

The HAM-SAS Seismic Isolation System for the Advanced LIGO Interferometers

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3) Columbia University, NY; 4) University of Pisa, Italy



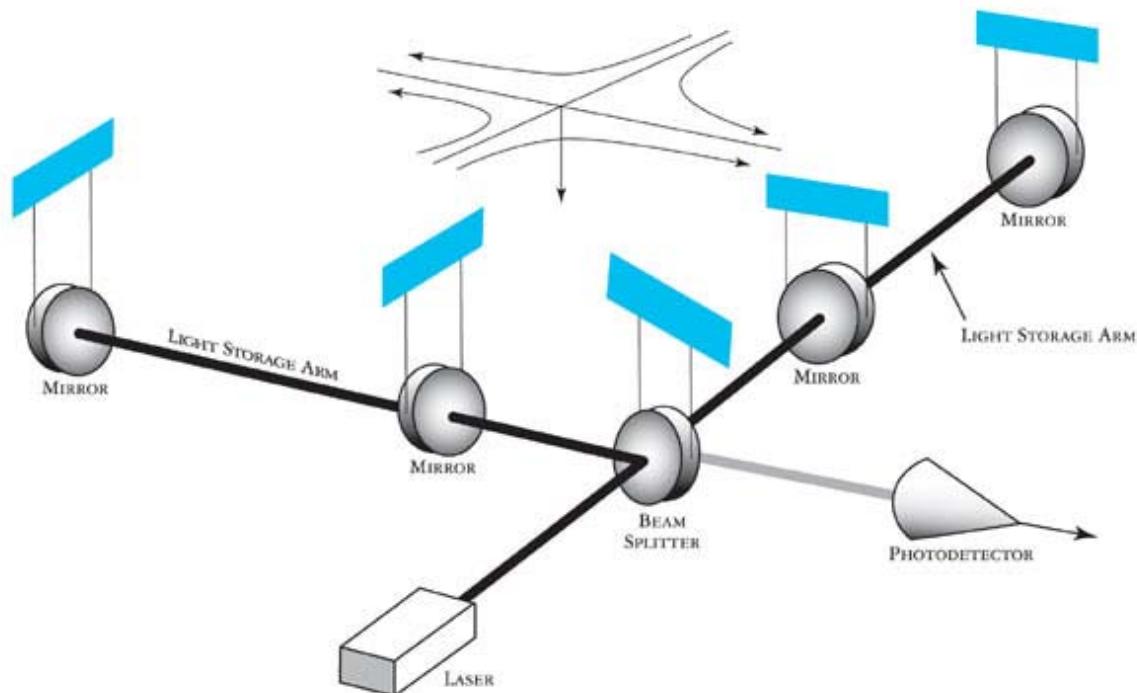
Summary

- Seismic Noise in LIGO GW detectors
- SAS “Passive” Mechanical Filters
- HAM-SAS
- Platform Control
- System Performances
- Conclusions

Gravitational Wave Interferometric Detectors

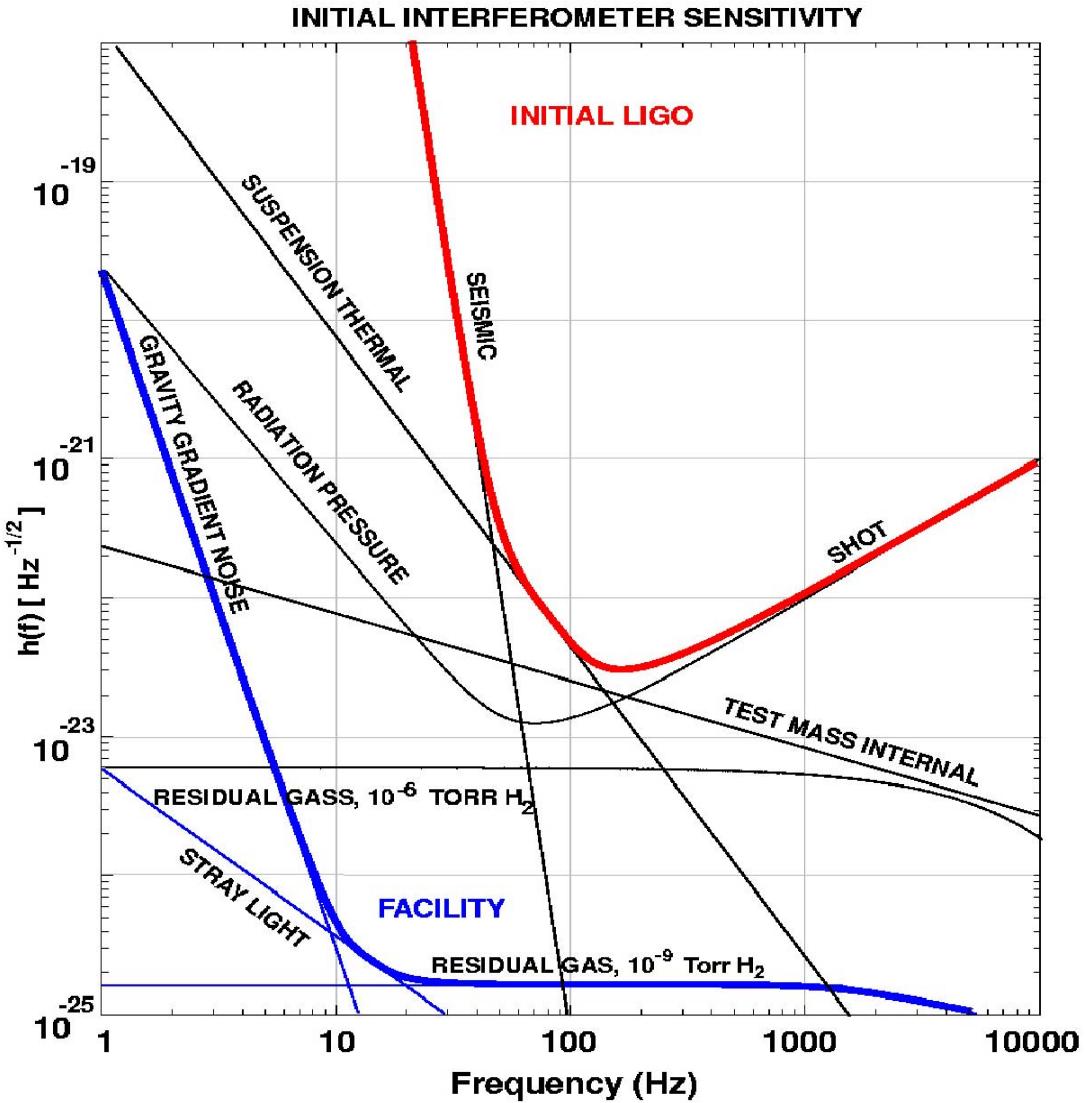
Michelson Interferometer

$$\Delta L = h\Delta L = 10^{-19} - 10^{-17} \text{ m}$$



(length change optimistic estimate caused by a source located at intergalactic or cosmological distance on a a 4-Km interferometer)

Noise Sources



strength

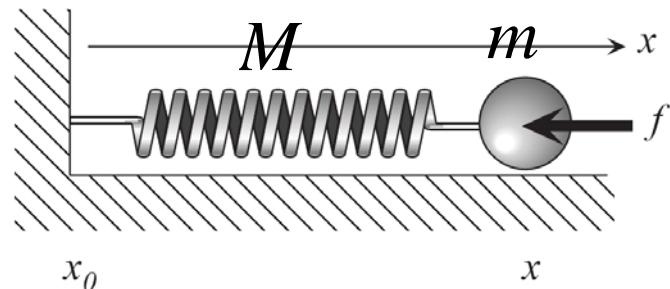
$$h = \frac{\Delta L}{L}$$

Seismic noise
dominates at low
frequencies
(<40 Hz)

Passive Mechanical Filters

Massive Spring:

$$m\ddot{x} + M\ddot{x} = -k(x - x_0)$$



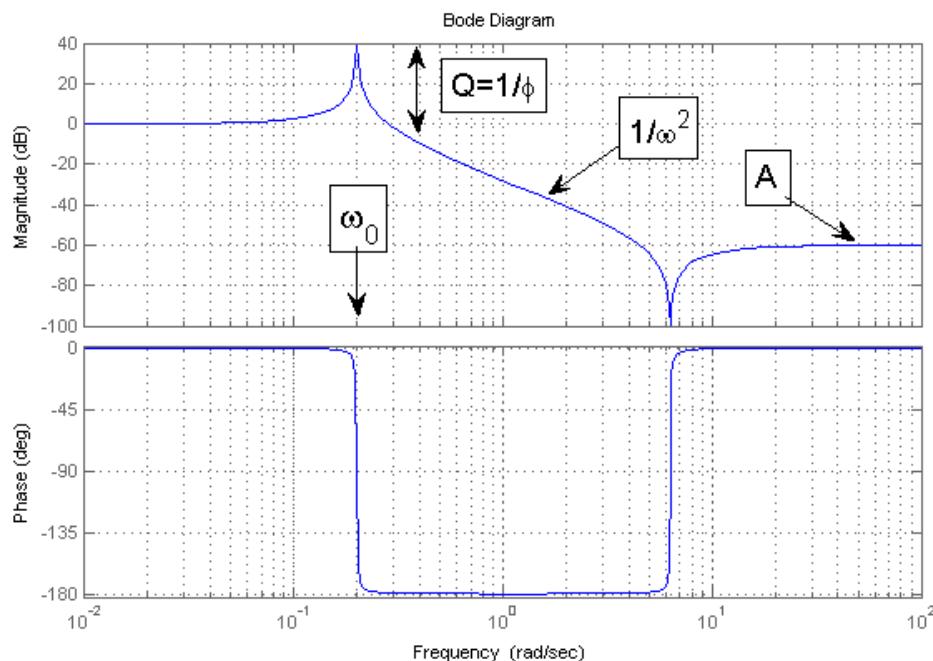
Transfer Function:

$$\frac{\hat{x}(\omega)}{\hat{x}_0(\omega)} = \frac{\omega_0^2 + A\omega^2}{\omega_0^2 - \omega^2}$$

$$\omega_0^2 = \frac{k}{m} = \frac{k(1+i\phi)}{m}$$

$$k \equiv \Re[k]$$

$$A = M / m$$

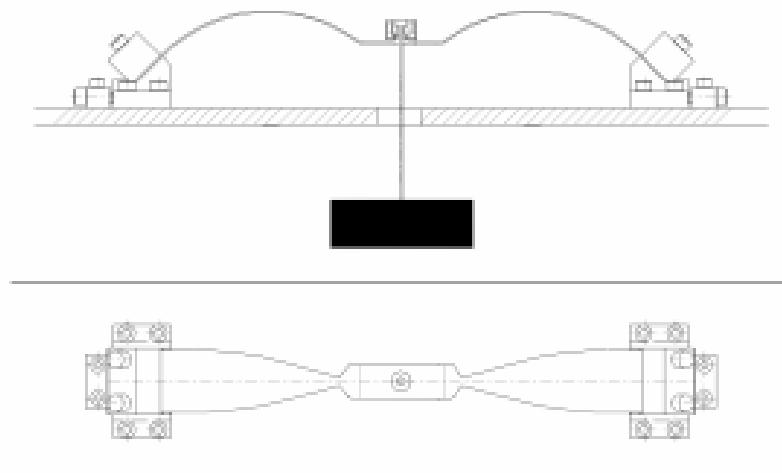
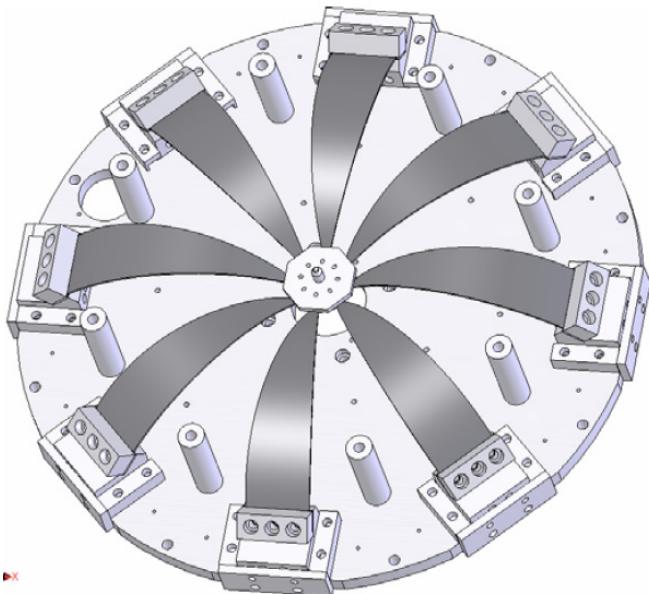


