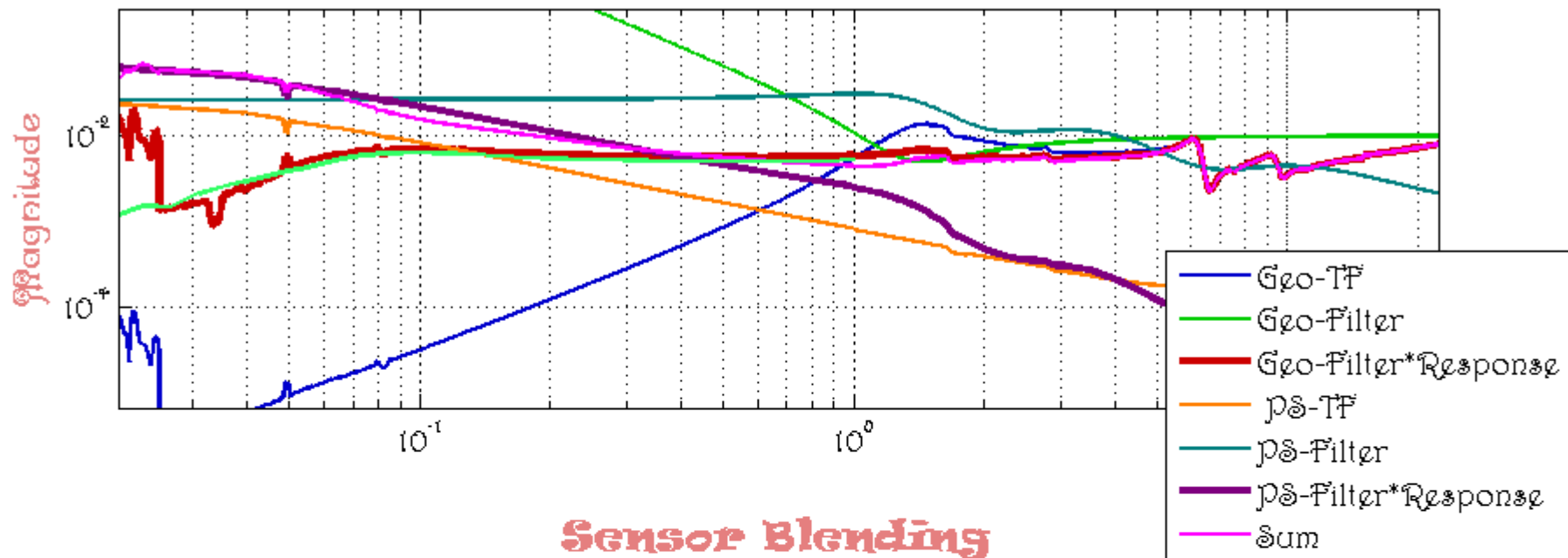
TILT MODEL



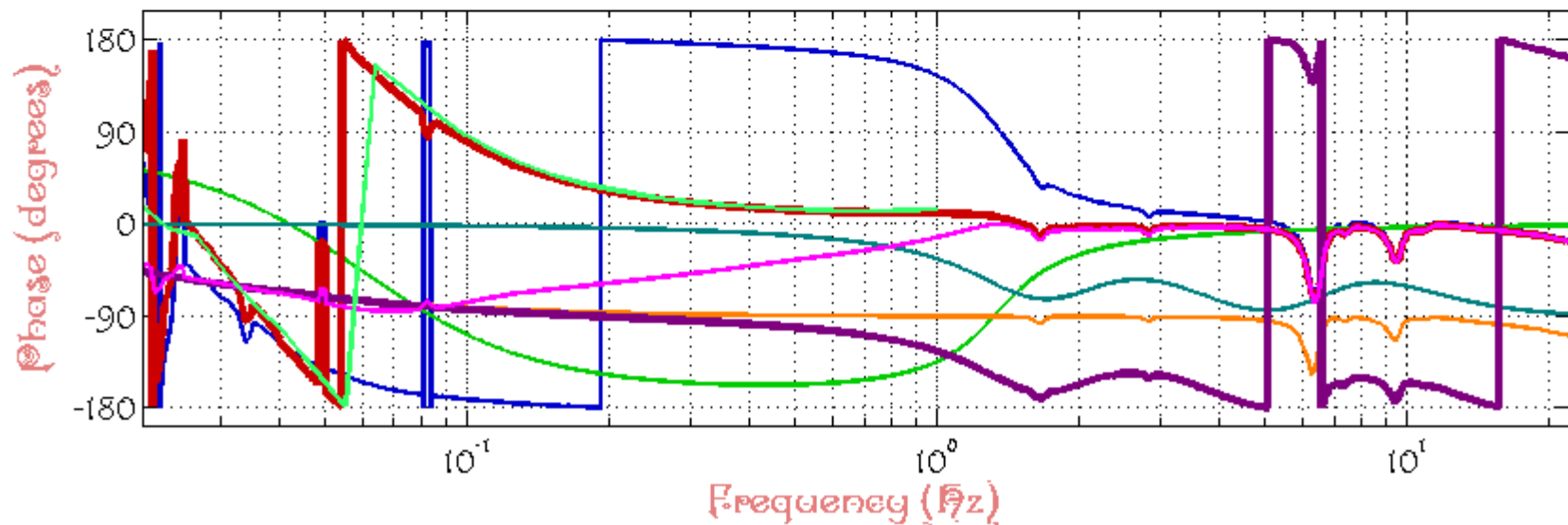
TILT ANGLE IS PROPORTIONAL TO THE DISPLACEMENT

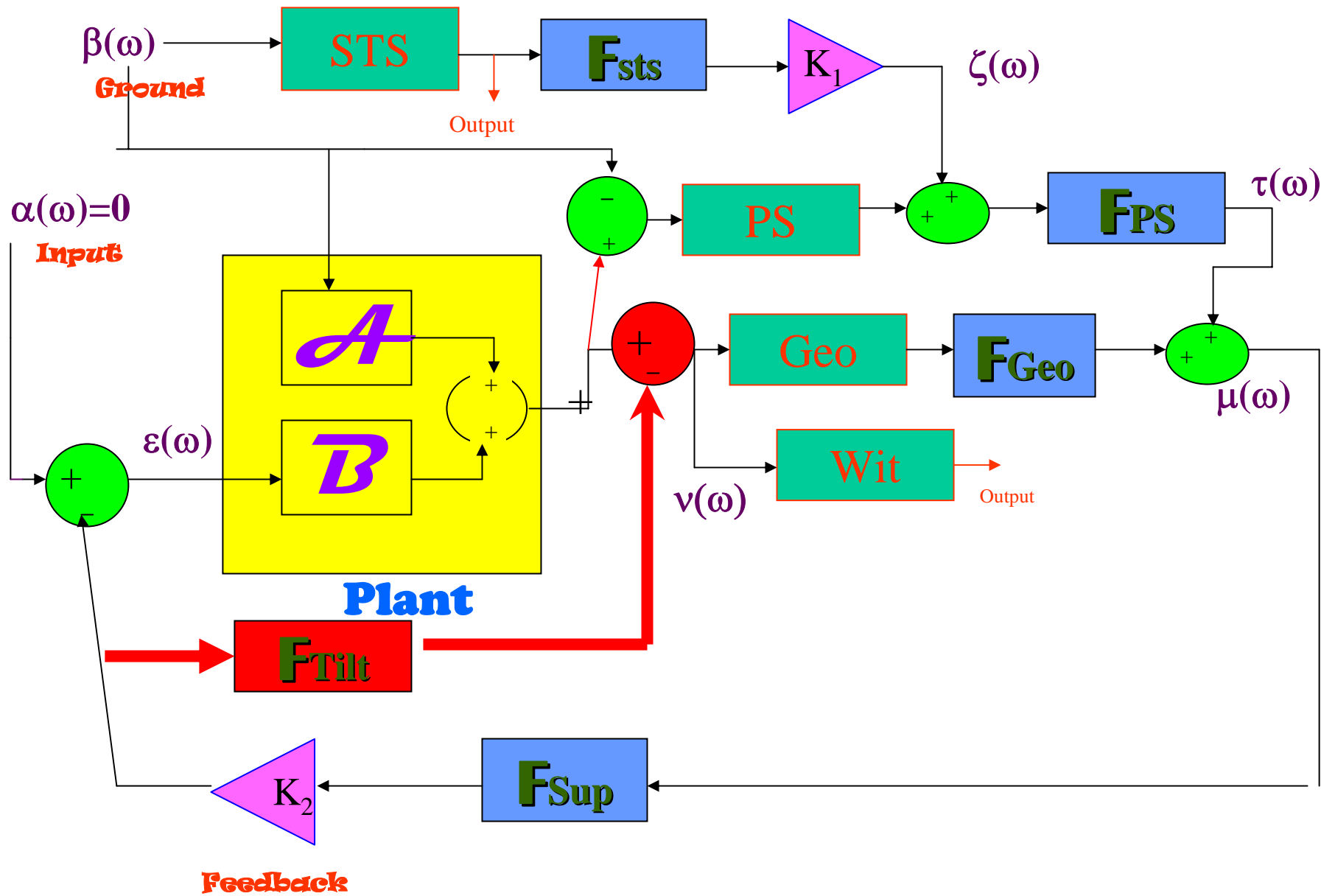


ΨΨ Mode: Transfer Function (#2)



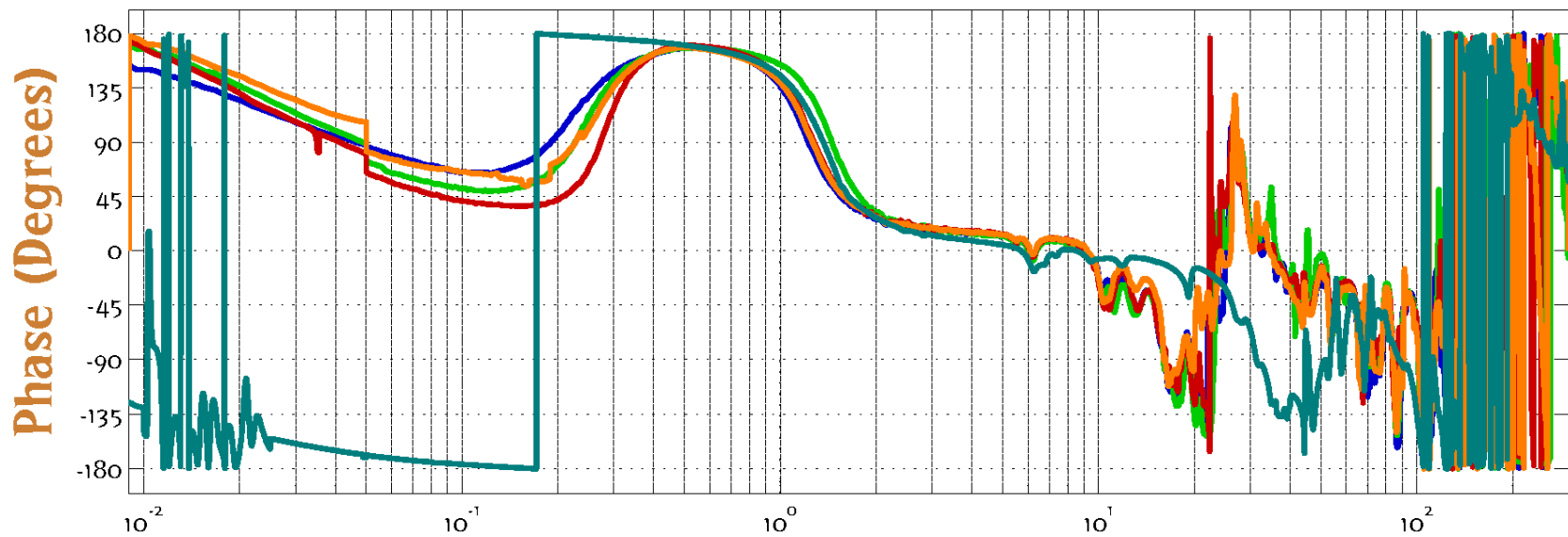
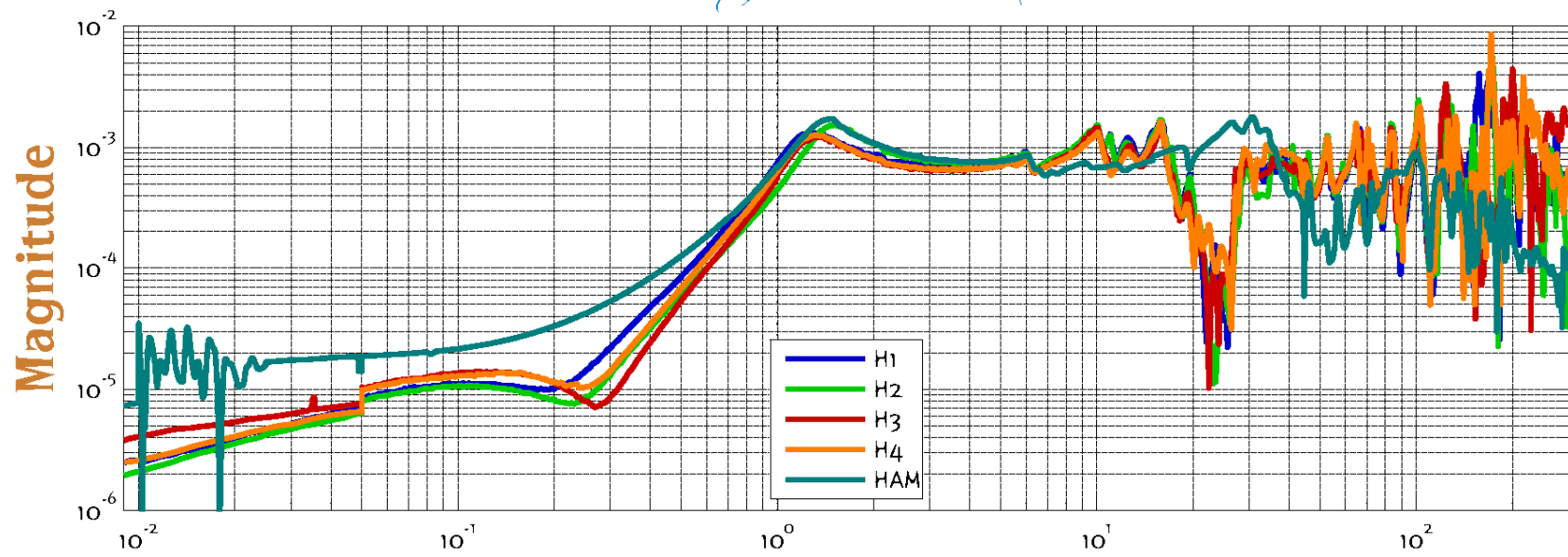
Sensor Blending