Ideal Passive Mechanical Filter

- low resonant frequency
 - ⇒ early attenuation roll-off
 - ⇒ small control force at the equilibrium point
 - ⇒ low Q because $Q \propto \omega_0^2$
- minimal Center of Percussion Effect
 - ⇒ high frequency attenuation improvement

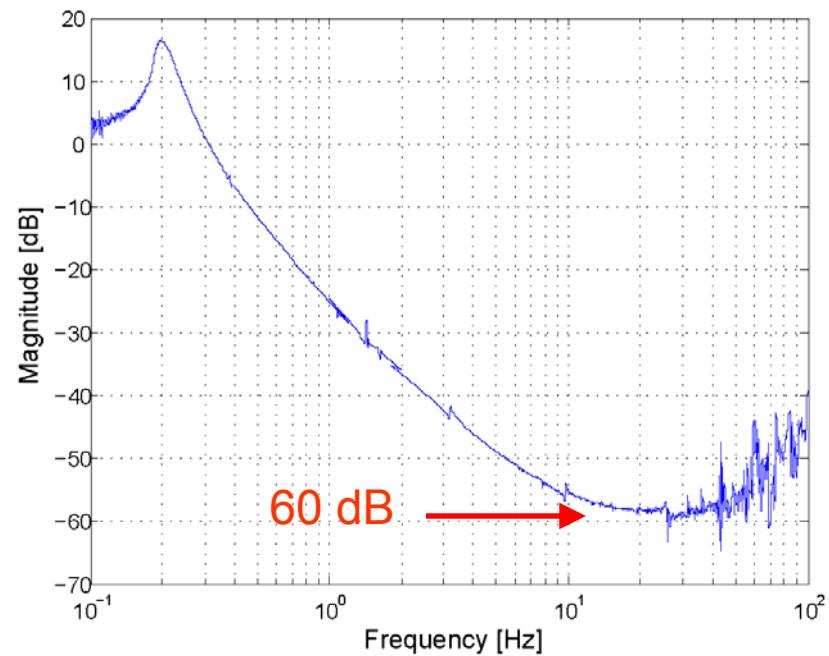
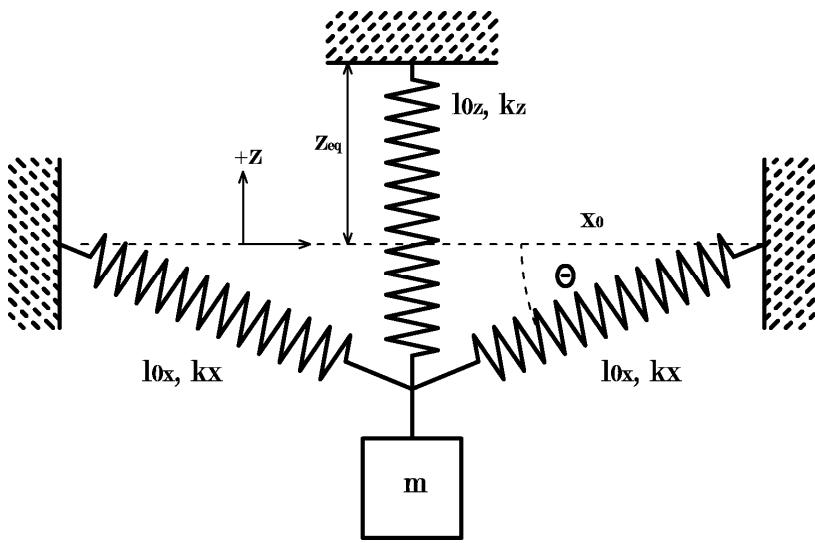
SAS Passive Mechanical Filters

Vertical Isolation: Geometric Anti-Spring Filter (GAS)



GAS working principle

Transmissibility

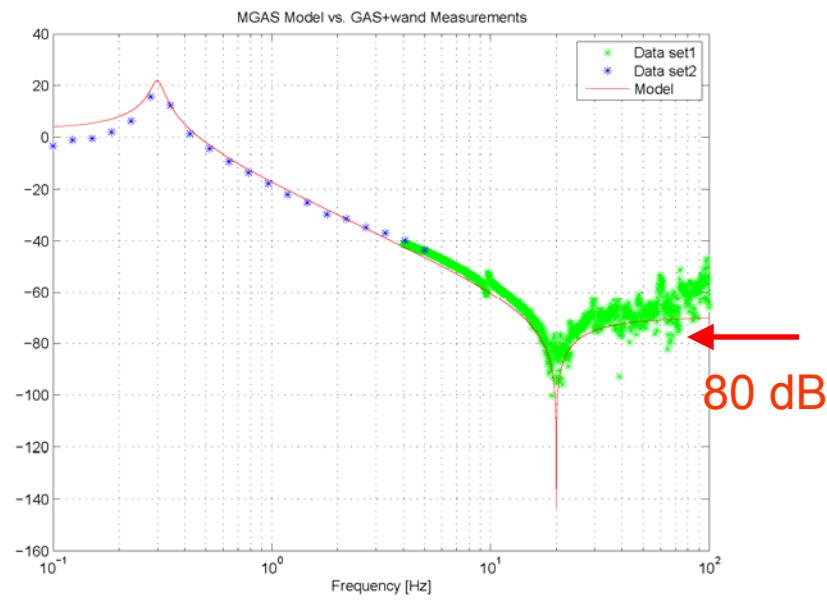
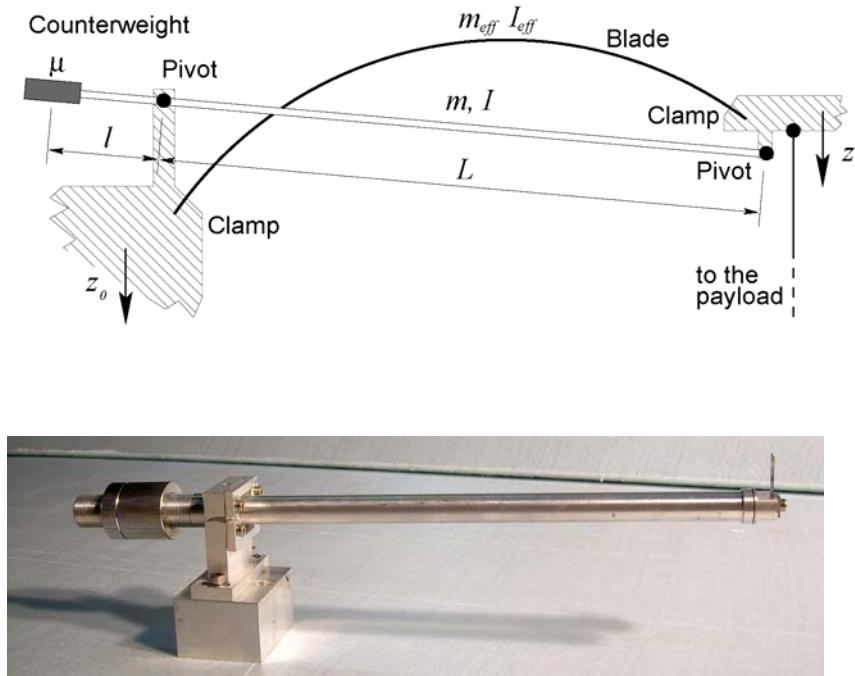


$$k_{eff} = k_z + k_x - \frac{k_x l_{0x}}{x_0}$$

$$H_z(\omega) = \frac{\omega_0^2(1 + i\phi) + \beta\omega^2}{\omega_0^2(1 + i\phi) + \omega^2}$$

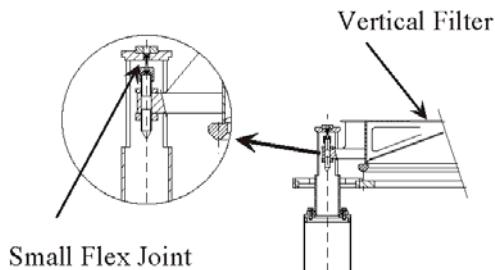
SAS Passive Mechanical Filters

Center of Percussion Compensation for the GAS Filter

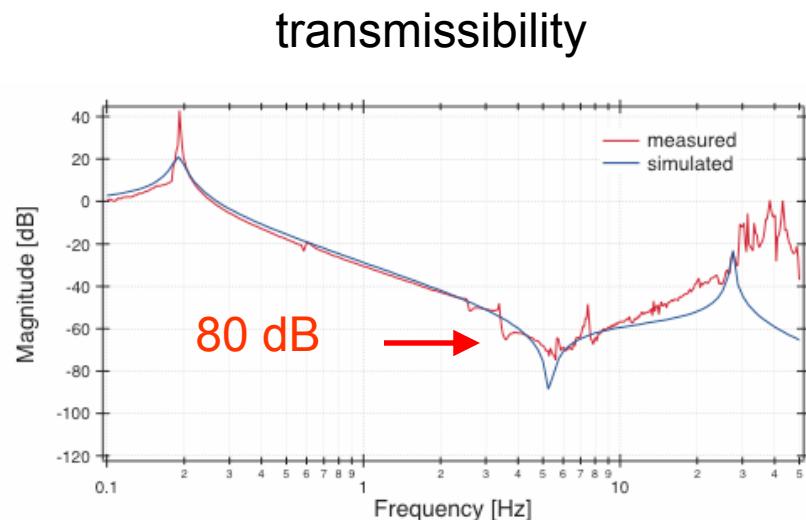
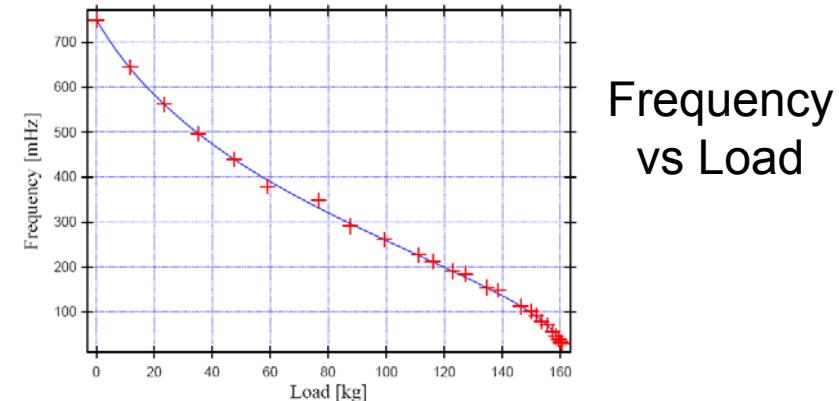
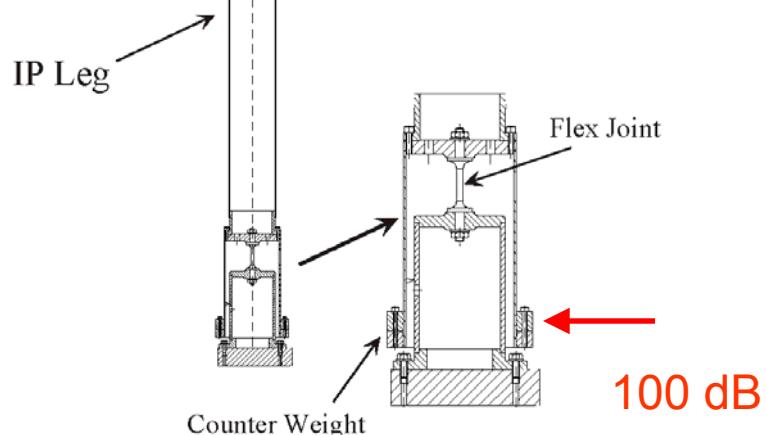


Seismic Attenuation System (SAS) Passive Filters

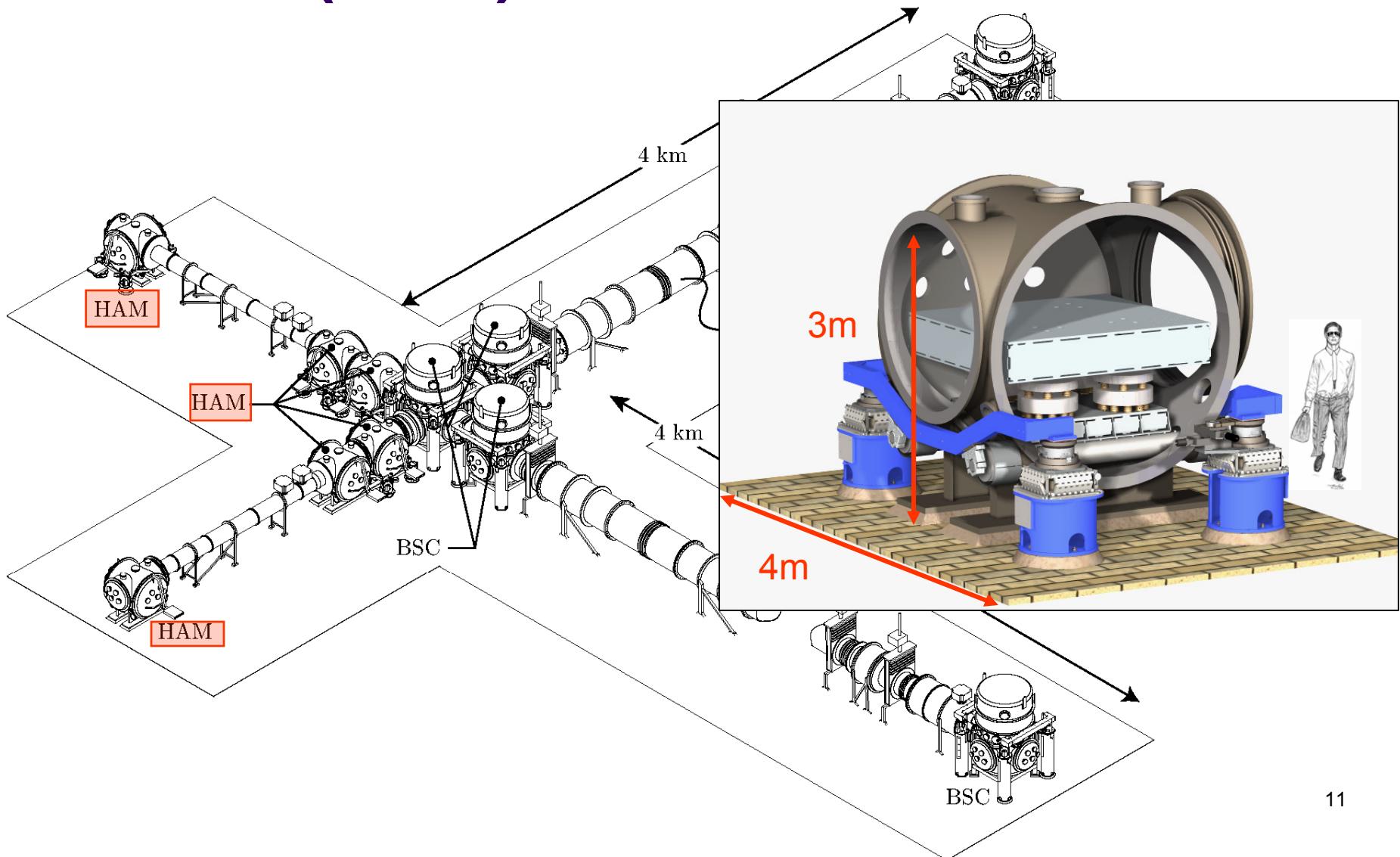
Horizontal Isolation: Inverted Pendulum



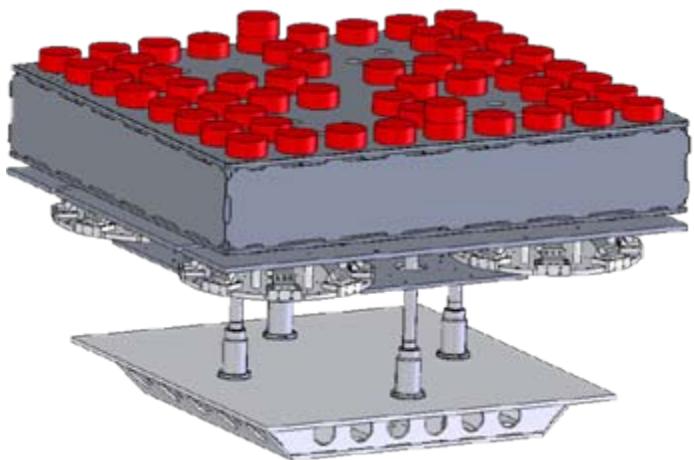
$$f_0 = \frac{1}{2\pi} \sqrt{\frac{k}{M} - \frac{g}{l}}$$



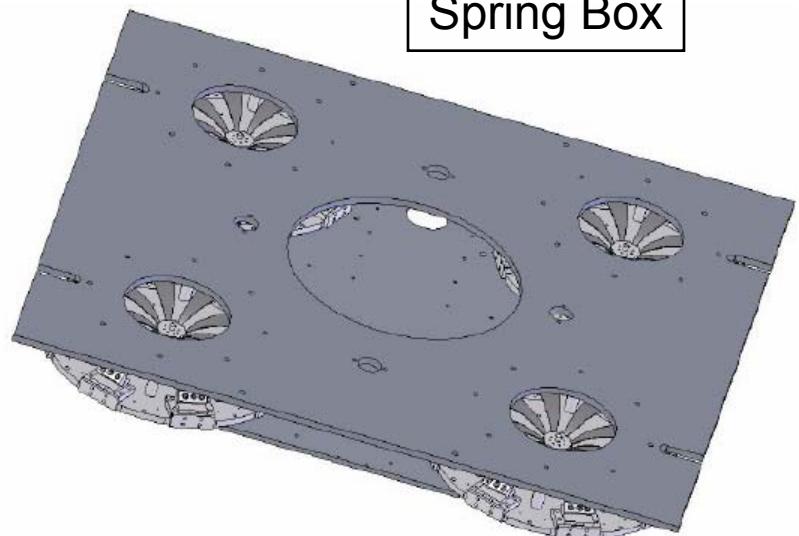
LIGO Horizontal Axis Module (HAM) Chambers