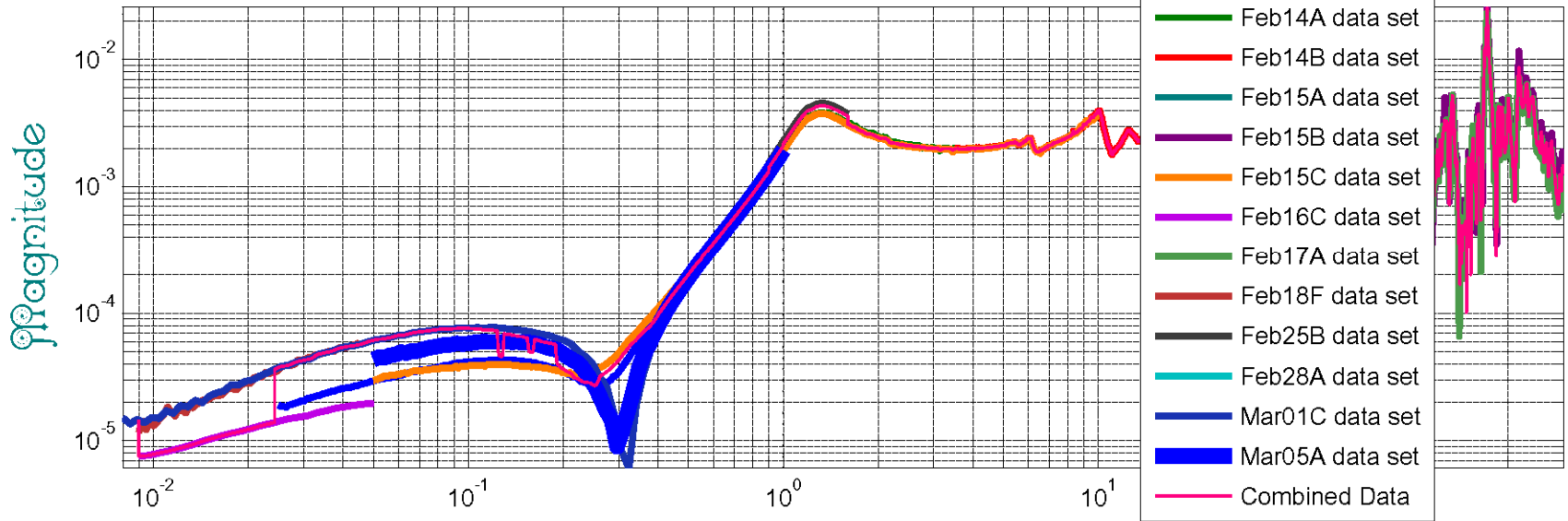


Control Strategy

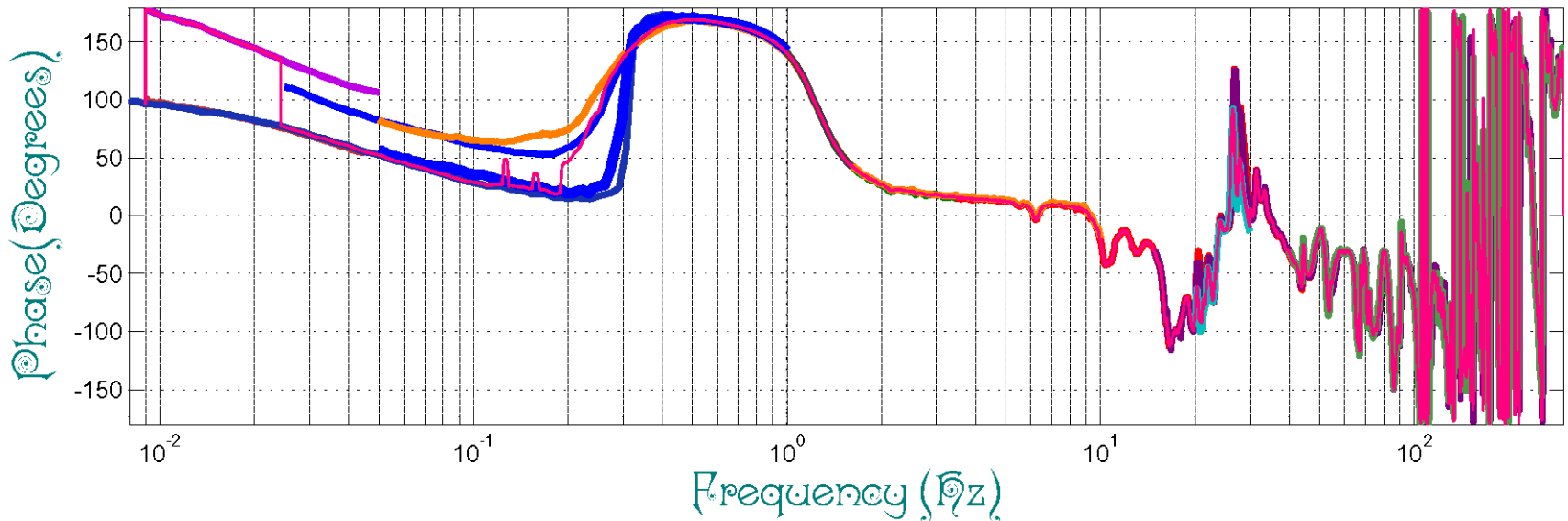
Colocated Geophone Transfer Functions



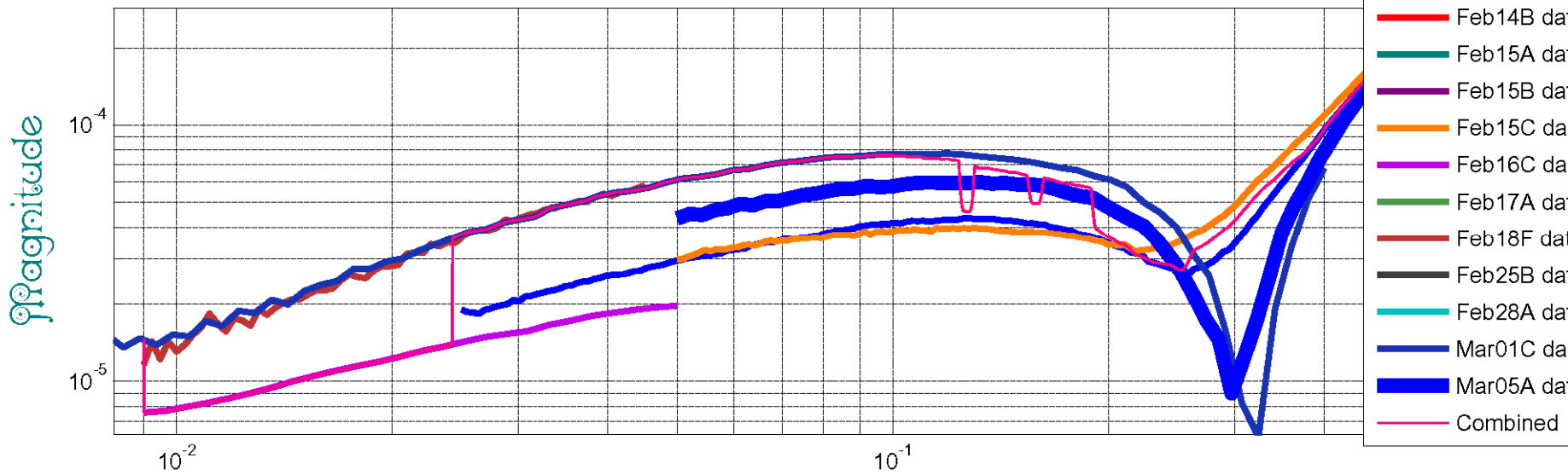
ALL DATA FROM ACCUATOR H4



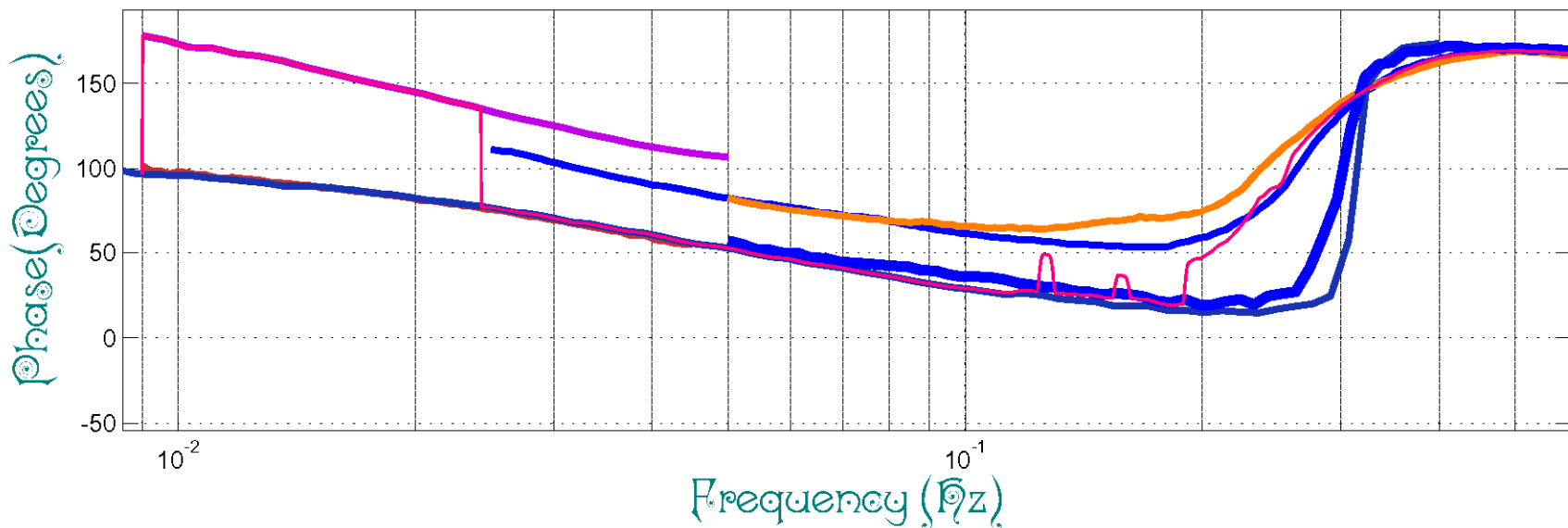
TO H4 GEOPHONE



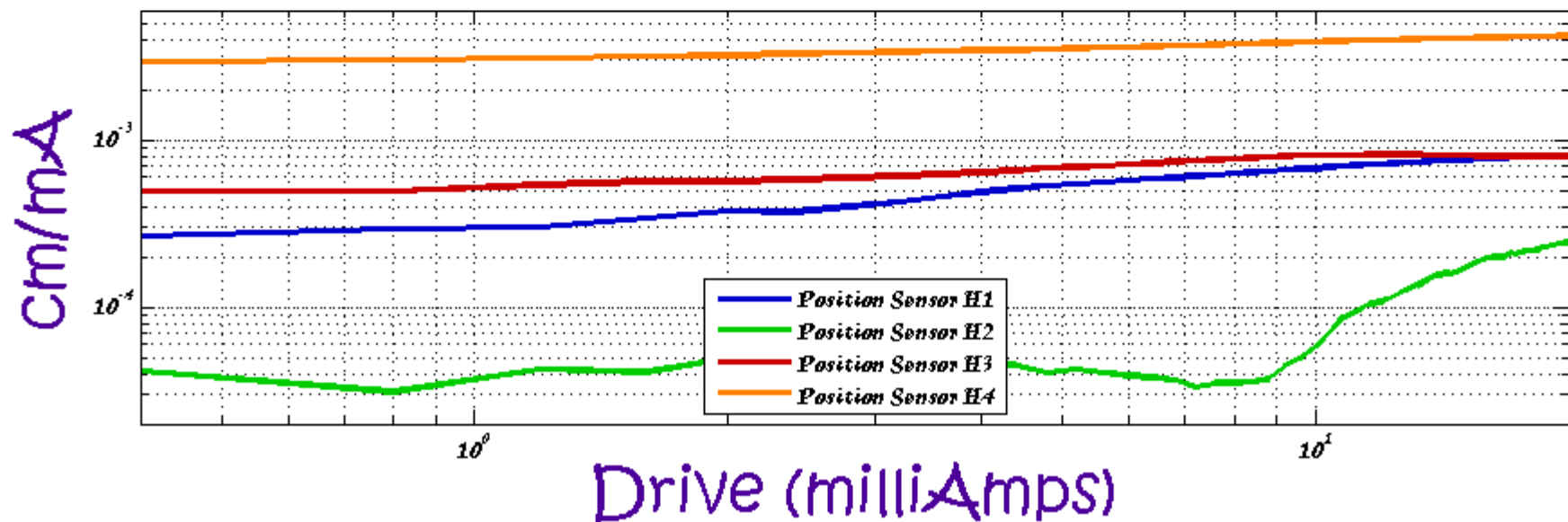
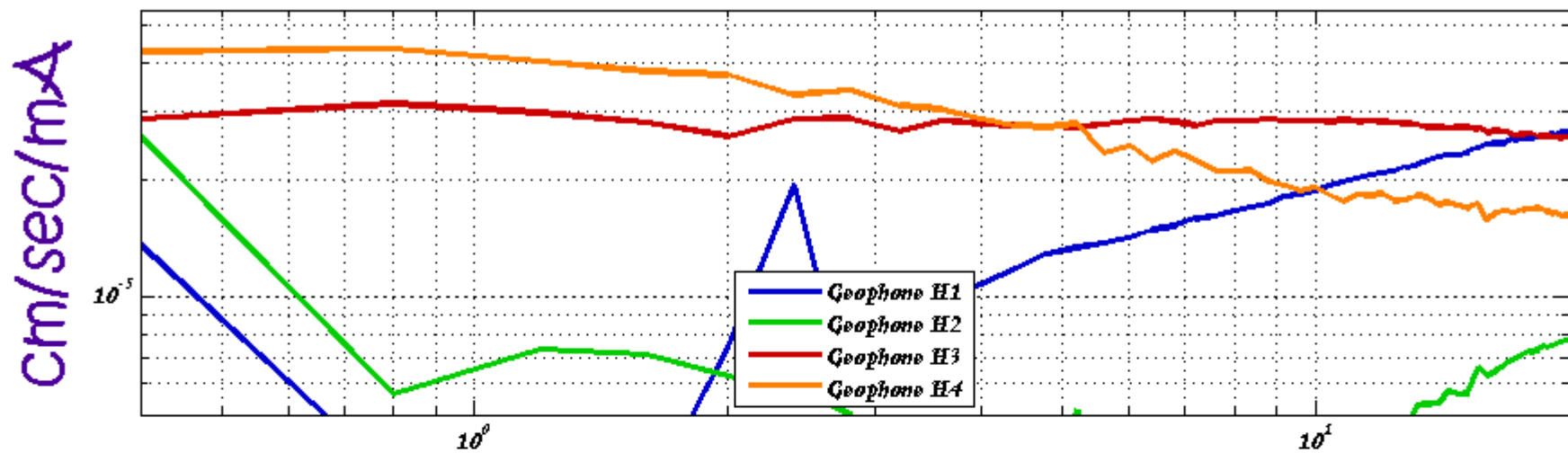
all data FROM ACCUACOR H4



TO H4 GEOPHONE



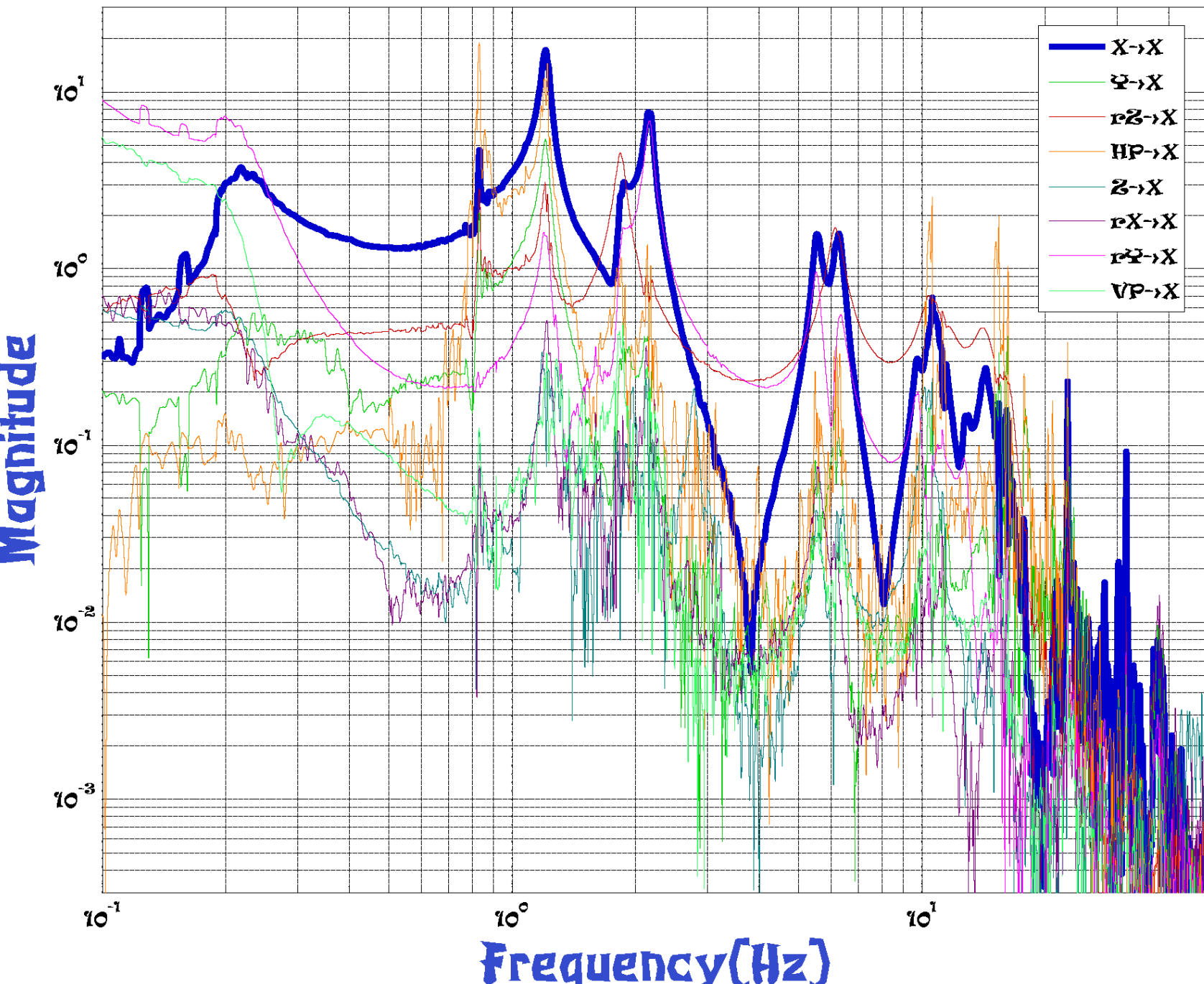
BSC Transfer Functions from H4



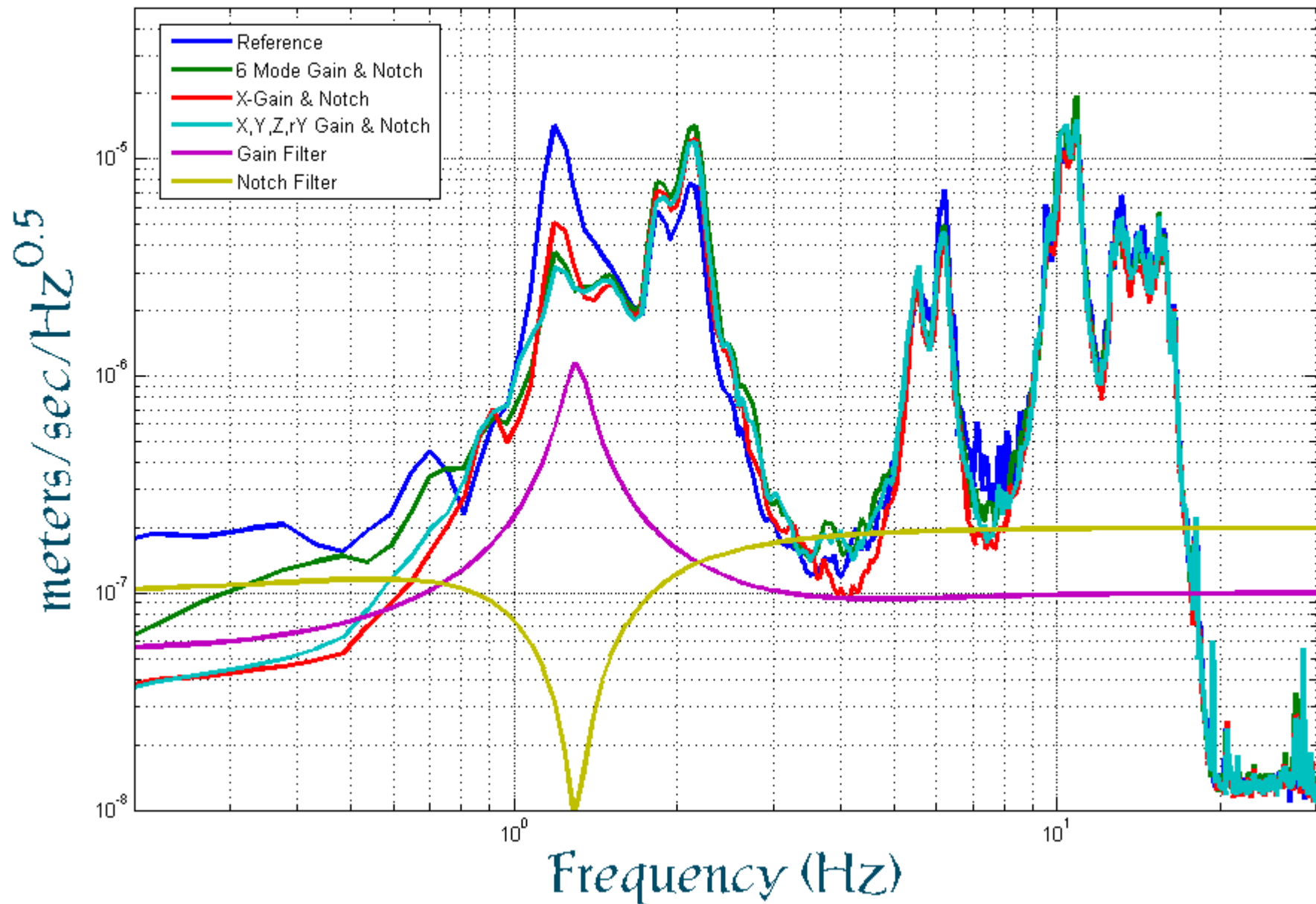
BSC Stack Transfer Functions

From the Support table to the
Optics Table

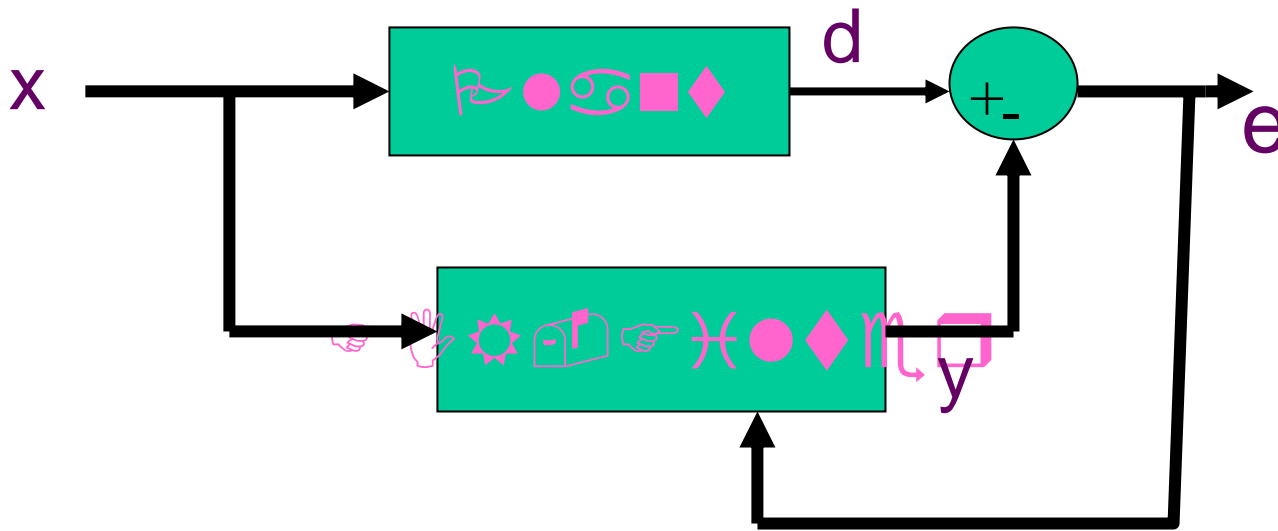
Coupling to the X mode of the Optics table



Optical Table X-Mode

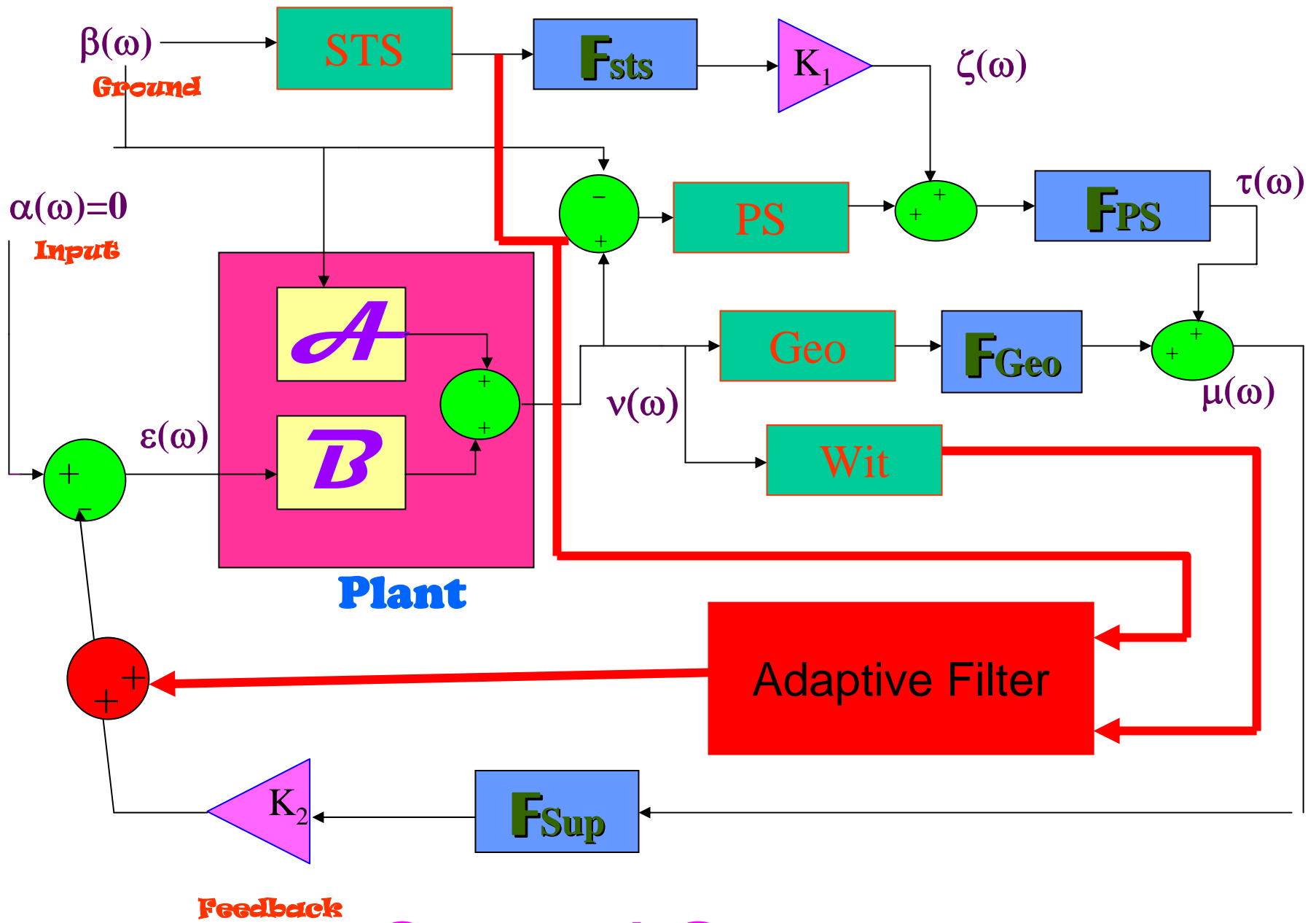


Adaptive Algorithm



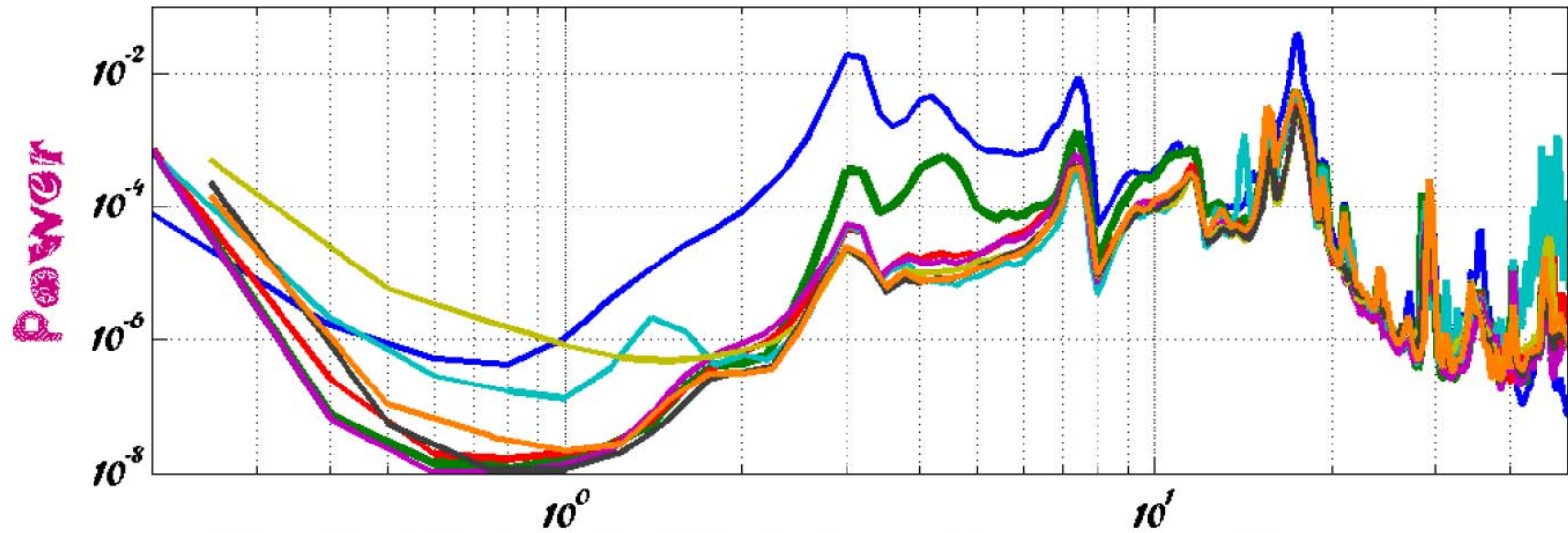
$$\begin{aligned} \text{Gradient} &= \frac{\partial}{\partial h_i} |e|^2 = 2e \frac{\partial}{\partial h_i} [d - y] = 2e \frac{\partial}{\partial h_i} \left[d - \sum_{i=0}^{N-1} (h_i x_{N-i}) \right] \\ &= 2e[-x_{N-i}] \end{aligned}$$

FIR filter, of length N, has coefficients h

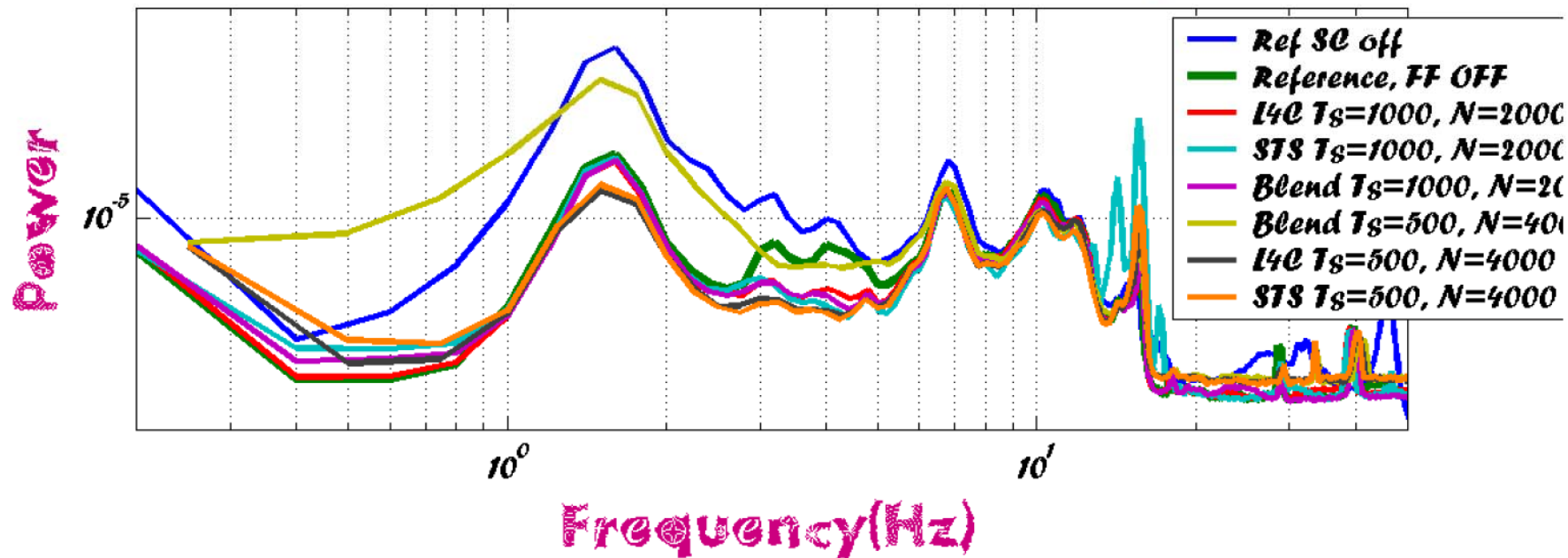


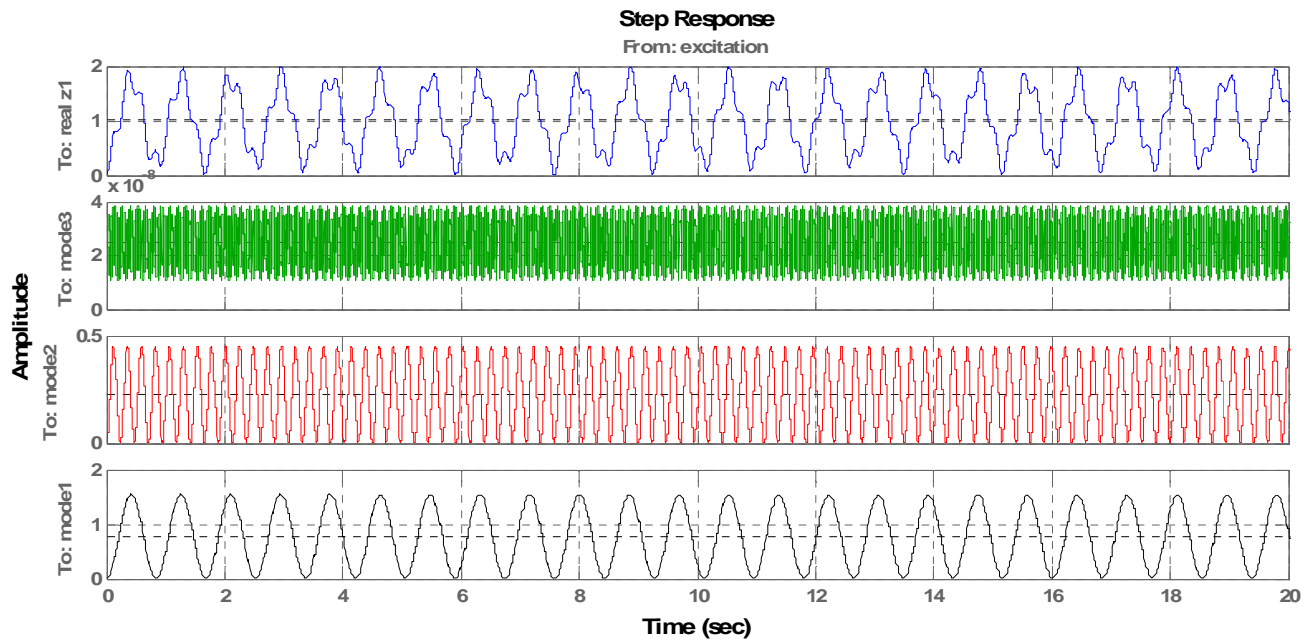
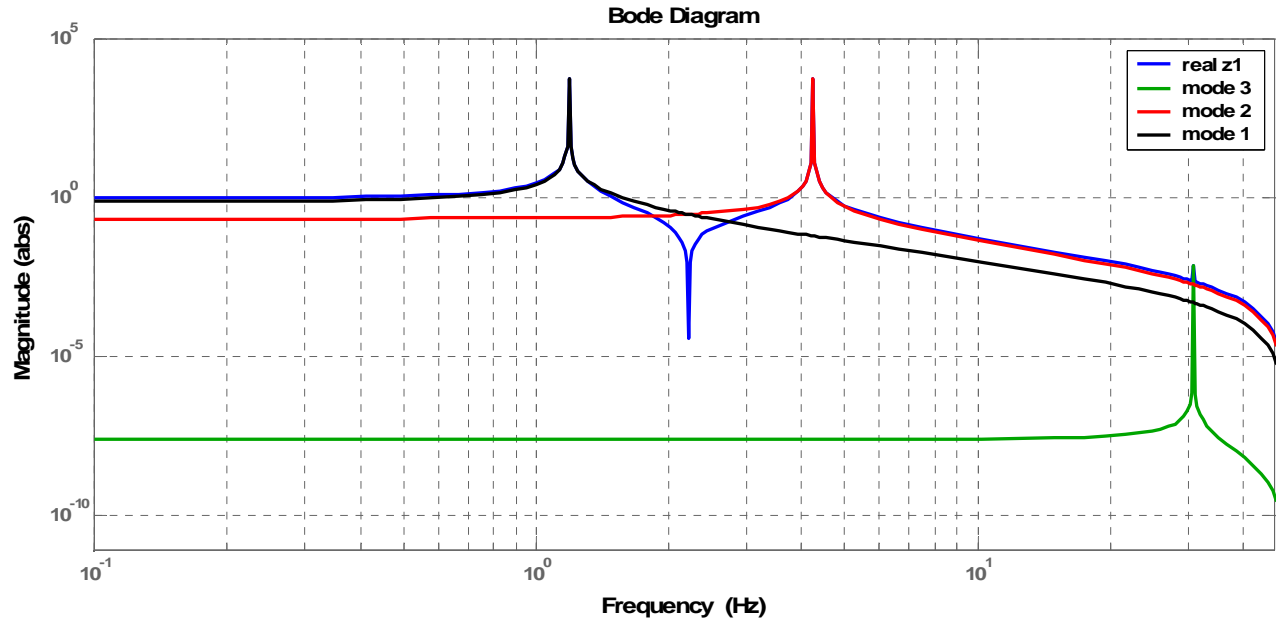
Control Strategy