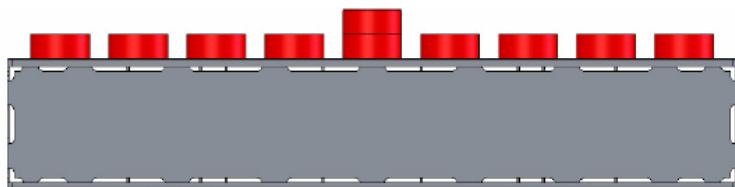
HAM-SAS



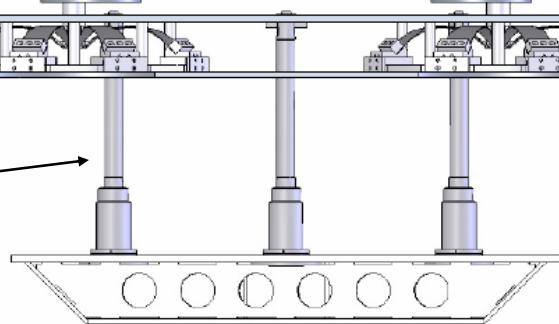
Optics Table



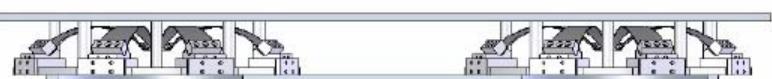
Spring Box



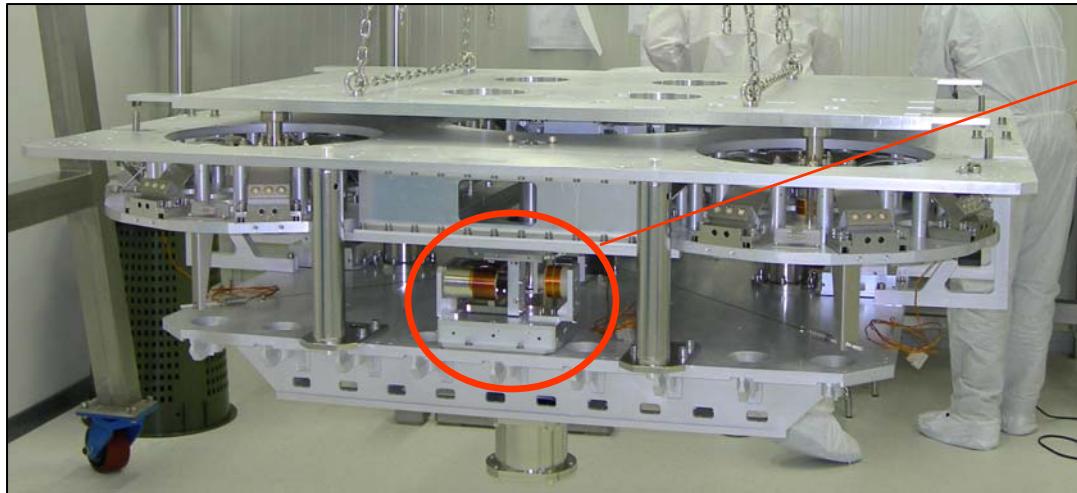
IP



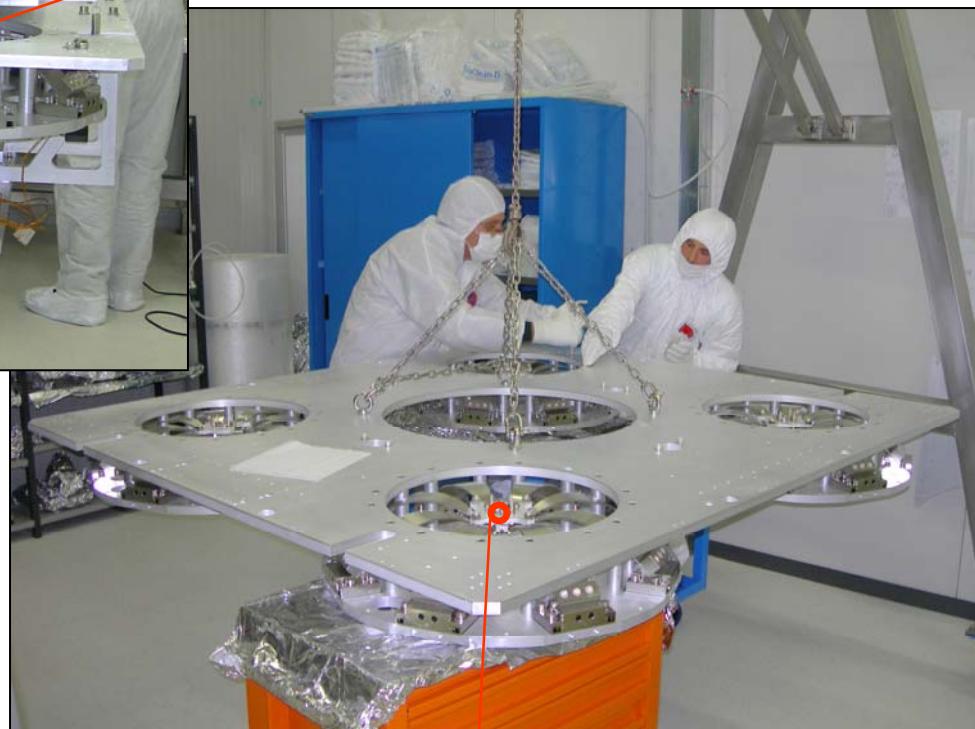
GAS Filters



HAM-SAS construction



Horizontal Sensor and Actuator



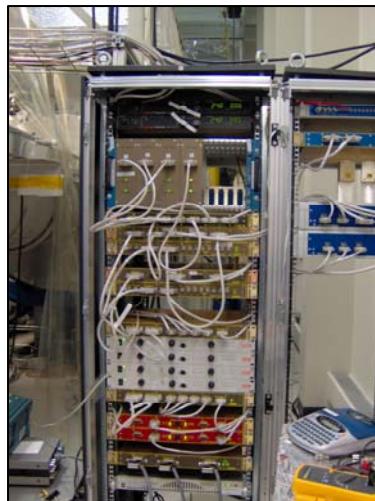
Vertical Sensor and Actuator



HAM-SAS



MIT LASTI HAM Chamber



HAM chamber

electronics

insertion system

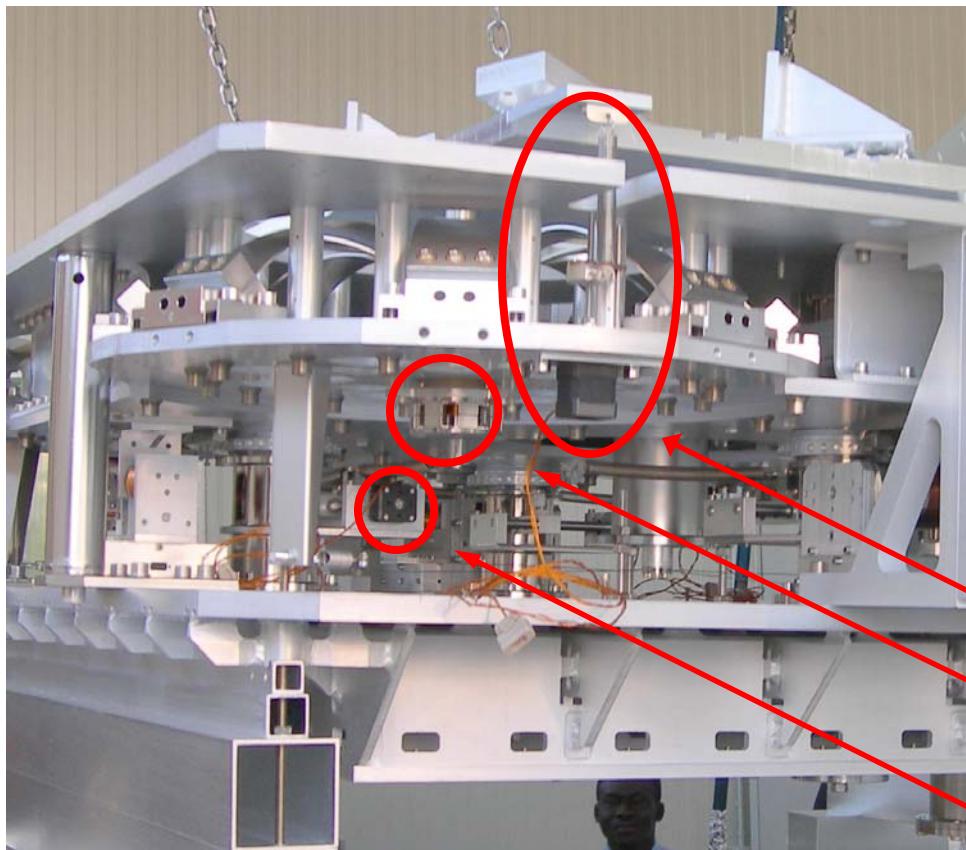
- installation
- mechanical setup
- electronics setup
- sensors setup
- controls software
- commissioning...

Sensors

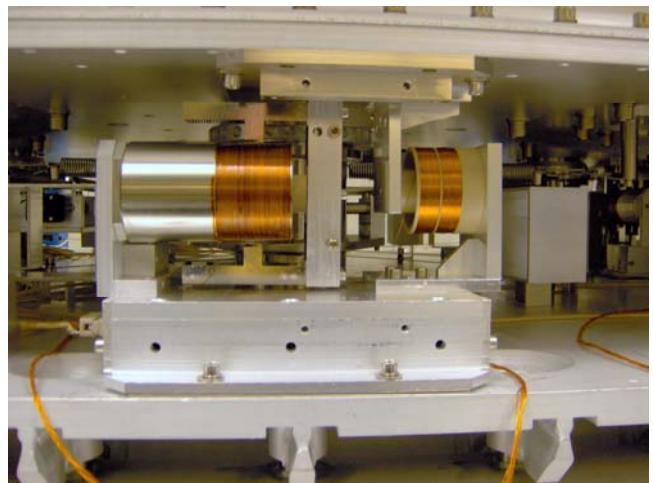
- 8 LVDTs
 - 4 horizontal: position spring box – ground
 - 4 vertical: position optics table – spring box
- 6 L4C witness onboard geophones
 - Inertial sensors of velocity for the DOFs of the optics table
- 3 Guralp onground seismometers
 - Monitor the ground seismic reference

Actuators

- 8 coil actuators coaxial with the LVDTs
- 8 stepper motors set the equilibrium position of the optics table



Horizontal actuator and LVDT

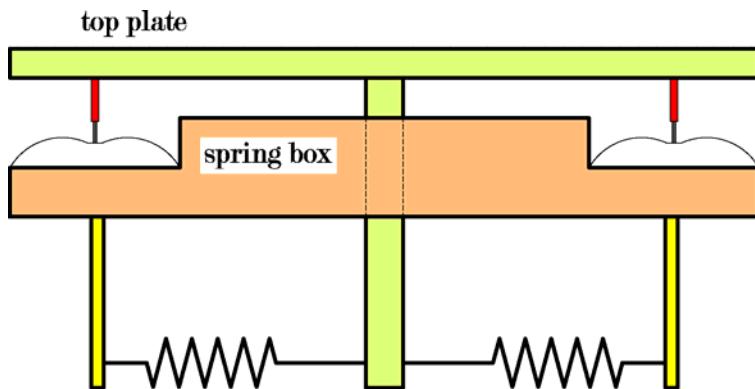


*Vertical stepper motor
Vertical actuator*

Horizontal stepper motor 17

Angular Stabilization

- CM in HAM above the rotation axis
- Very low stiffness of the tilt modes makes the optics table angularly unstable
- ⇒ Solution: to add stiffness exclusively to the angular modes (Rx and Ry)

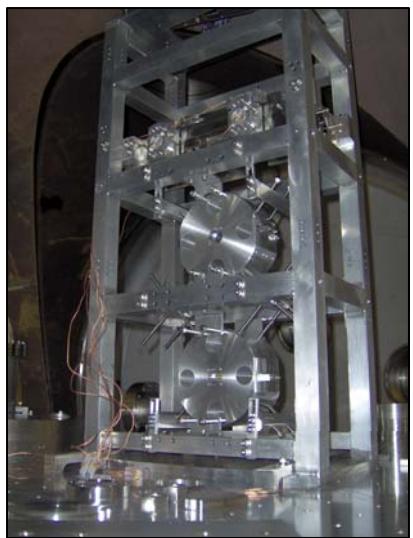
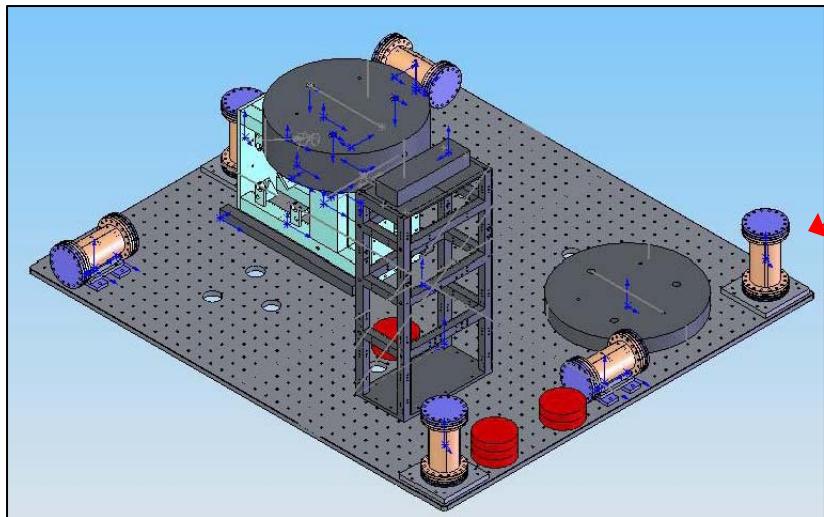


$$k_{tilt}^{(z)} = 4 \left(1 - \frac{l_0}{x_0} \right) k$$



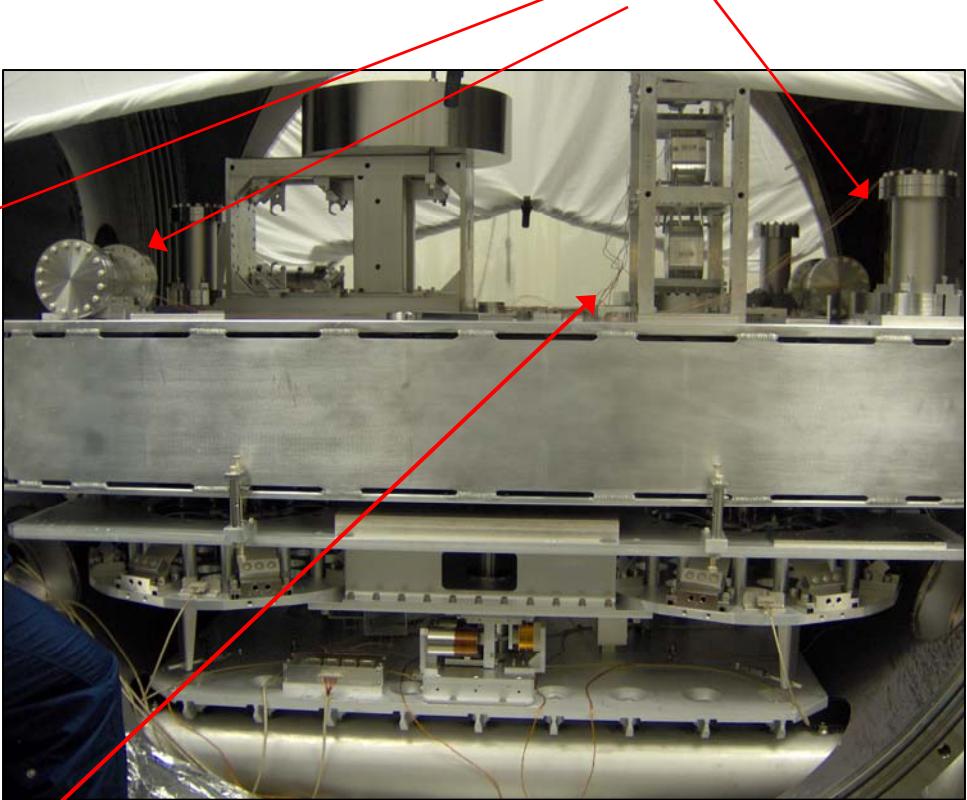
HAM Optics Bench

geophones



optics bench

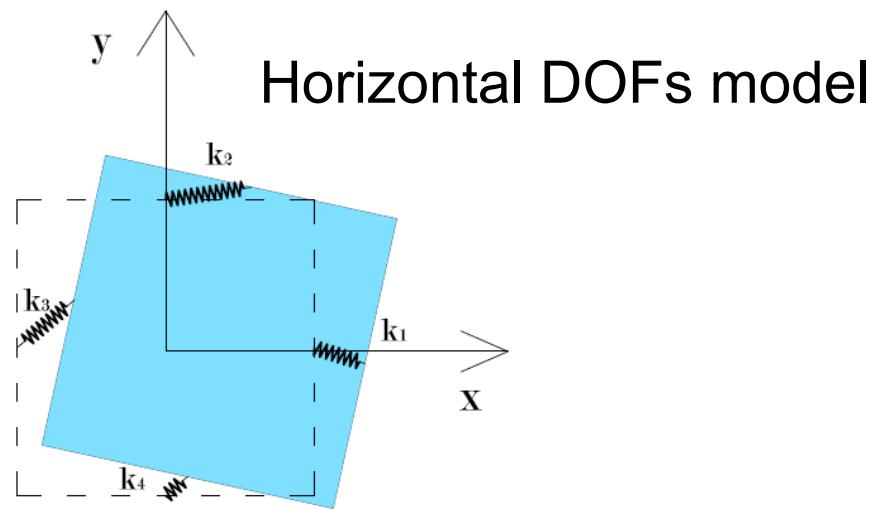
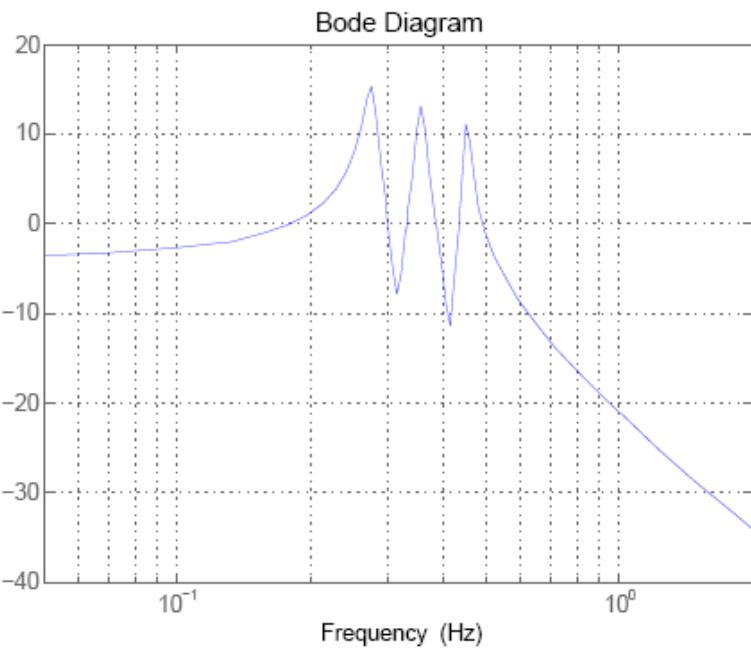
← triple pendulum



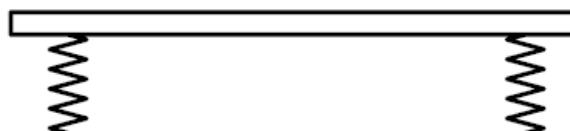
↑
HAM-SAS supporting the
optics table

Normal Modes

- Horizontal and Vertical Degrees of Freedom uncoupled
- 2 independent stiffness matrices

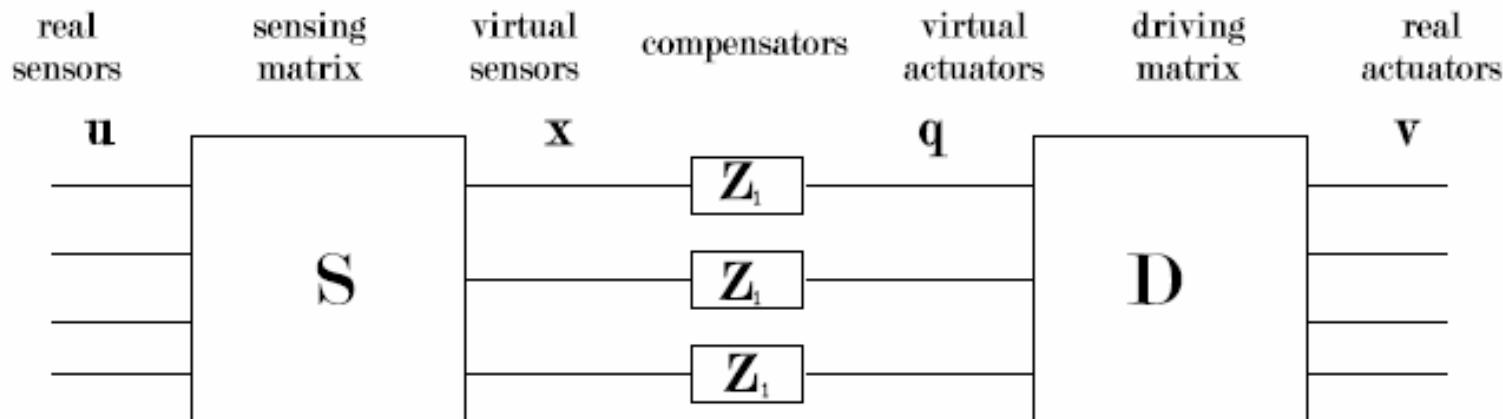


Vertical DOFs model



Sensing and Driving Diagonalization

H = transfer function matrix; $\mathbf{u} = H \mathbf{v}$
 \mathbf{u} =sensors; \mathbf{v} = actuators



$$\mathbf{x} = \mathbf{S}\mathbf{u}$$

$$\mathbf{v} = \mathbf{D}\mathbf{q}$$

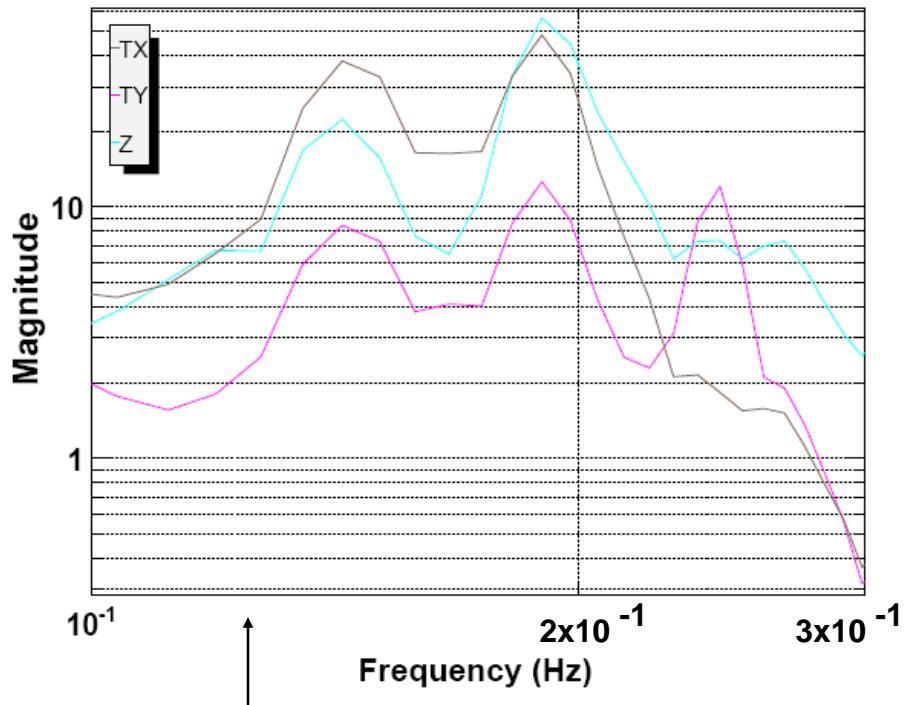
$$\mathbf{x} = \tilde{\mathbf{H}}\mathbf{q}$$