Z-Gurlap Power Spectra

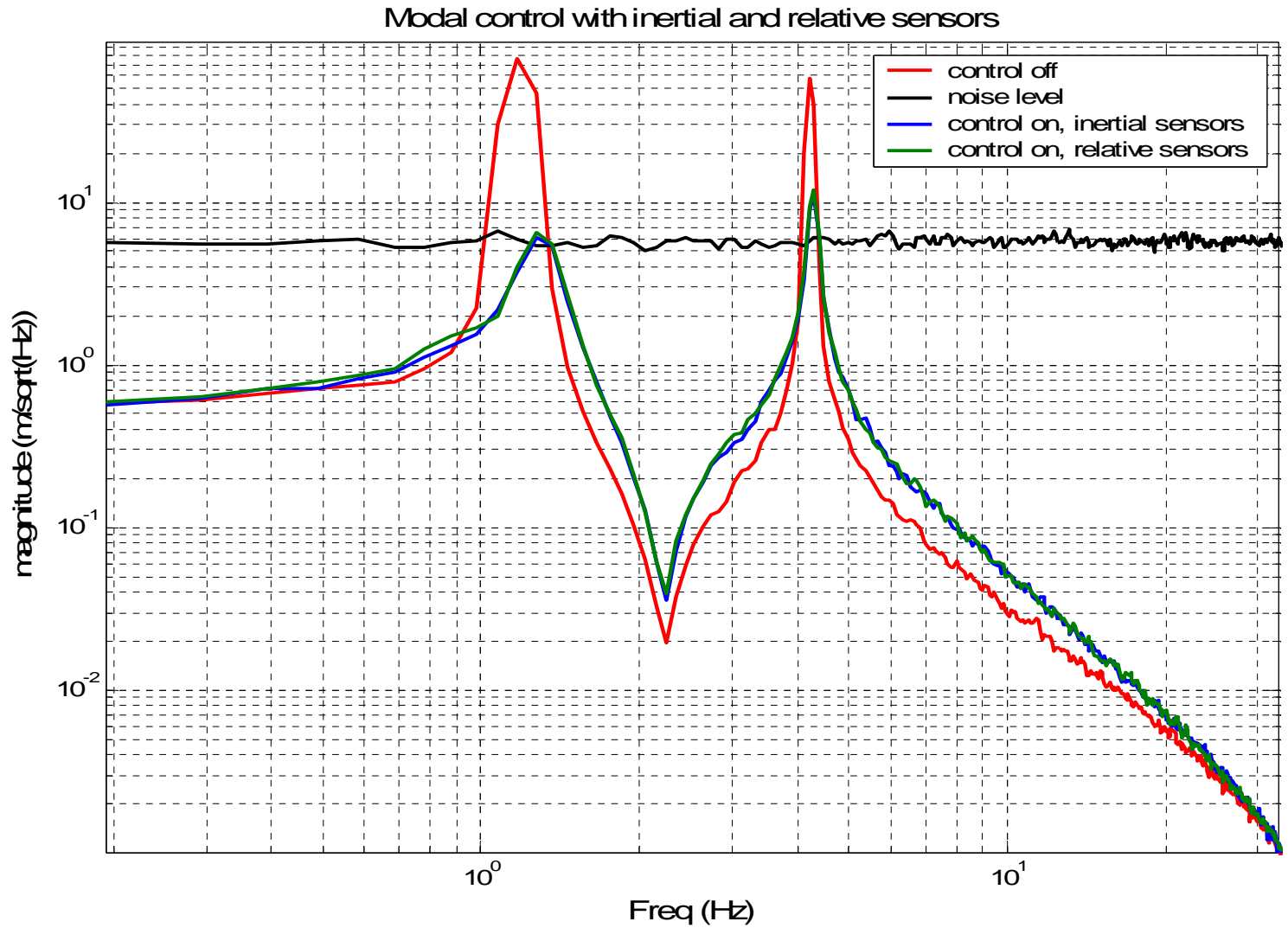


Z-Optical Table Power Spectra

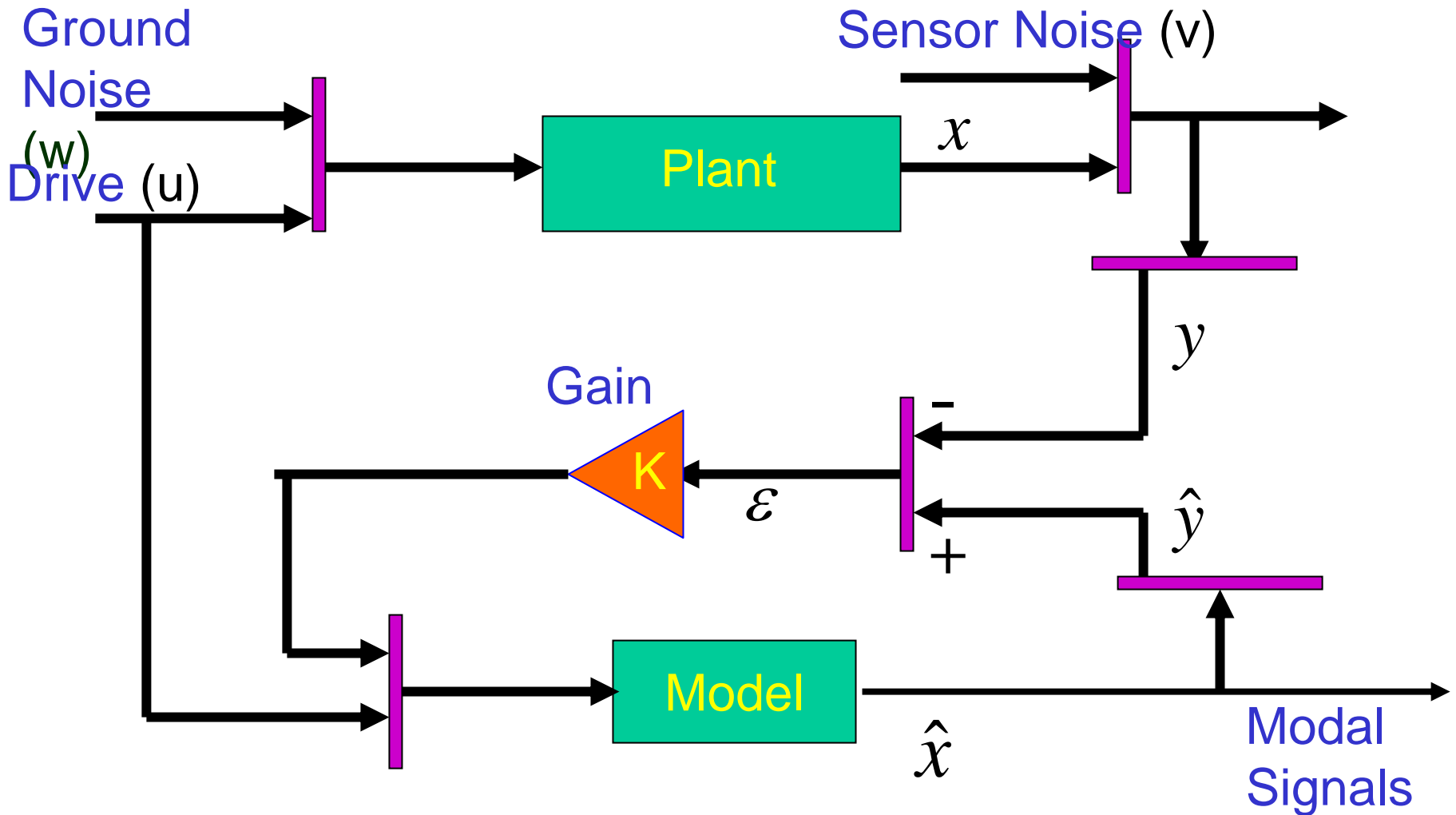




Modal Control Results



Estimator Model



Estimator Math

$$\varepsilon = \hat{y} - y = [Ce]\hat{x} - [Ce]x - [Ce]v$$

Where C_e is a selector Matrix

$$\hat{x} = TF_m K \varepsilon$$

Where TF_m is the model transfer function

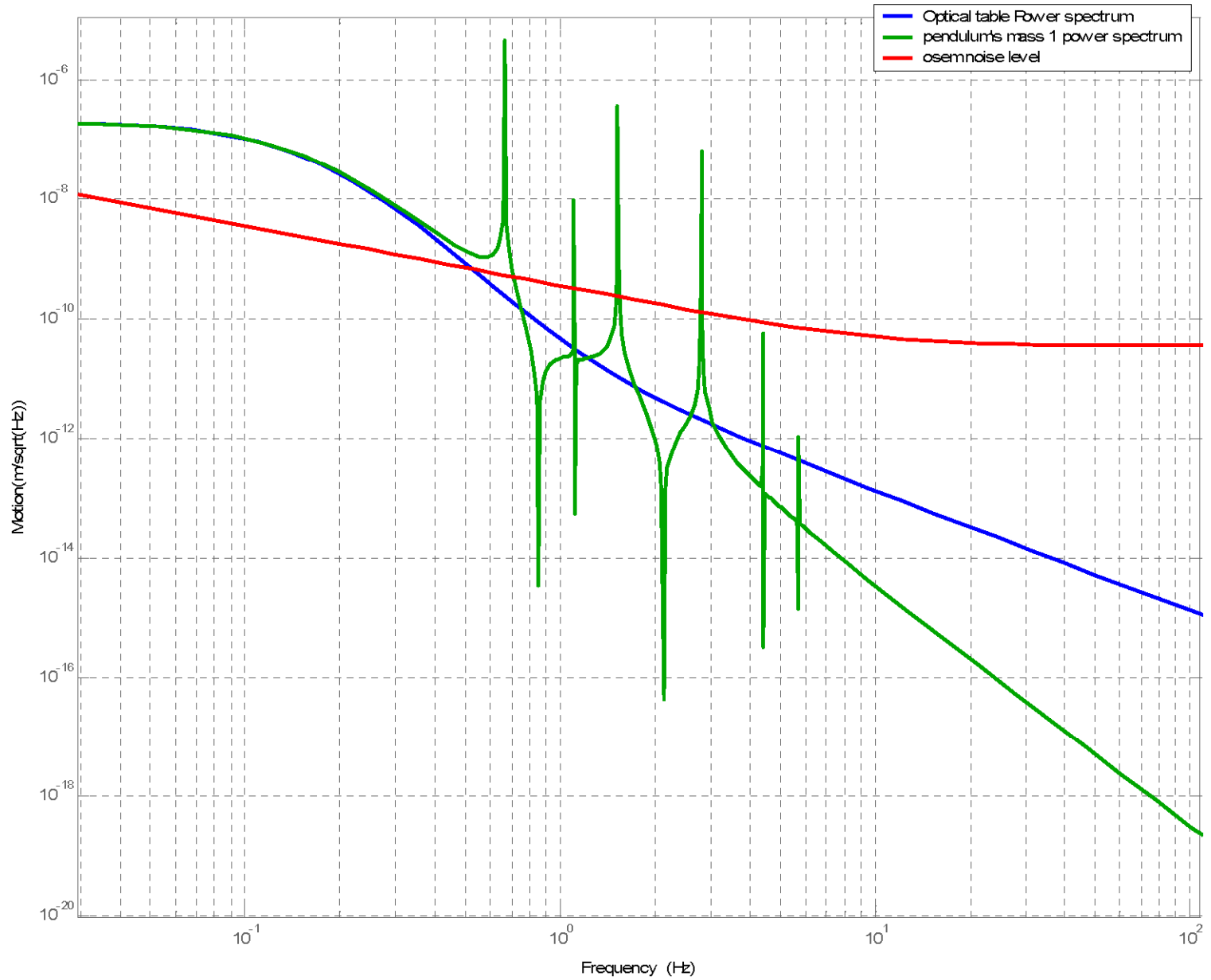
$$\hat{x} = \frac{x + v}{1 - \frac{TF_m K C_e}{1}}$$

if $x \gg v$ A large K will
give $\hat{x} = x + v$

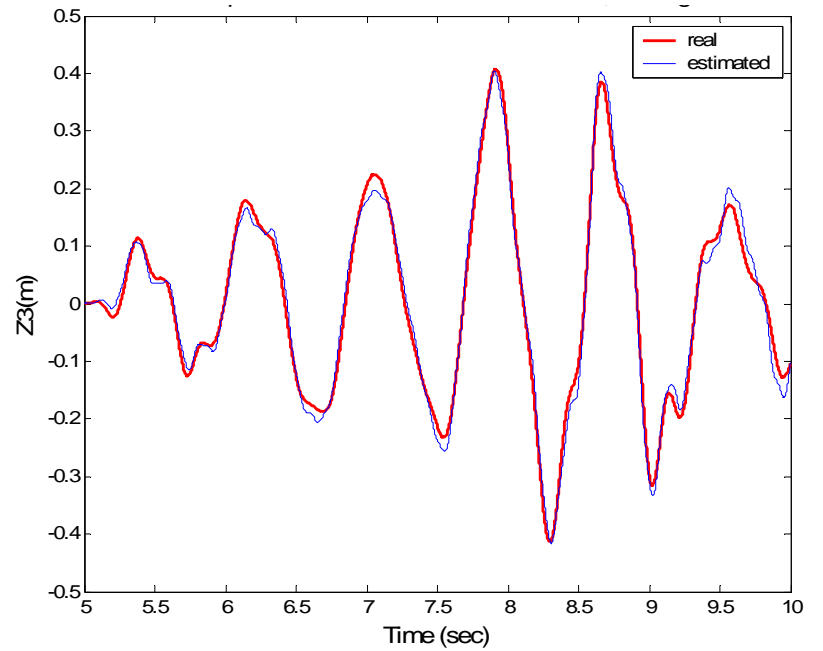
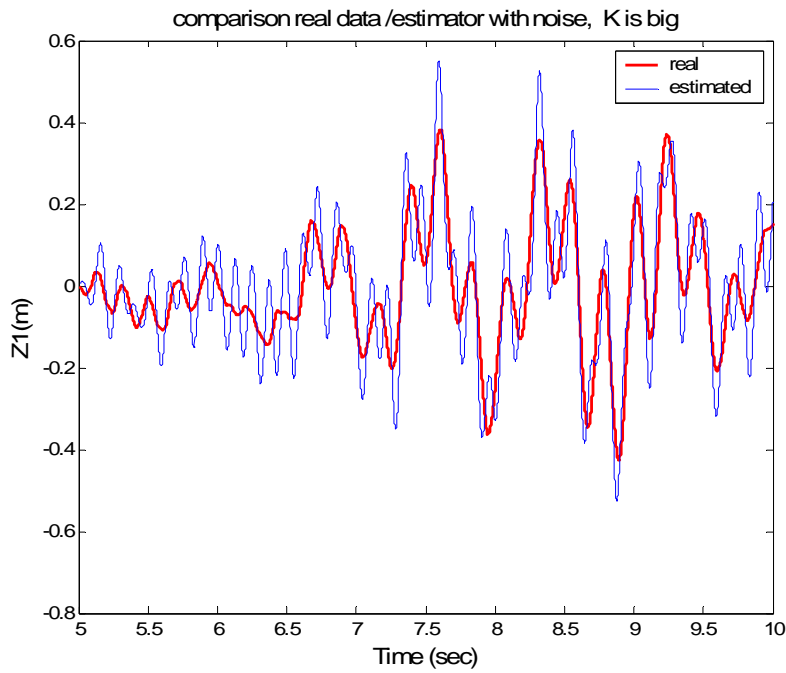
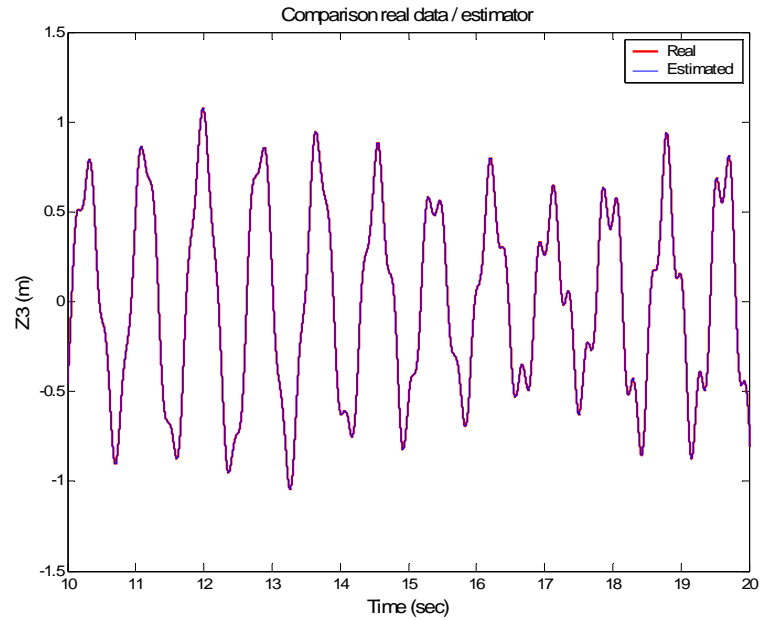
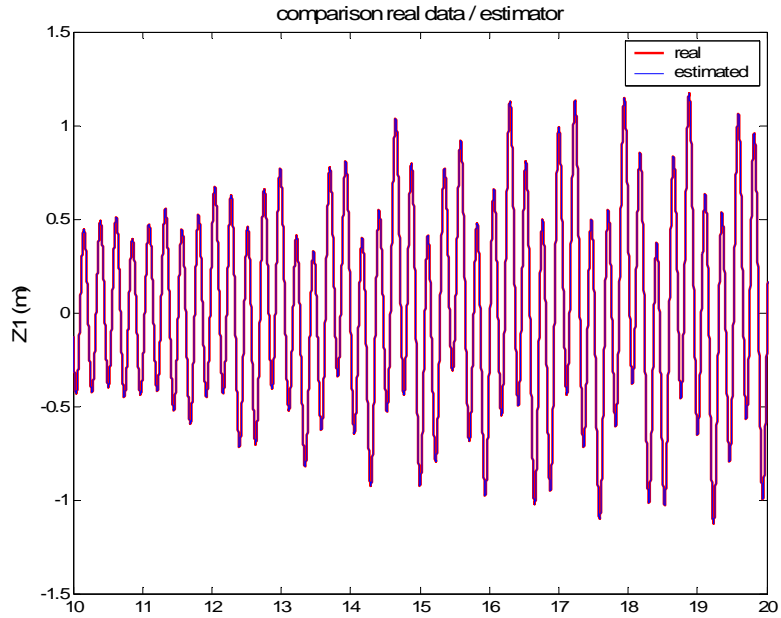
A small K will give
 $\hat{x} \approx 0$