$$\tilde{\mathbf{H}} = \text{diagonal transfer function matrix}$$

Virtual Sensors

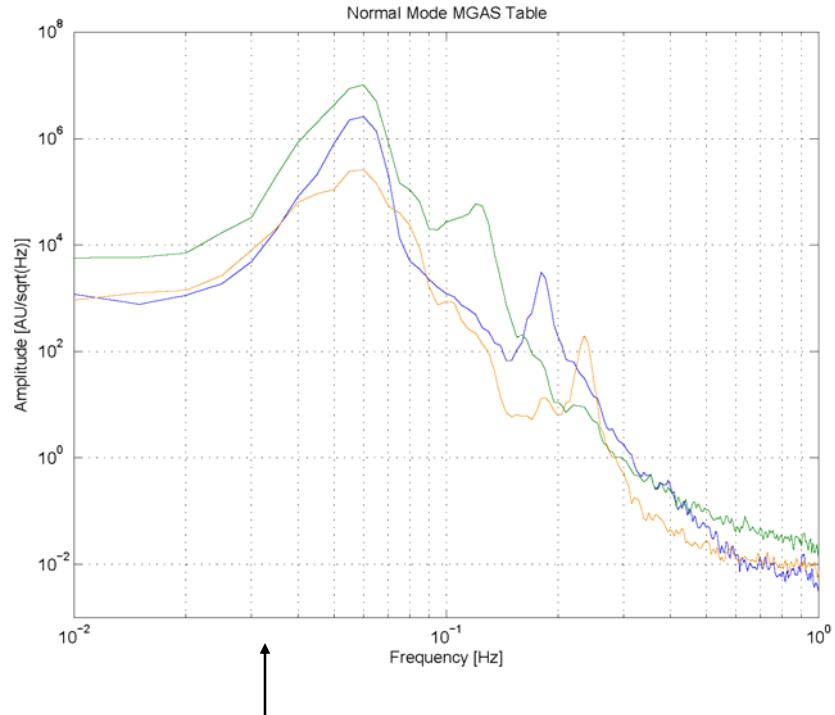
Vertical Power Spectra

Upstream the Sensing Matrix



Virtual Geometrical Sensors

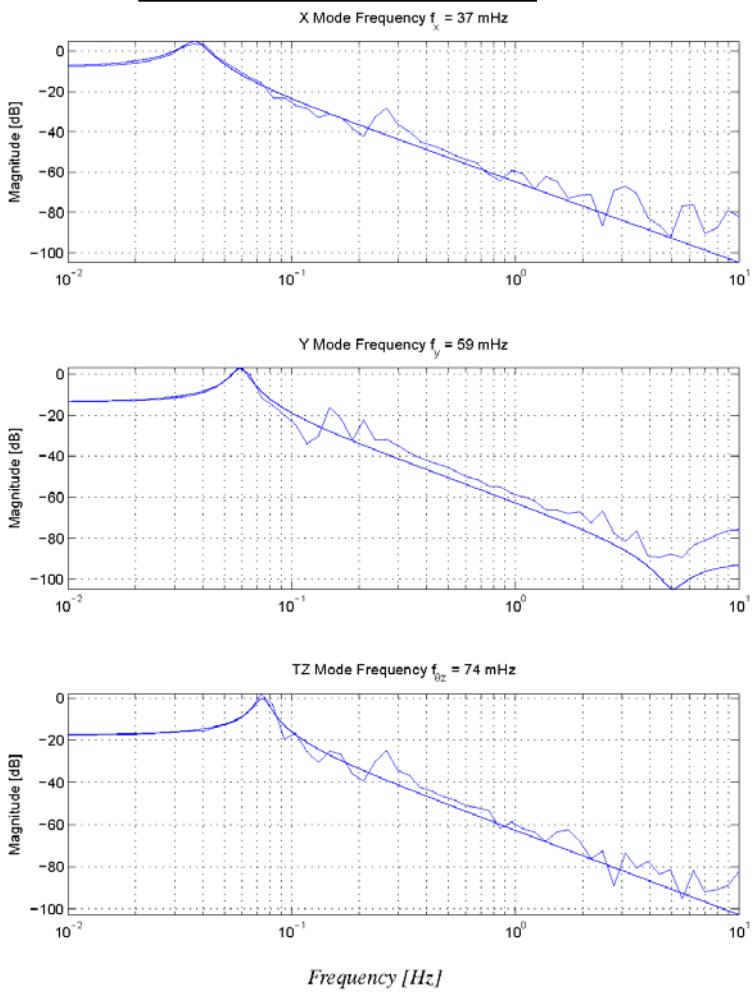
Downstream the Sensing Matrix



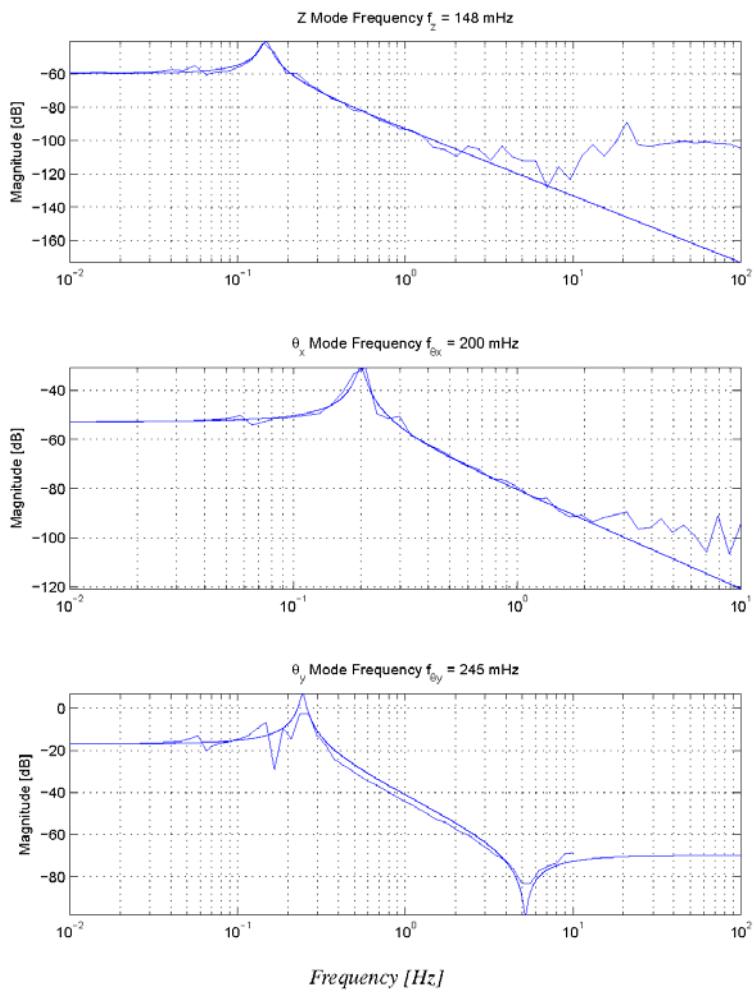
Virtual Modal Sensors

Modal Transfer Functions

Horizontal DOFs



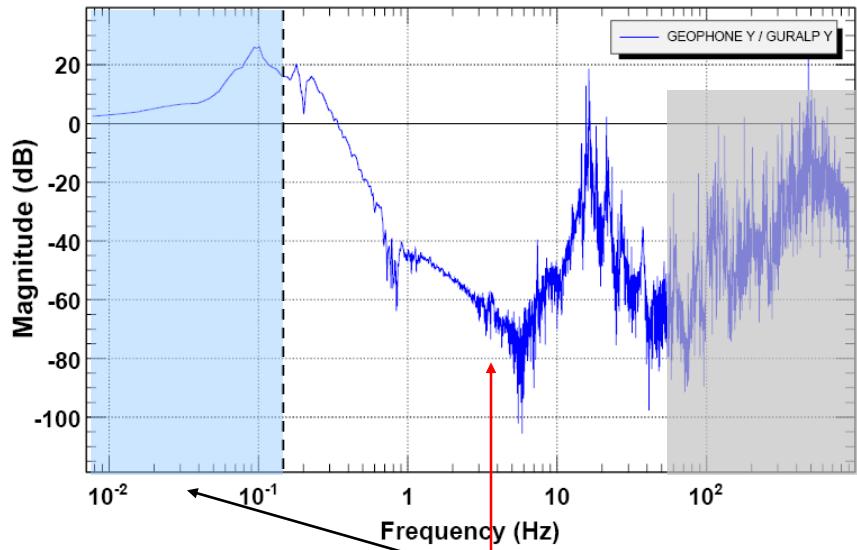
Vertical DOFs



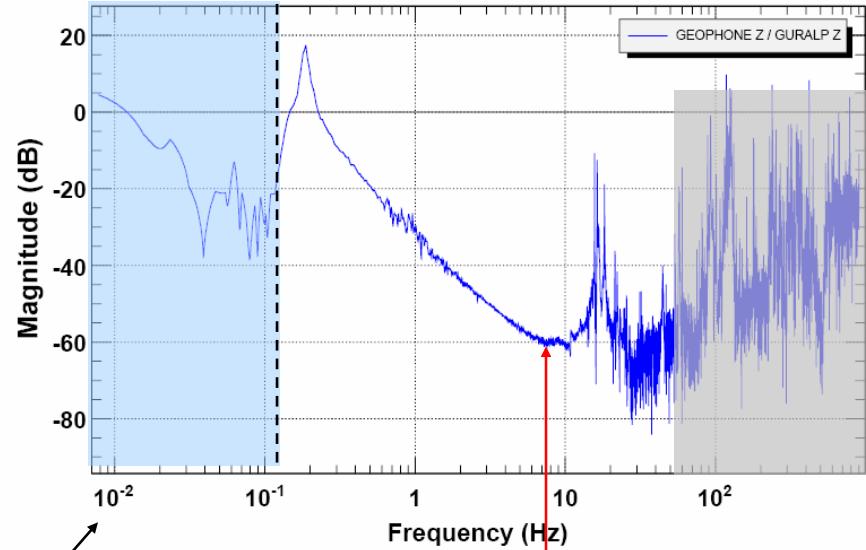
Transmissibilities

Geophones/Seismometers

Horizontal



Vertical



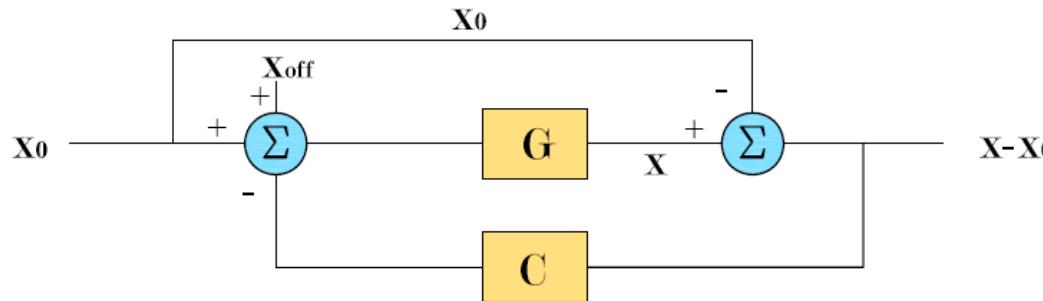
-70 dB

low coherence regions

-60 dB

HAM-SAS control strategy

input
noise



LVDT
sensors

$$TF_{cl}(s) = \frac{G(s)}{1 + G(s)C(s)}$$

GC = open loop transfer function

unitary gain frequency

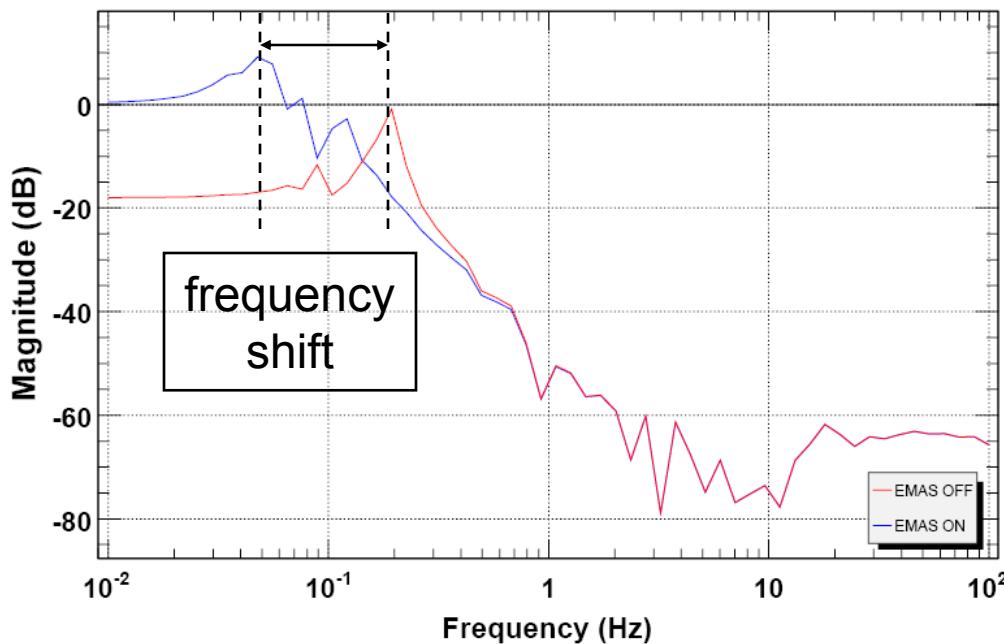
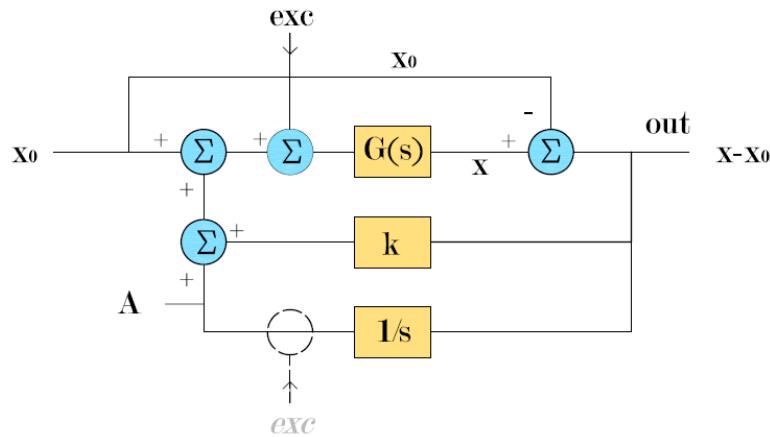
$$|GC(f_{ug})| = 1$$

Minimal controls

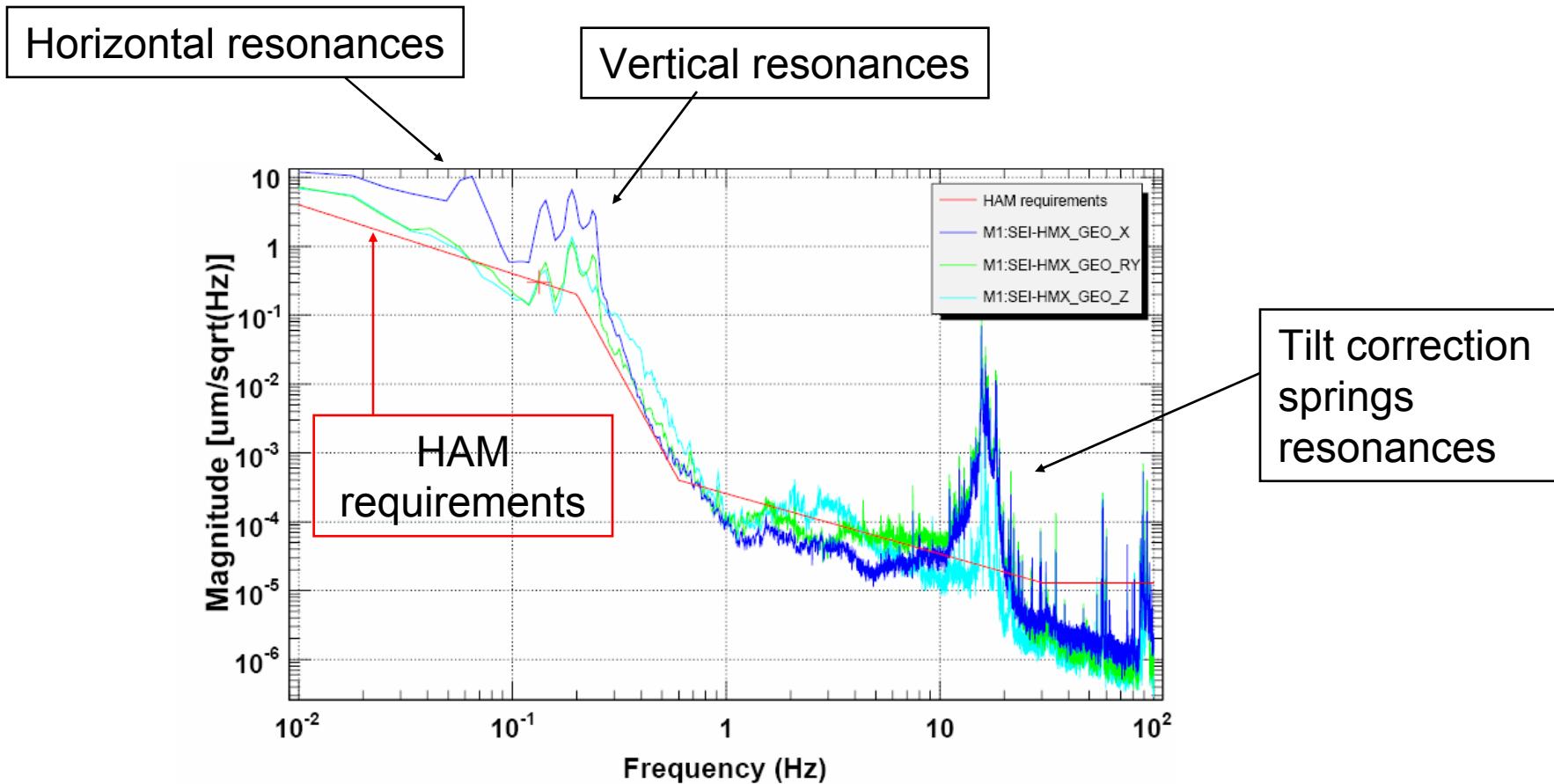
- Position Control (DC)
 $C(s) = a/s$
- Velocity Control (Damping)
 $C(s) = a*s$
- Stiffness Control (EMAS)
 $C(s) = -k$

Stiffness Control (Electromagnetic Anti-Spring)