POWER SPECTRUM IN X

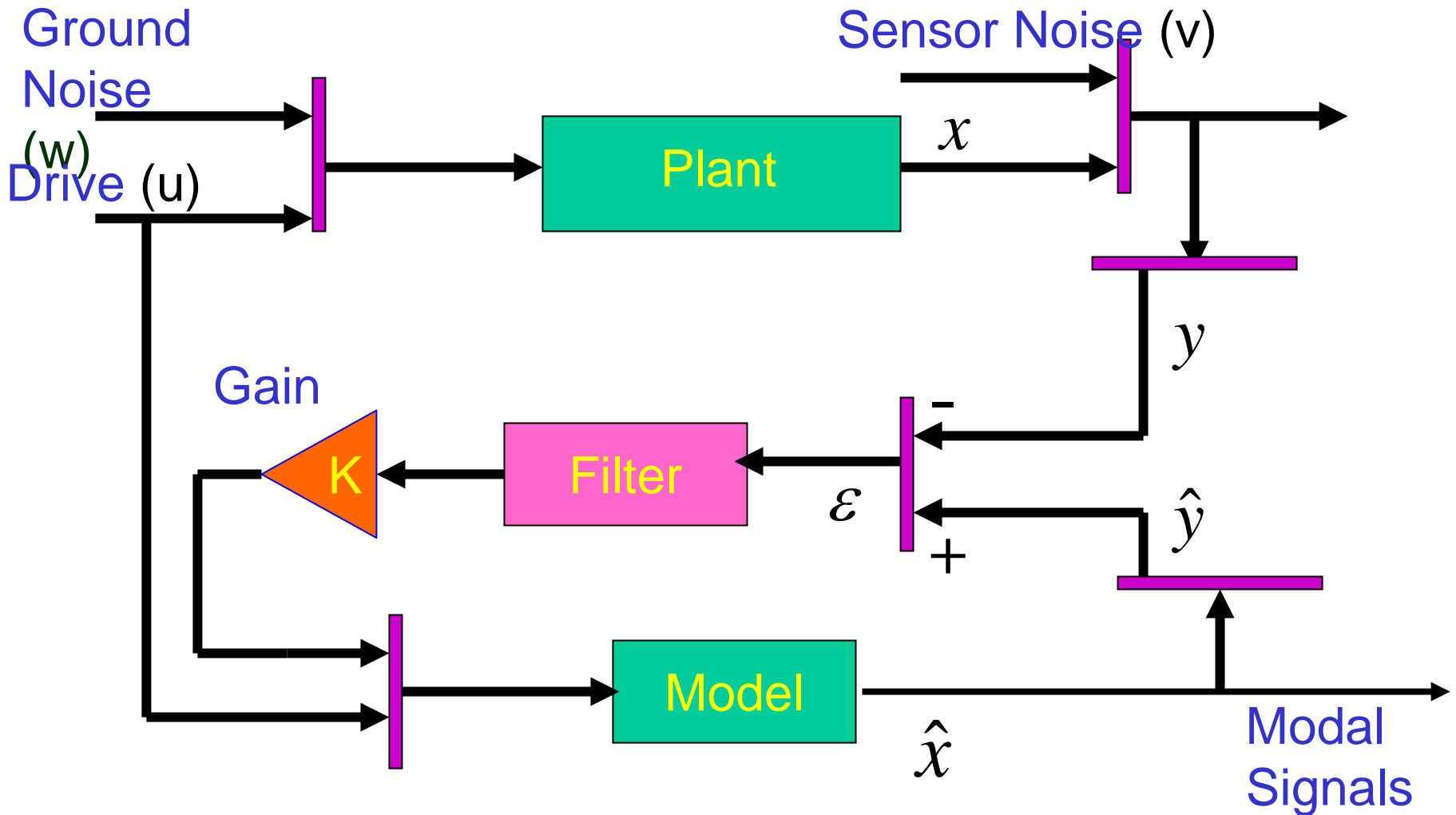
Bode Diagram



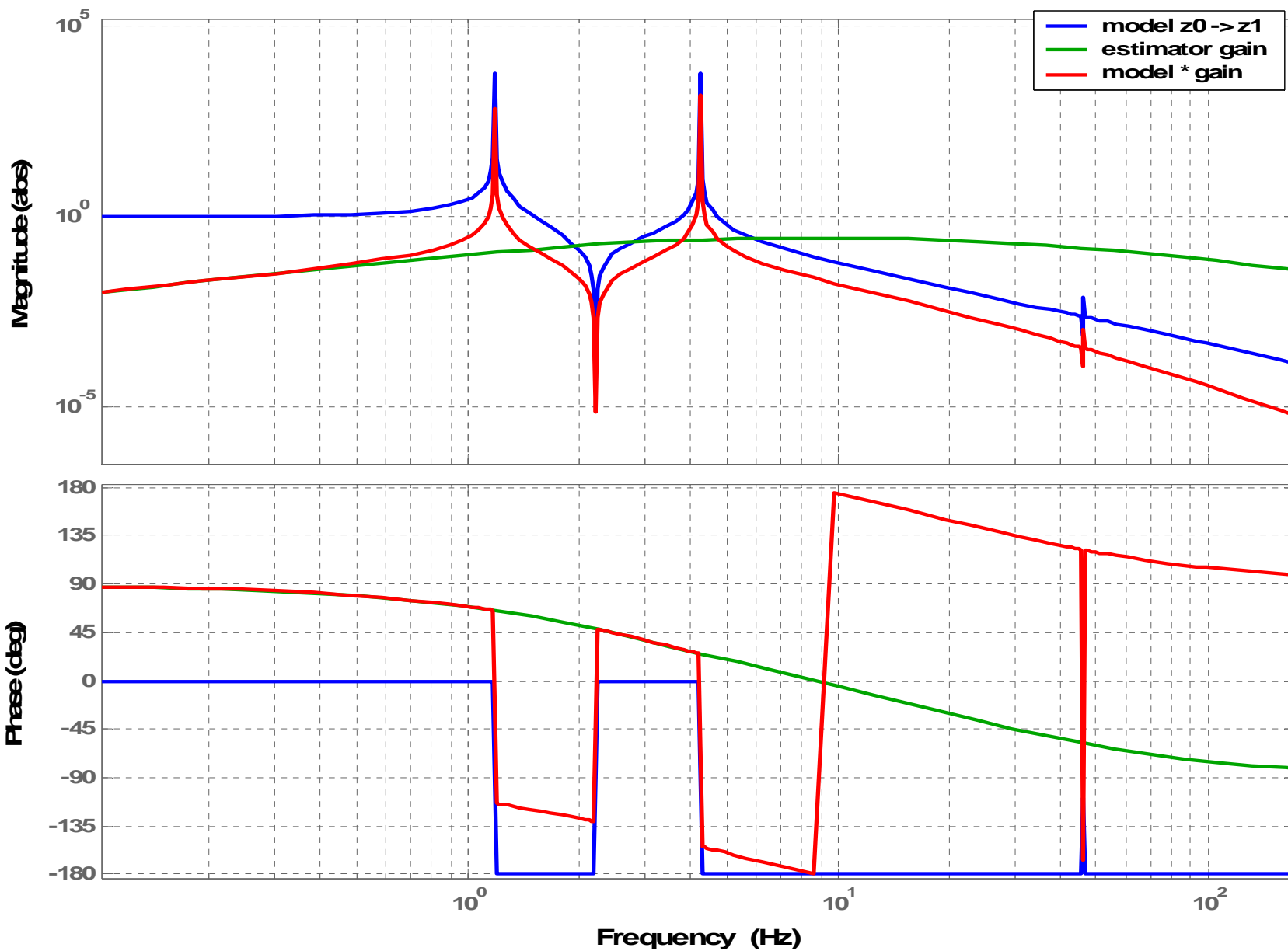
Estimator Results



Estimator Model

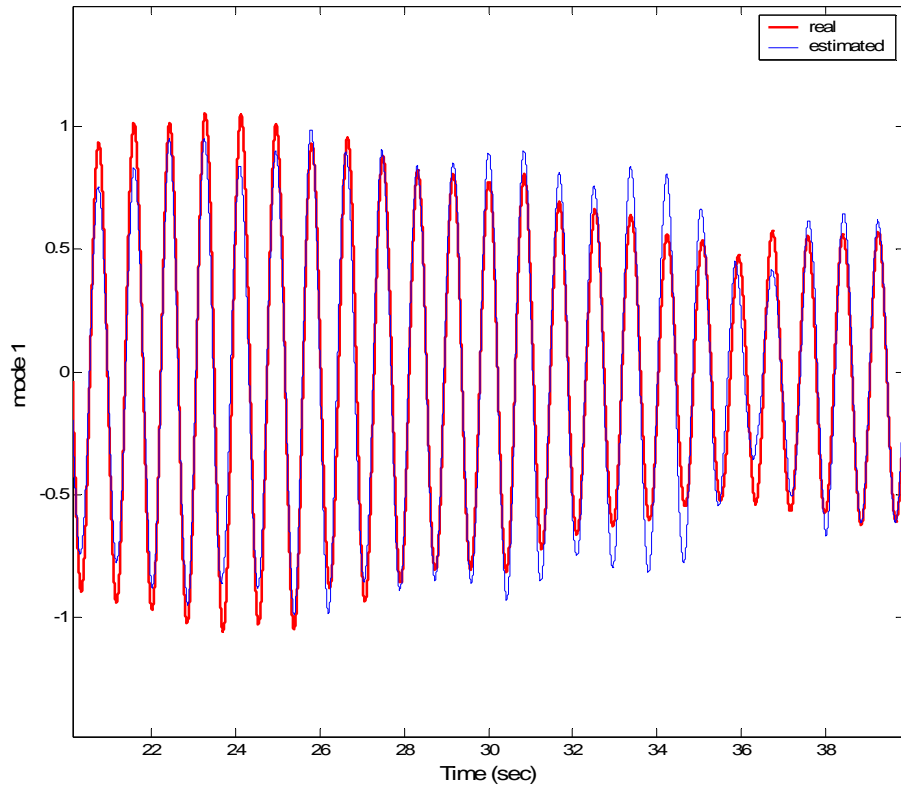


Bode Diagram

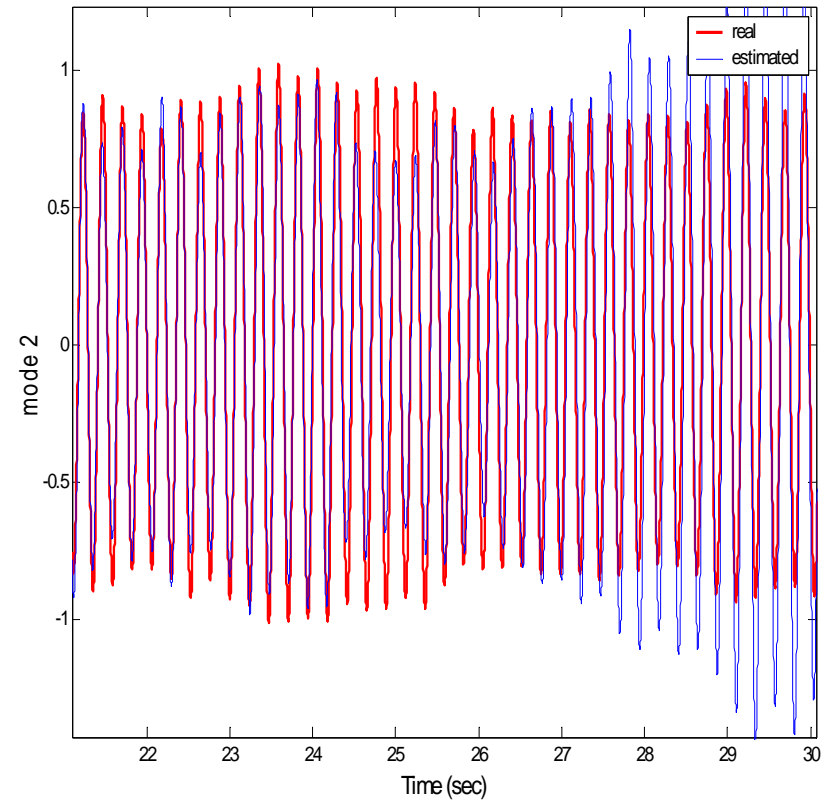


Results

comparison real data /estimator

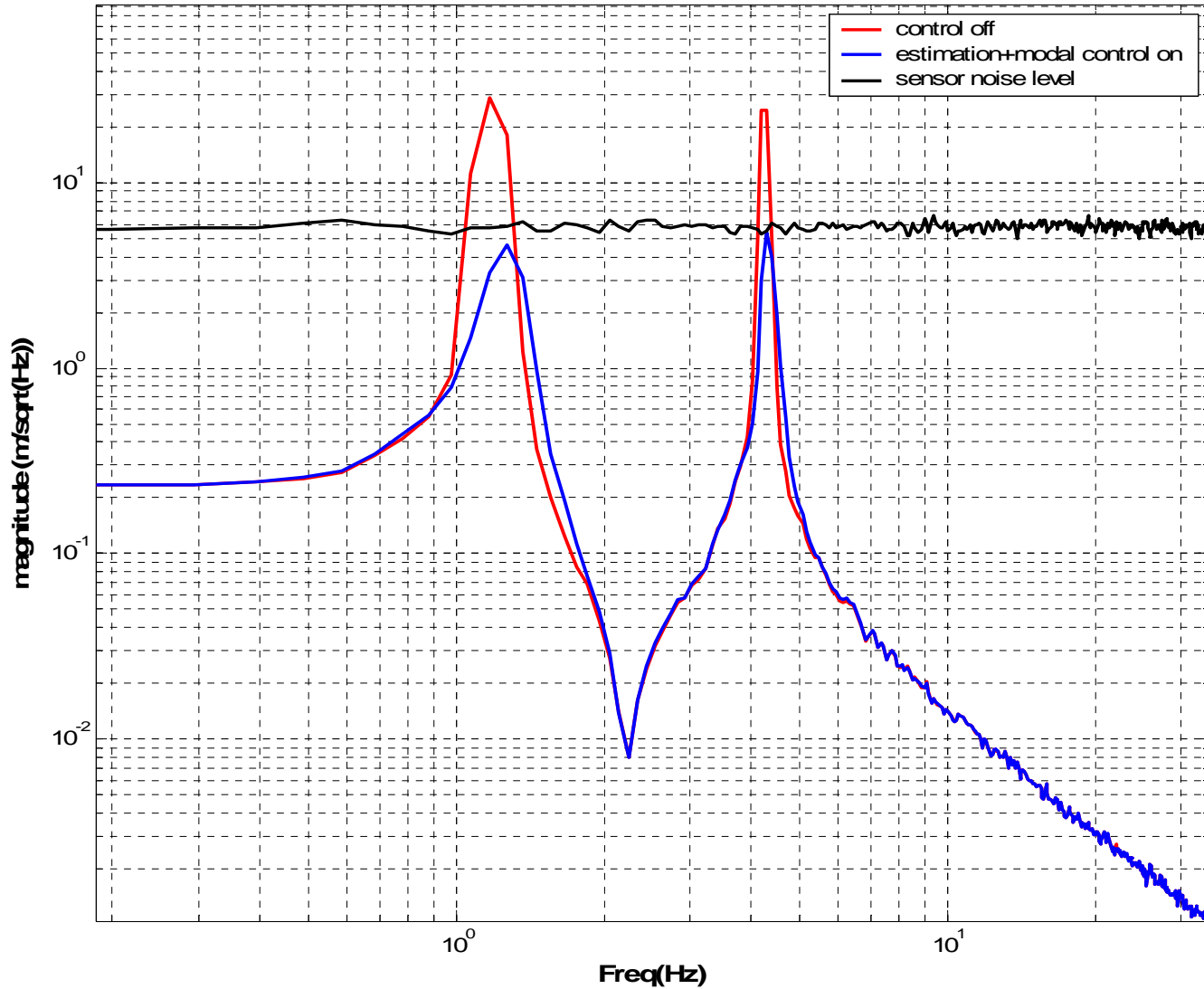


comparison real data /estimator



Spectrum

Spectrum, control off and estimation+modal control on



Future Estimator Work

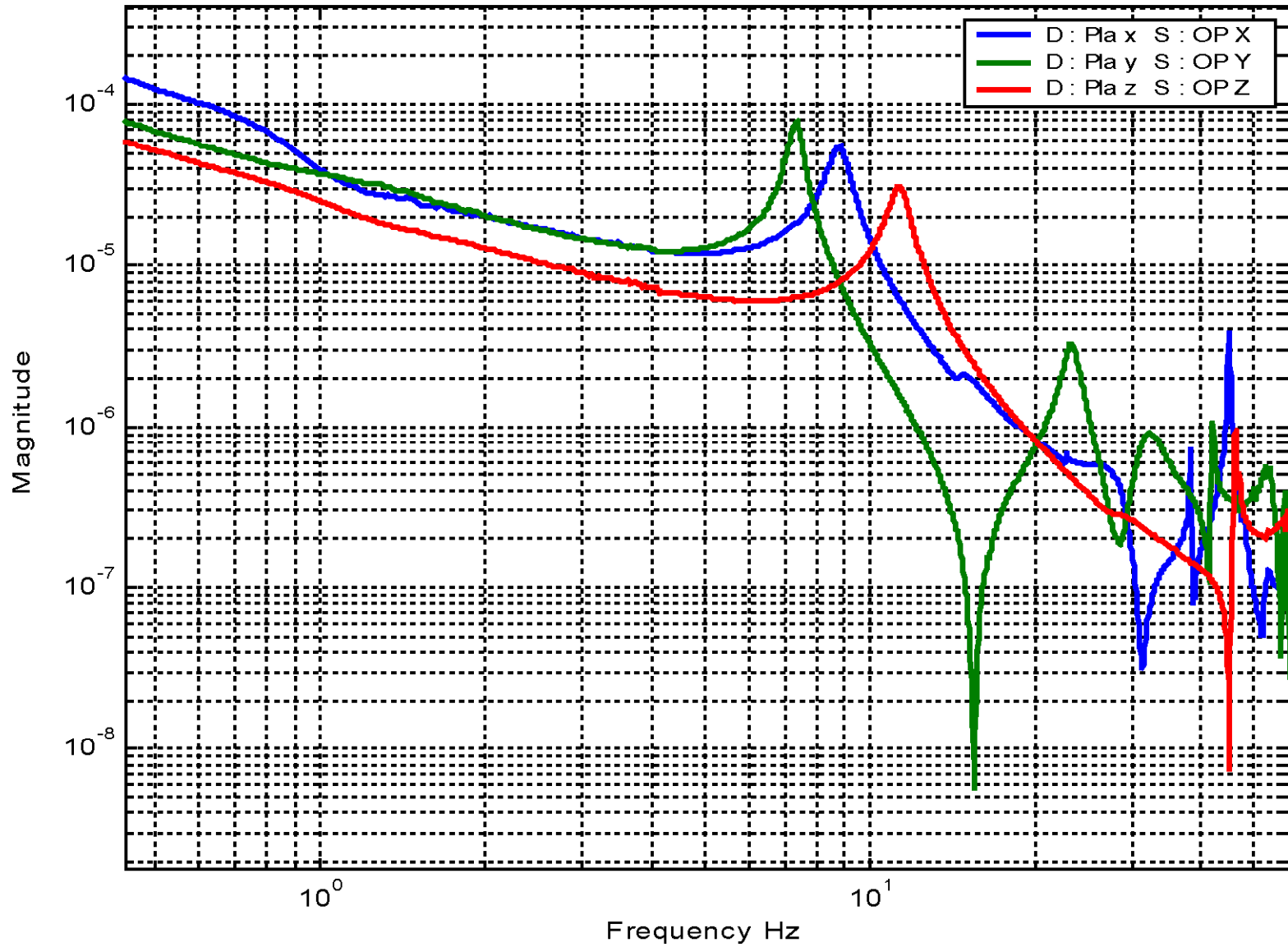
How Good does the Model Need to Be?

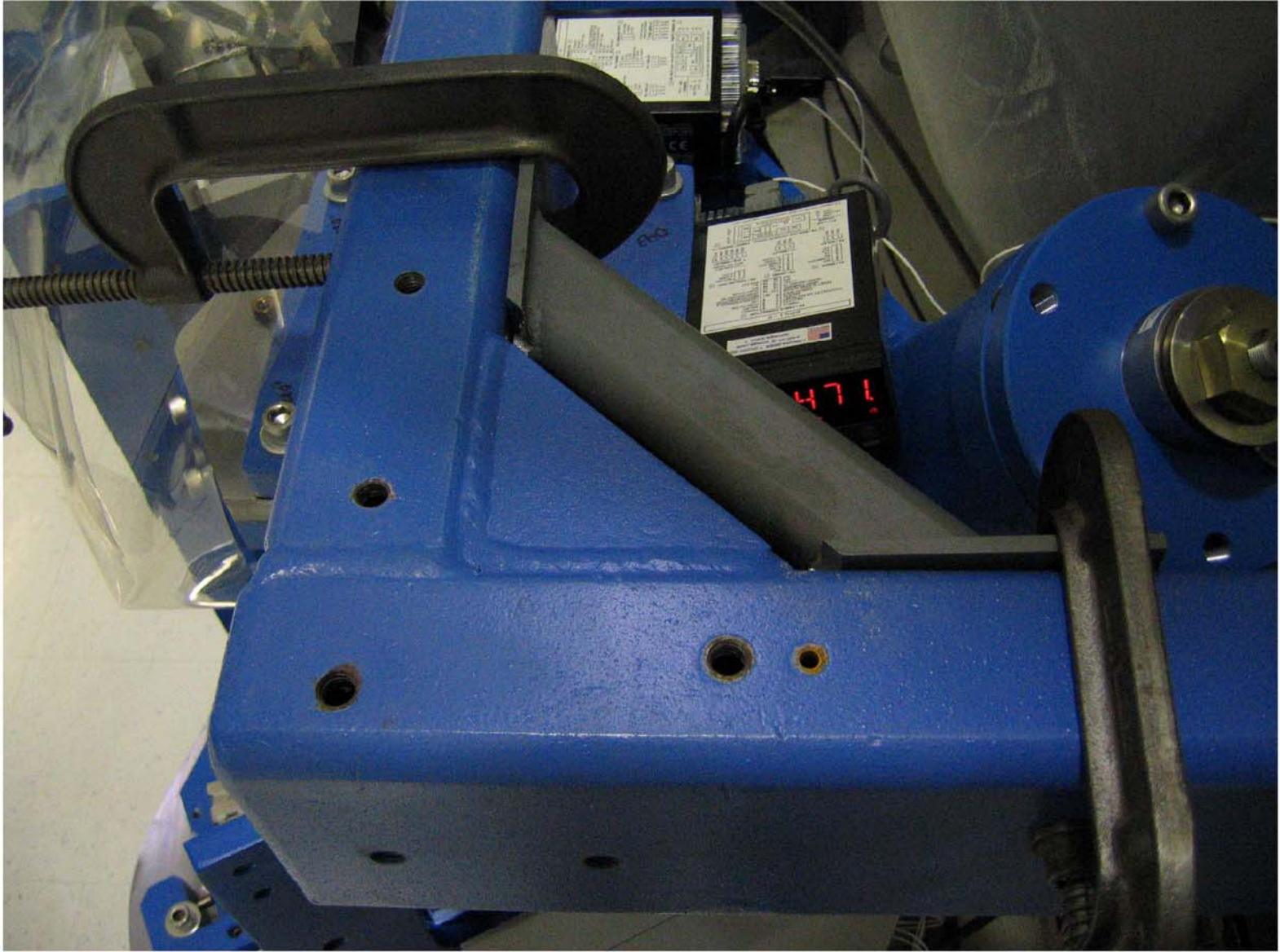
How do we optimize the Estimator Gain vs. the Control Gain?

Try it on a piece of hardware; the triple pendulum control prototype.

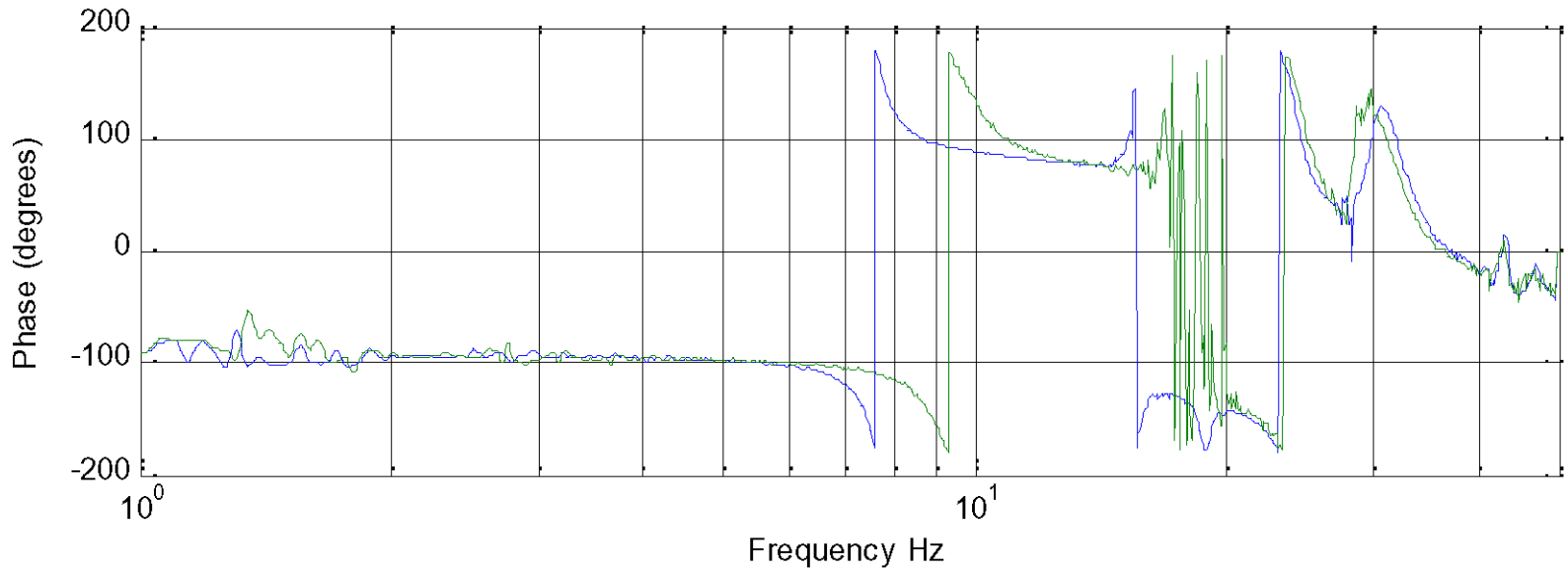
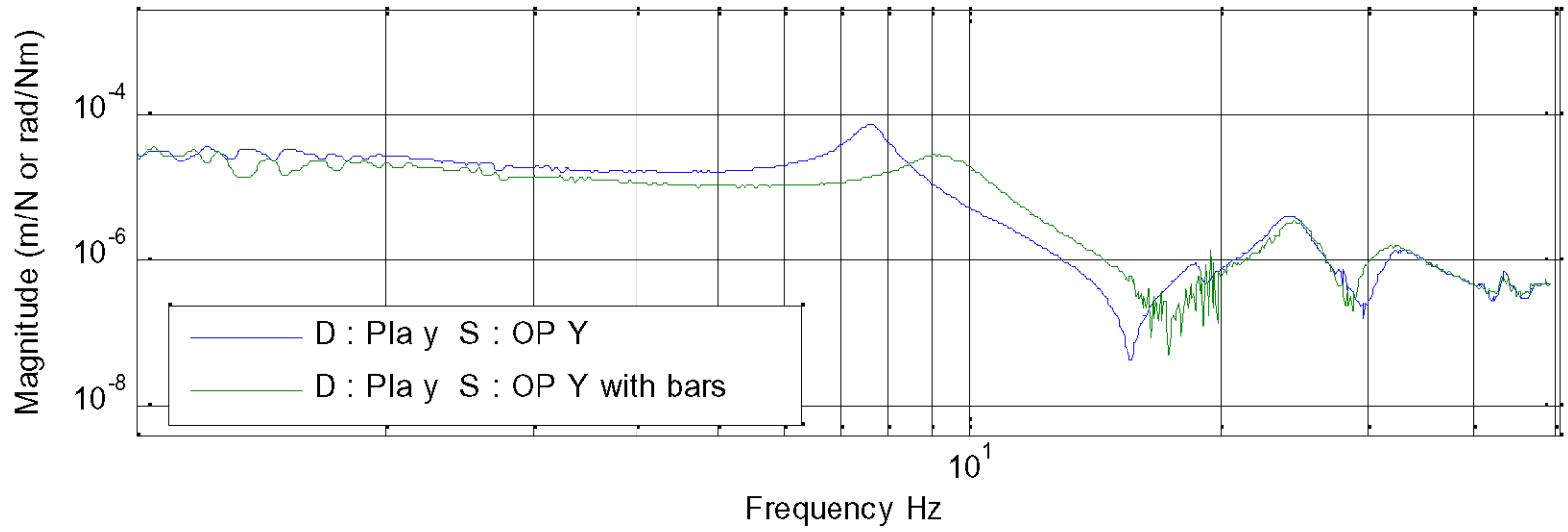
Other Ideas?