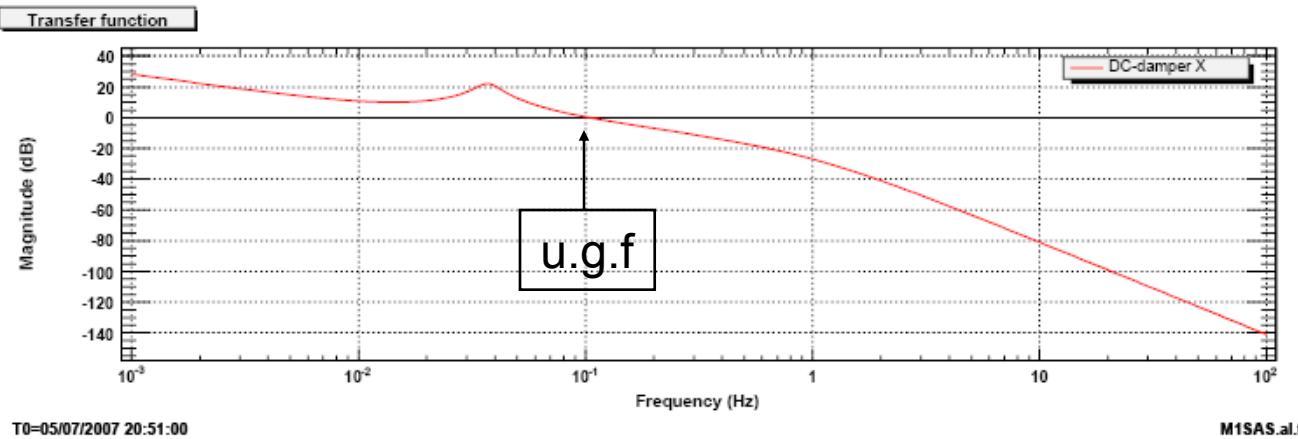
Control loop



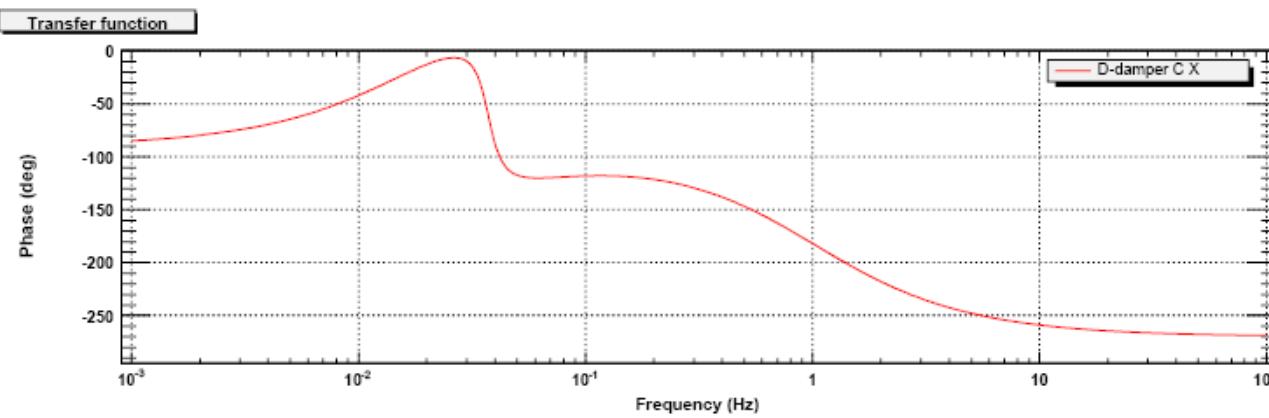
Passive Performance



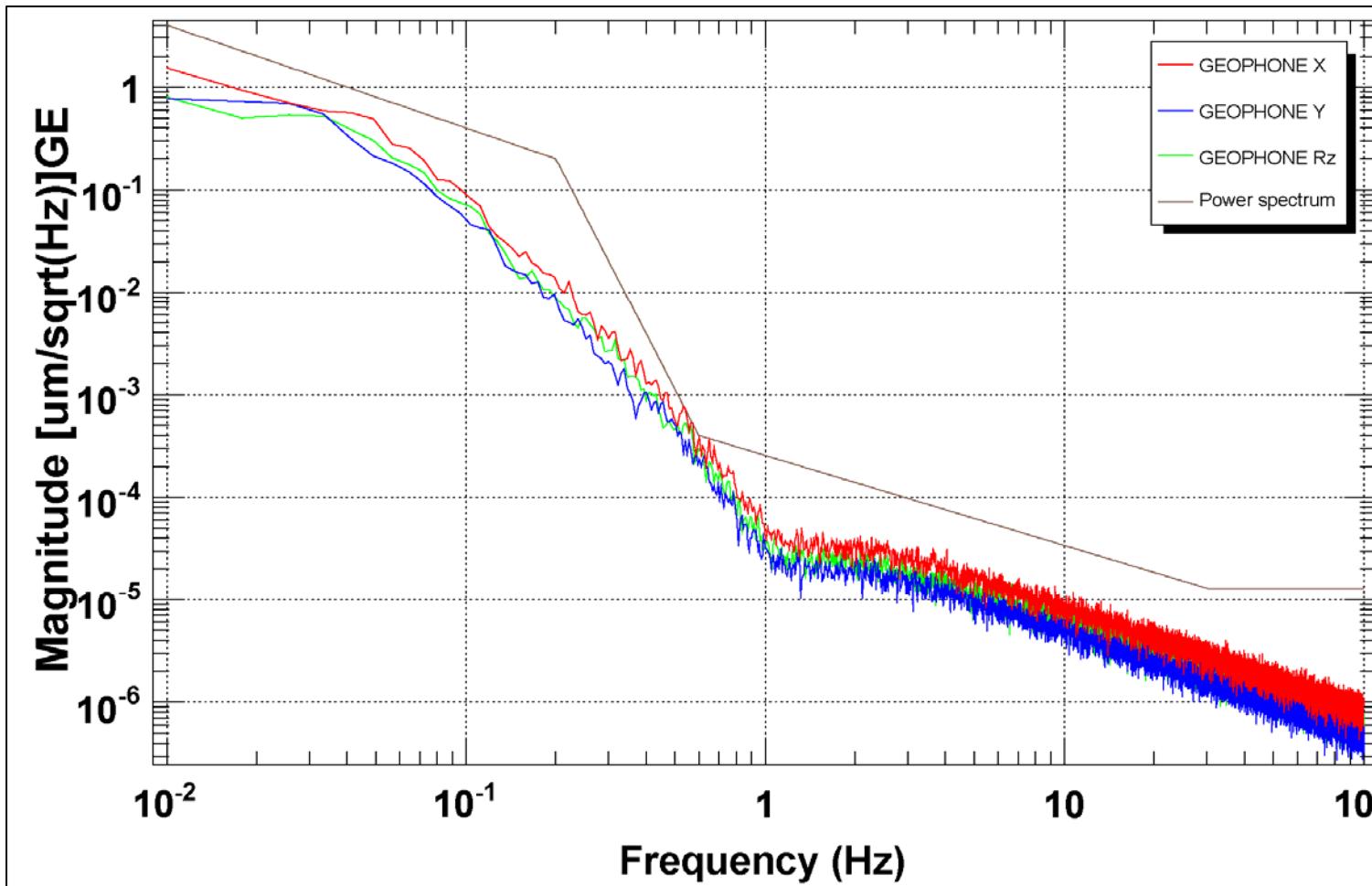
DC-Damping Control



Open loop
transfer
function

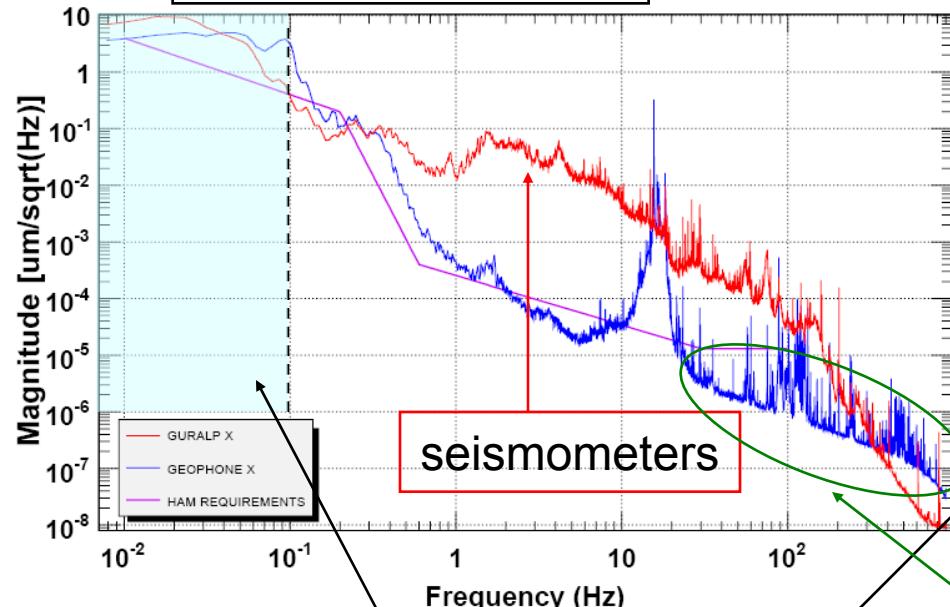


Geophones floor noise

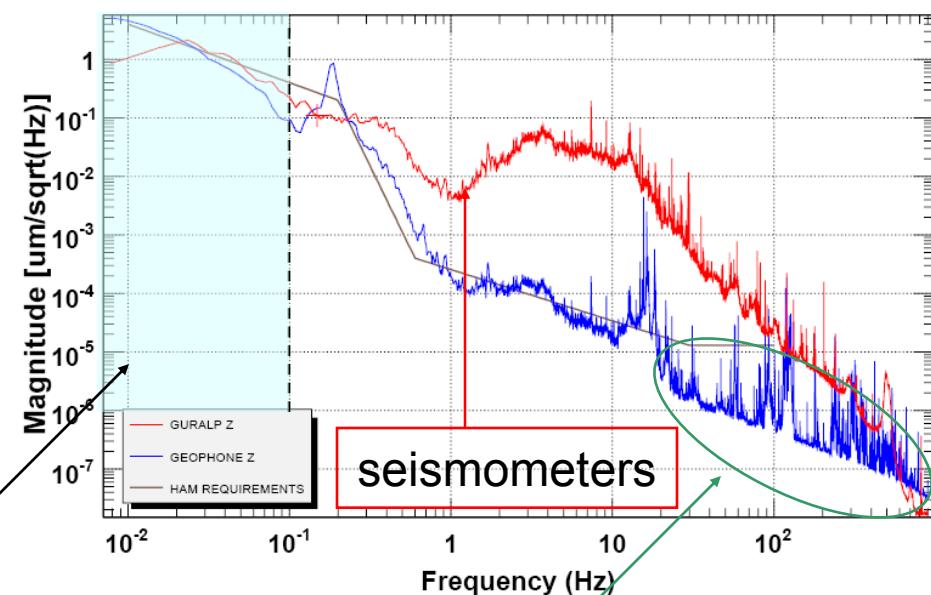


Performance with LVDT control

Horizontal Spectrum



Vertical Spectrum



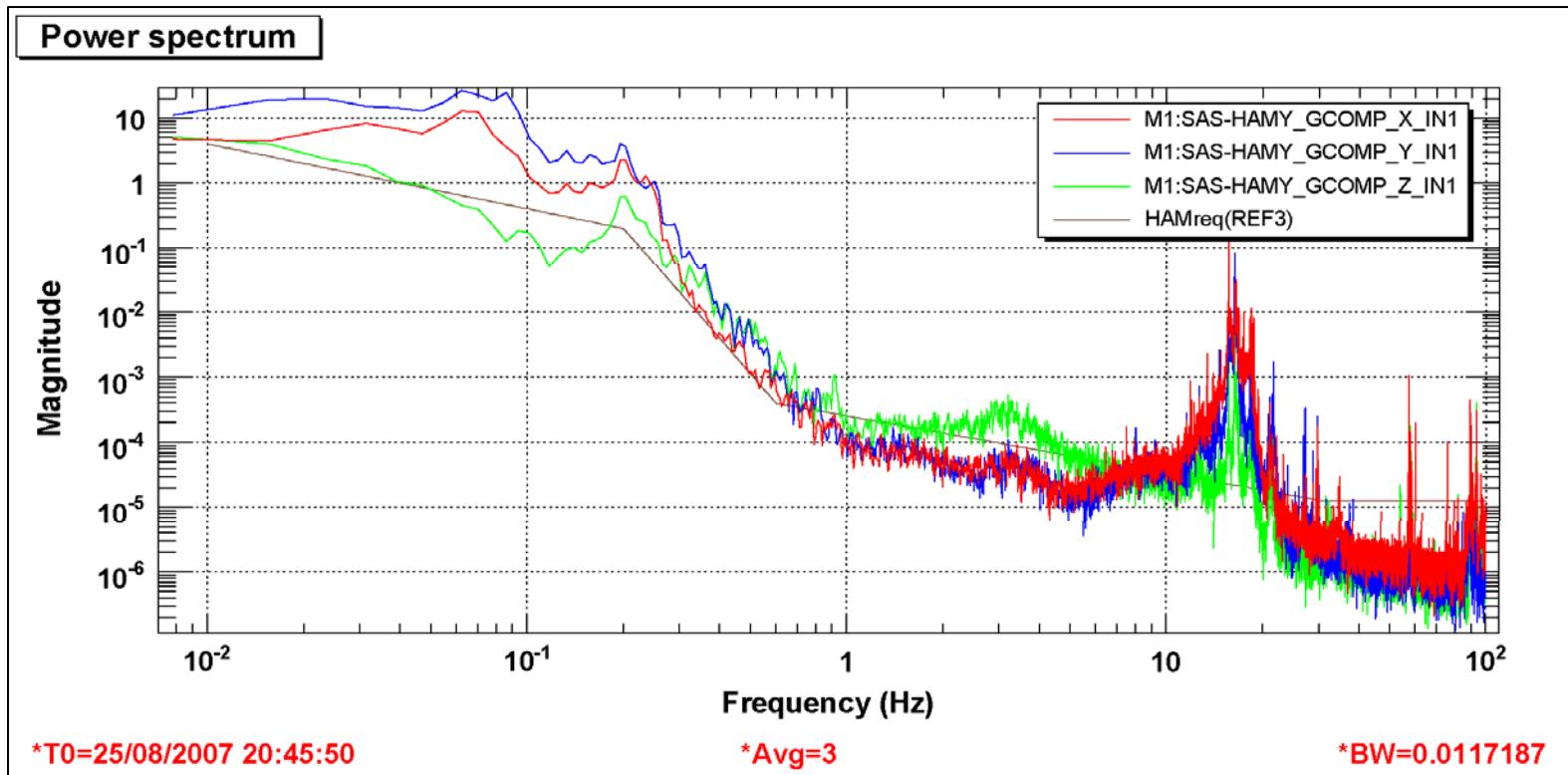
ultra low frequency region:
unreliable sensors

geophones noise floor

Spectra with the Position Control and the Damping Control Implemented

6 DOFs Active Control

Onboard geophones feedback



Accidents along the way..

- Tilt instability
- Coil driver failure
- Temperature roller coaster at LASTI
(“If you don’t like the weather in New England, just wait a few minutes”, Mark Twain)

Possible improvements

- Resonance dampers
 - To cancel the 20 Hz spurious resonance
- Mechanical low frequency tuning
 - To improve the attenuation
- COP correction (both GAS & IP)
 - To gain an order of magnitude in attenuation magnitude at high frequency
- Tilt correction optimization

Conclusions

- LIGO compatibility
 - Facility
 - UHV
 - CDS Control Systems
- Reliability and Redundancy
- Controllability
- Stability
- Seismic Attenuation Requirements Satisfaction
- Tilt Seismic Noise Limited

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Boston, Cambridge, USA



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