Transfer function HEPI to optical table geophones (position)

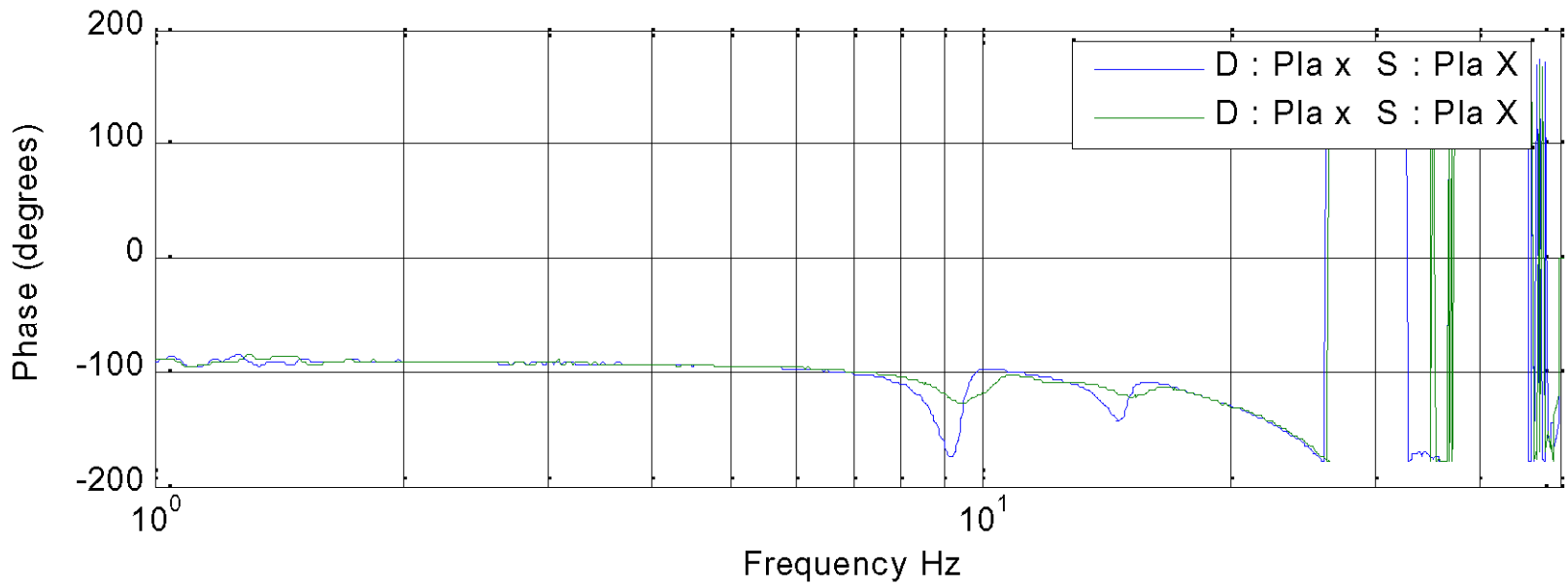
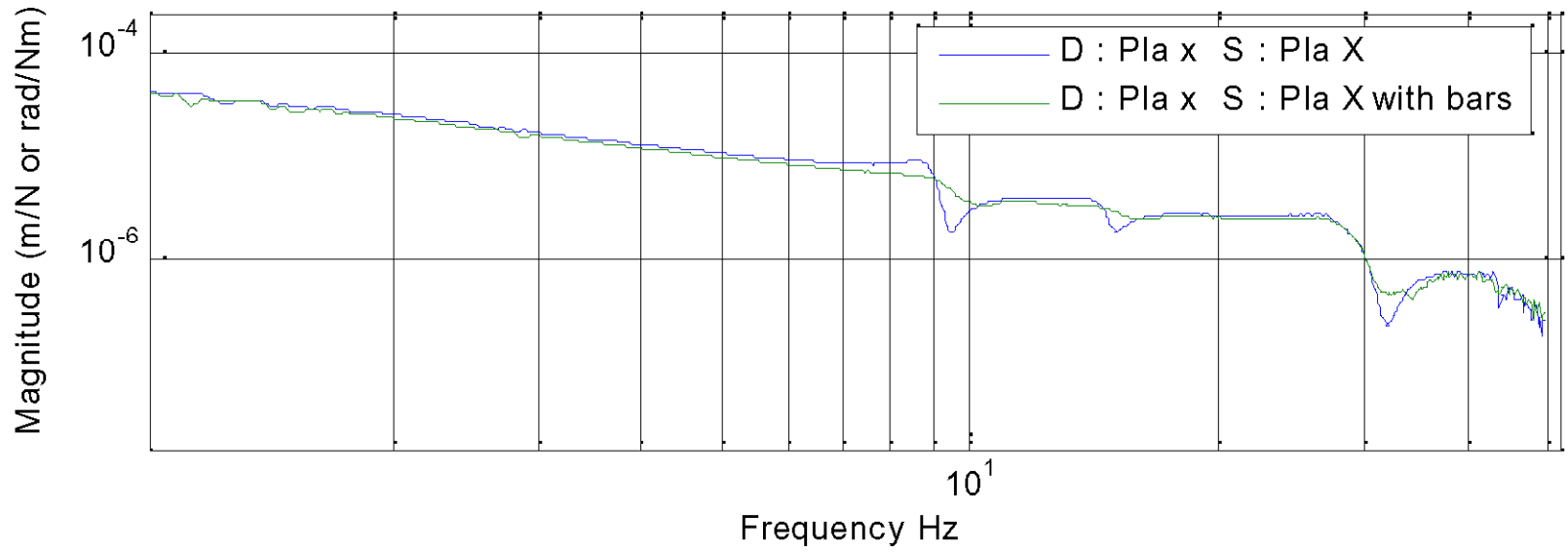




Transfer function

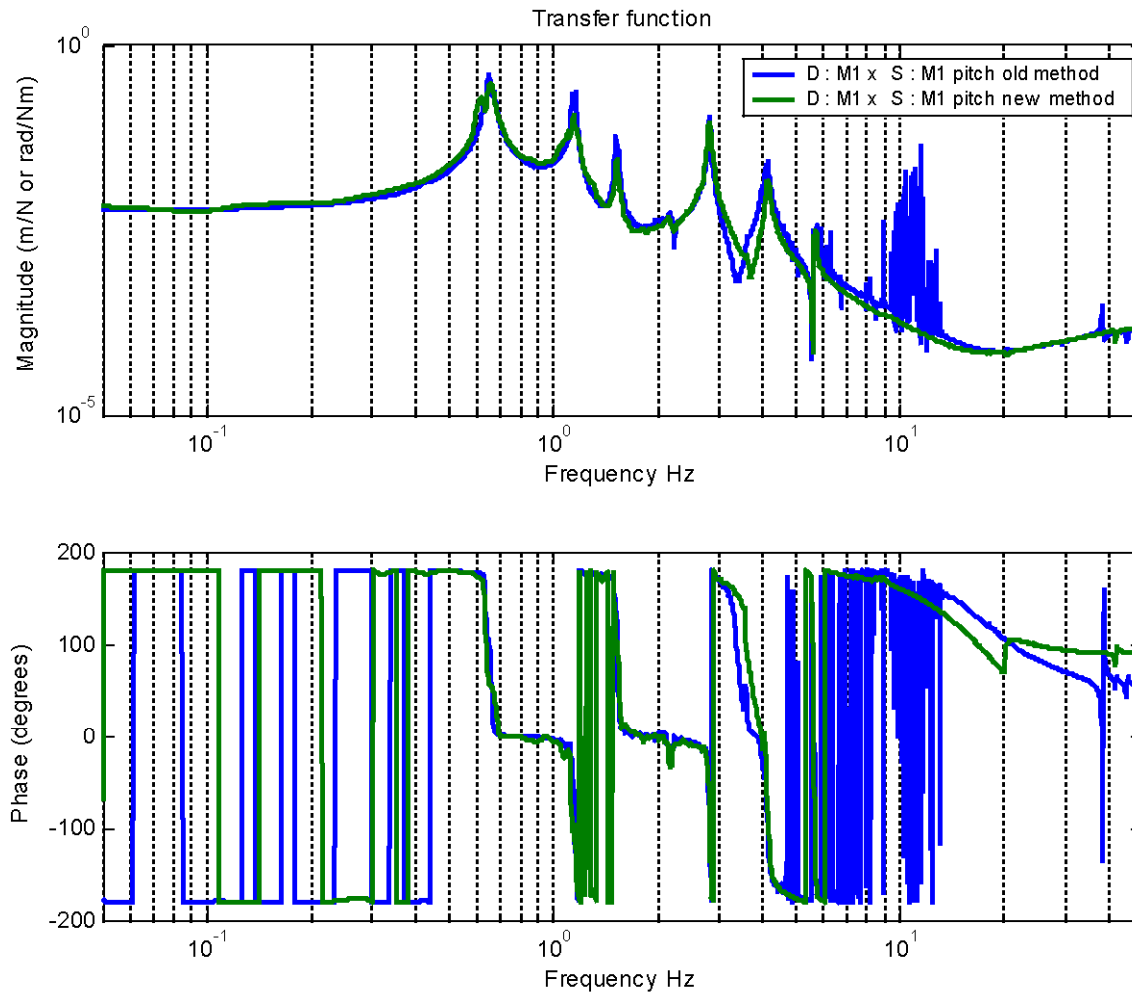


Transfer function



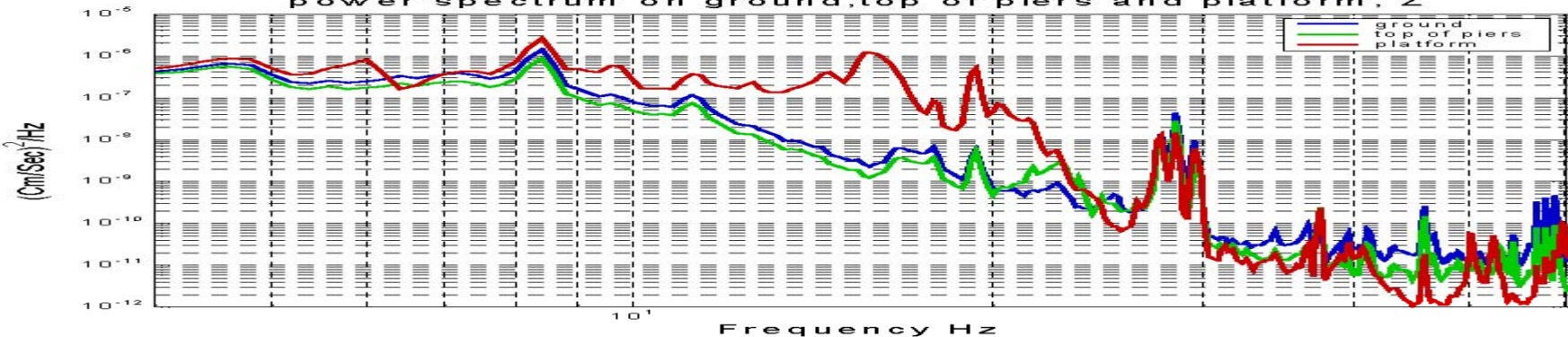
New acquisition method

- Now use 3 sensors on the ground to clean the extra noise of the ground (amplified by the HEPI platform resonances (7,9,12 Hz))

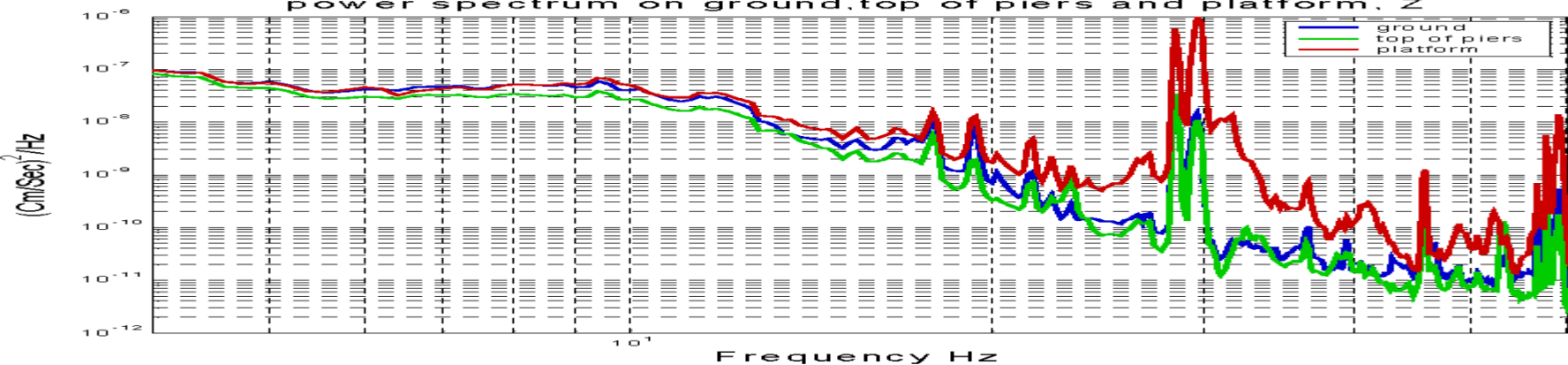


Z direction

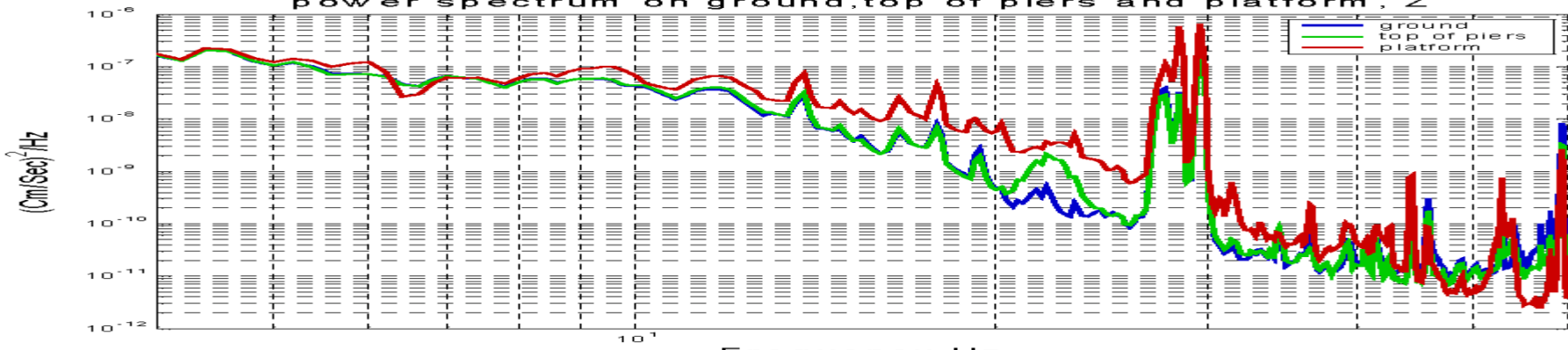
Platform suspended on springs (free)
power spectrum on ground, top of piers and platform, Z



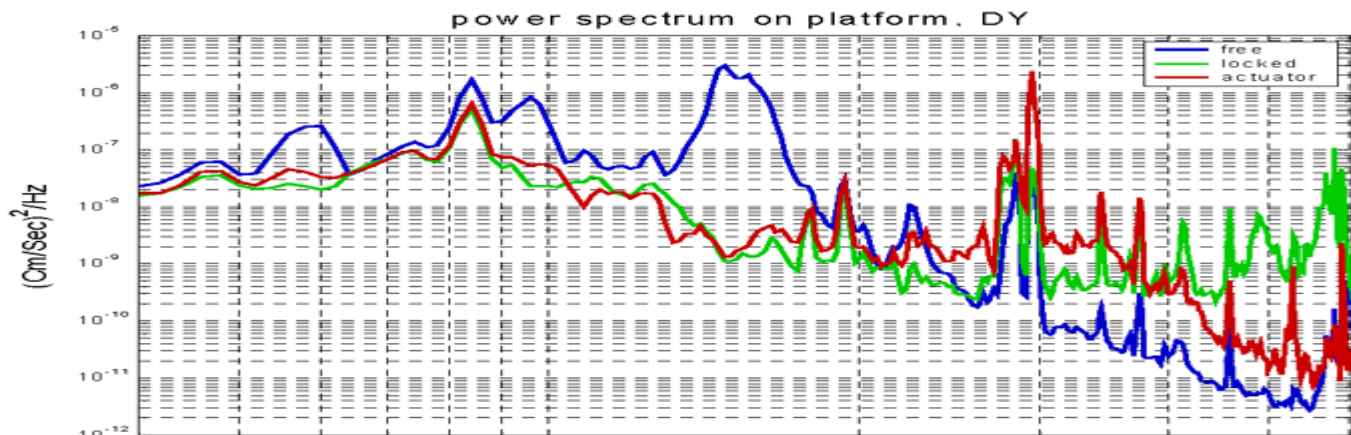
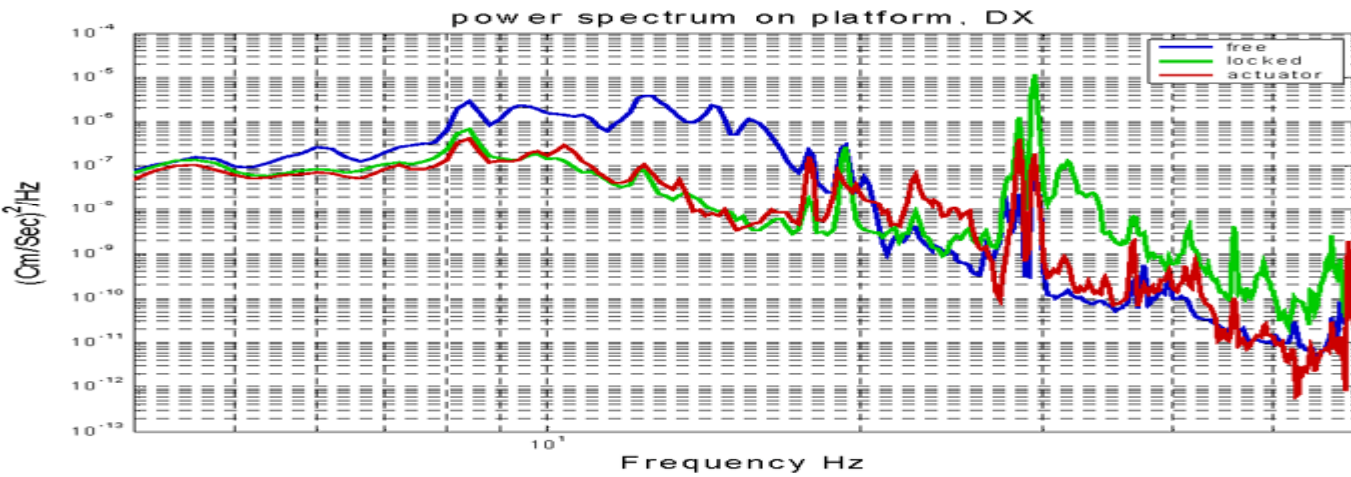
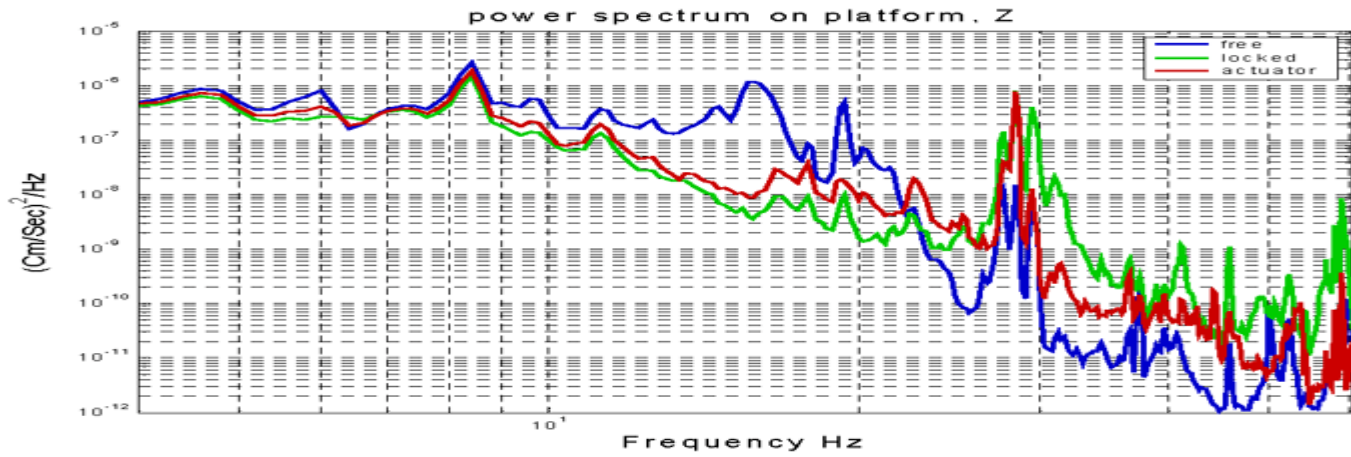
Platform an piers attached (locked)
power spectrum on ground, top of piers and platform, Z

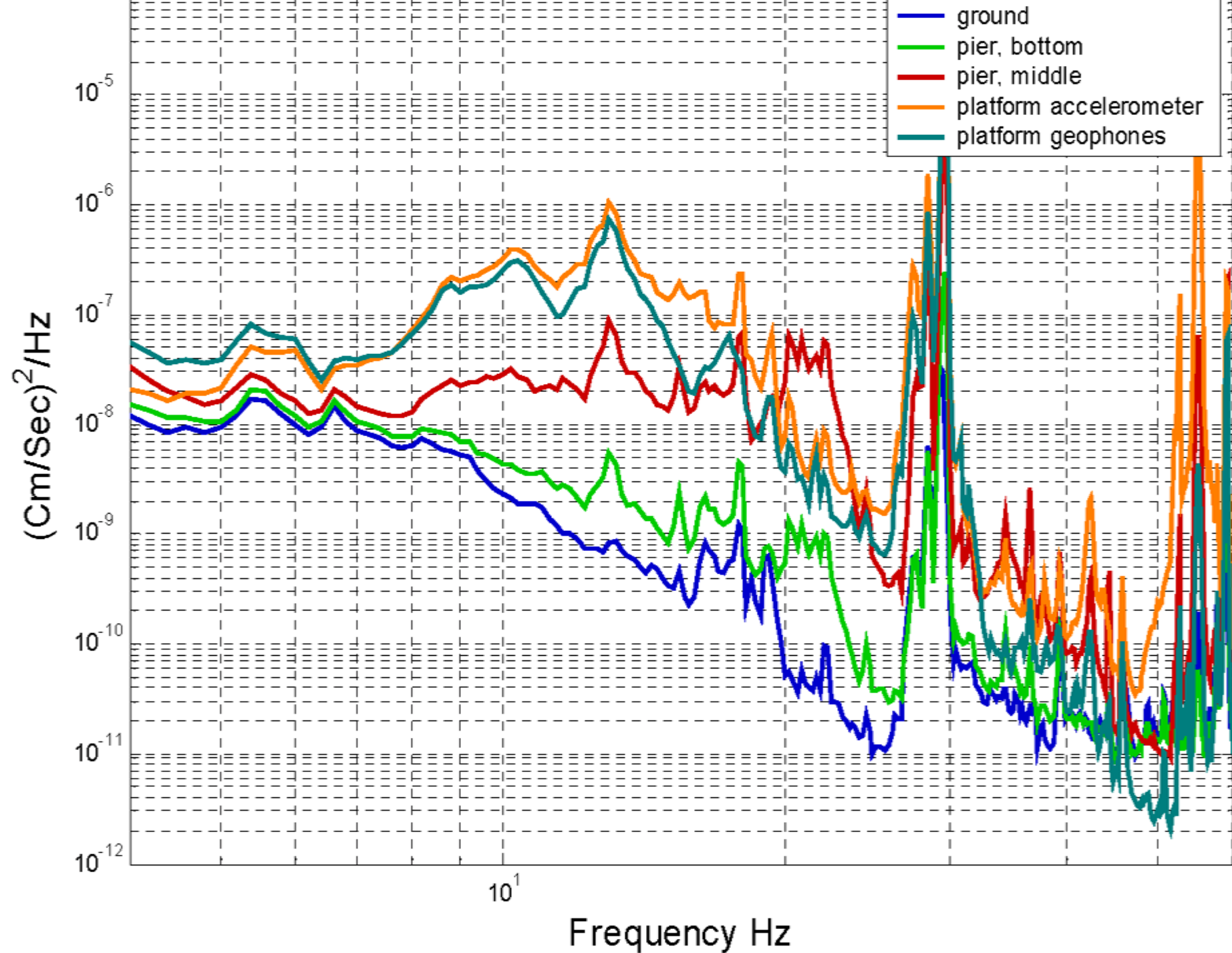


Platform suspended on springs & actuators damping
power spectrum on ground, top of piers and platform, Z

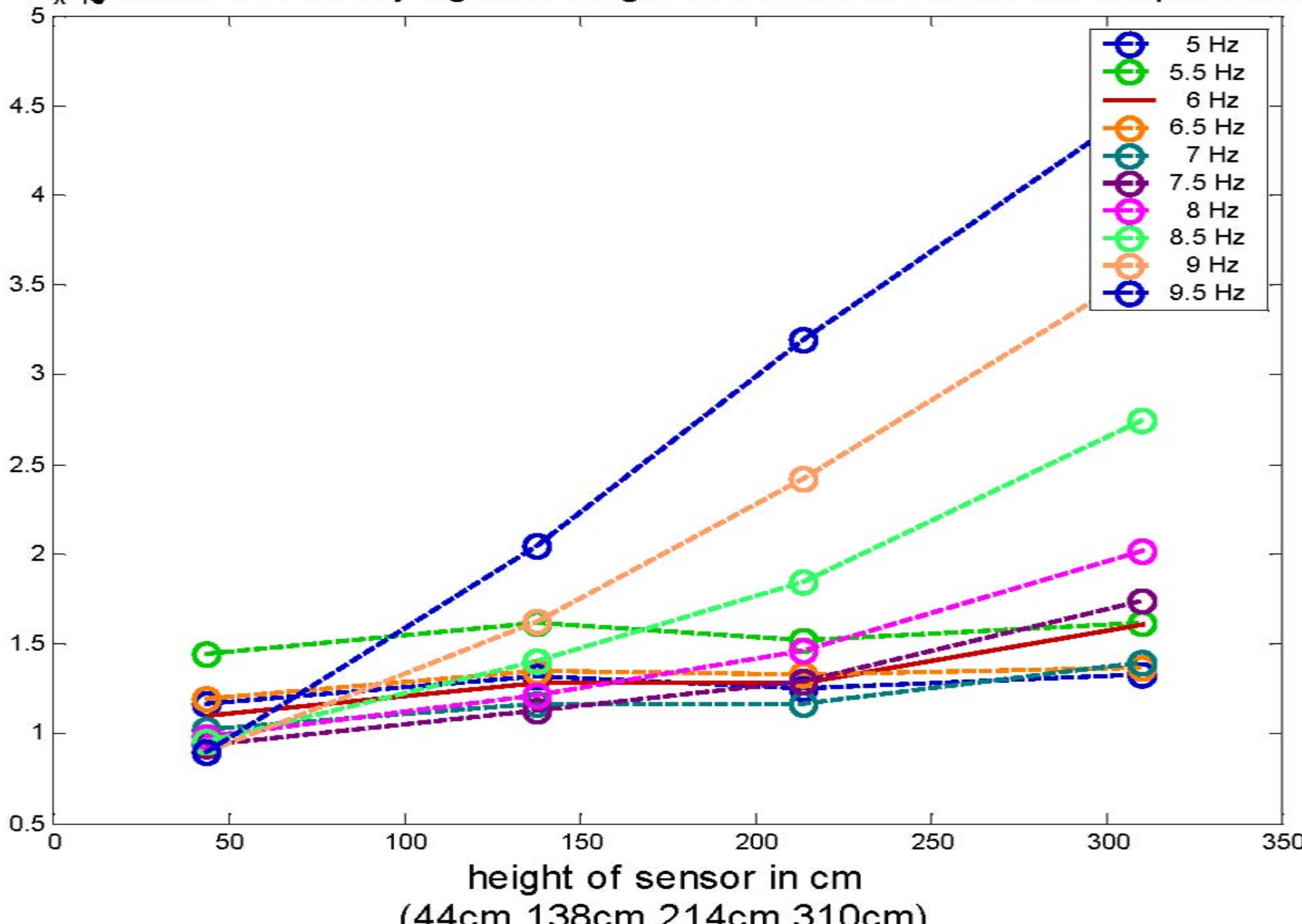


Comparison

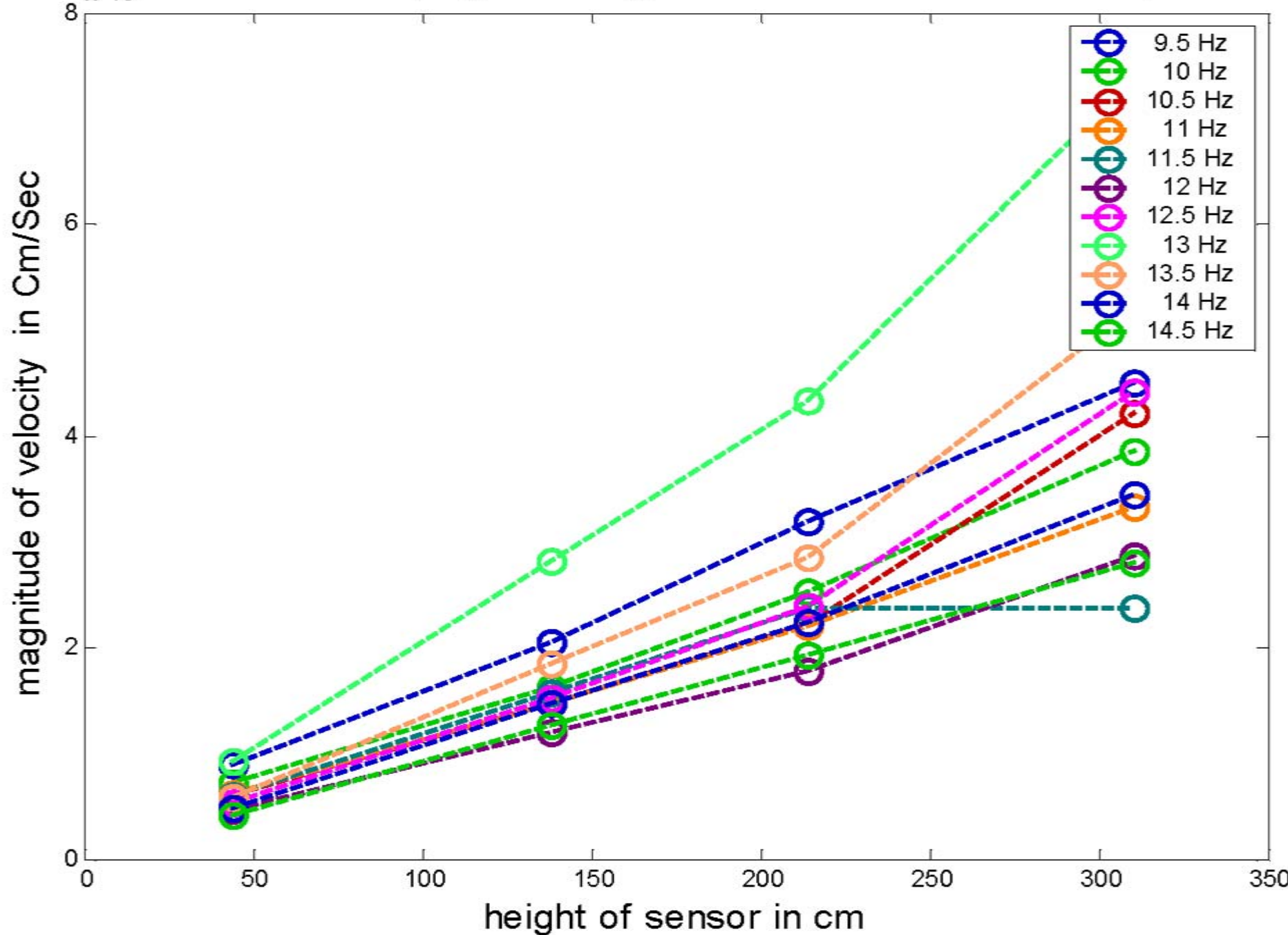




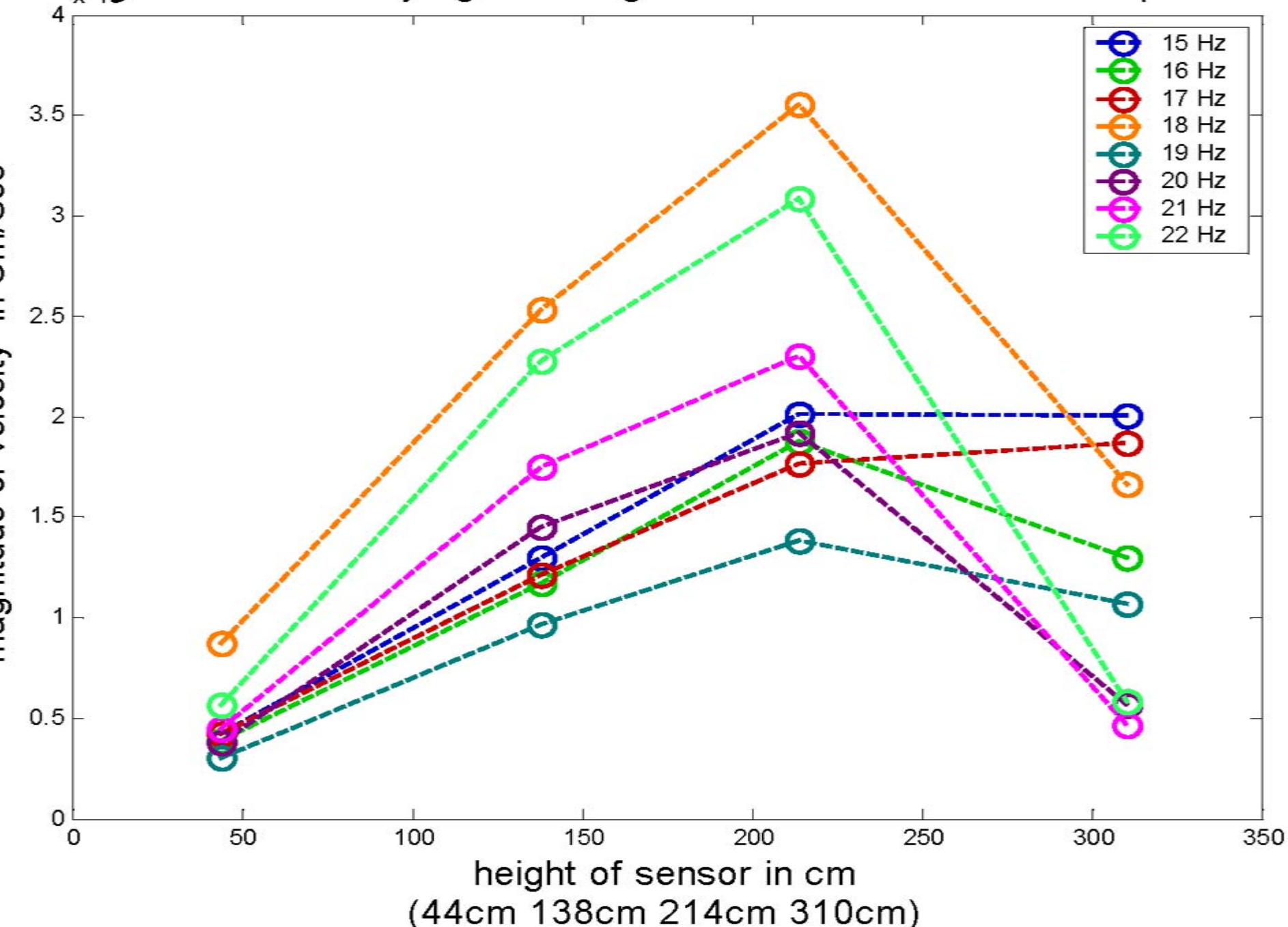
Magnitude of velocity against height of sensor for different frequencies



Magnitude of velocity against height of sensor for different frequencies



Magnitude of velocity against height of sensor for different frequencies



$$\chi_{PS} = PS \times B \quad \text{Transfer Function from dSpace to Position Sensors}$$

$$\chi_{Geo} = Geo \times B \quad \text{Transfer Function from dSpace to Support Table Geophones}$$

$$\chi_{sup} = F_{Geo} \chi_{Geo} + F_{PS} \chi_{PS} \quad \text{Open Loop transfer function}$$

$$\tilde{\chi}_w = A \times \frac{Wit}{STS} \quad \text{Transfer Function from Ground STS to Witness Sensor}$$

$$\chi_w = A \times Wit \quad \text{Transfer Function from dSpace to Witness Sensor}$$

$$\frac{\nu(\omega) \times Wit}{\beta(\omega) \times STS} = \frac{\tilde{\chi}_w - K_2 F_{sup} F_{PS} \times \left[K_1 F_{STS} \chi_{Wit} - \chi_{PS} \left(\frac{Wit}{STS} \right) \right]}{1 + K_2 \chi_{sup}}$$

Closed Loop Transfer Function from ground to witness sensor

**THE
END**