

Stochastic Group Status



G. CELLA

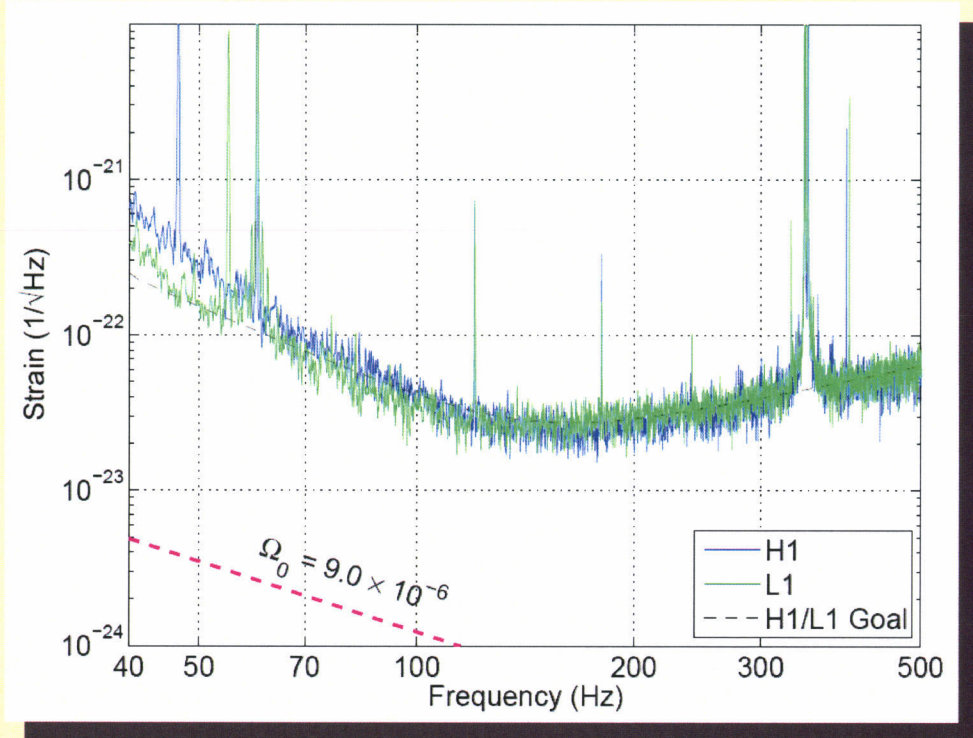
ON BEHALF OF THE LSC/VIRGO STOCHASTIC GROUP

Update on isotropic search: Analyzed Data



- New result uses data up to Jan 22, 2007.
 - About 140 days of effective observing time.
- Currently analyzing the rest of the run:
 - Duty cycle and sensitivity improved during the run.
 - Expect 2x more data and ~2x better final sensitivity.
 - Expect to complete the analysis ~2 months after v4 h(t) is available.
- Also looking at H2L1.
 - Expect ~10% sensitivity improvement.

Typical strain sensitivities during S5.

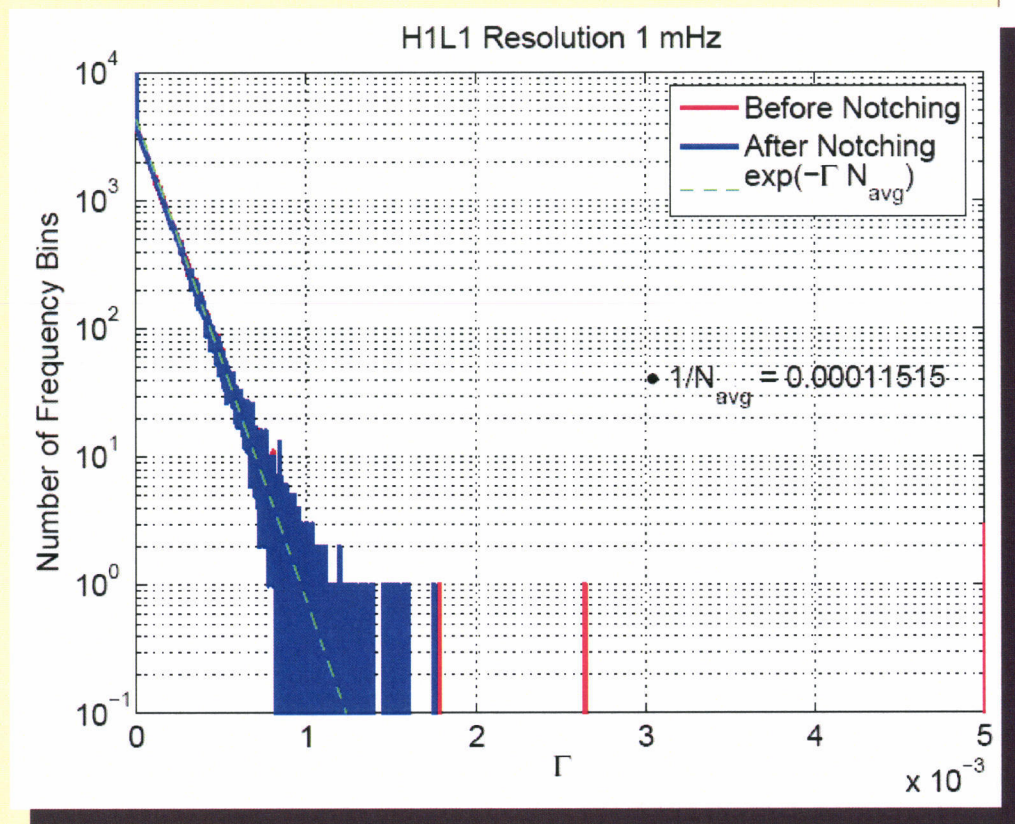


S5: H1L1 Coherence



- Calculated using S5 data up to 04/07.
 - Using the same data segments as in stochastic analysis.
- Very clean:
 - 48.0 Hz (3rd harmonic of 16 Hz).
 - 108.85 Hz – simulated pulsar.
 - 60 Hz (only 0.1 Hz resolution).
 - Additional very weak lines at 46.45 Hz and 47.58 Hz (10 mHz resolution).
 - ✦ Likely instrumental.
 - ✦ Notching them has negligible effect on the final result.
 - ✦ Currently still included.
- No sign of the 1 Hz harmonics, which were present in the S4 search.

$$\text{Coh} = \text{CSD}^2 / \text{PSD}_1 / \text{PSD}_2$$

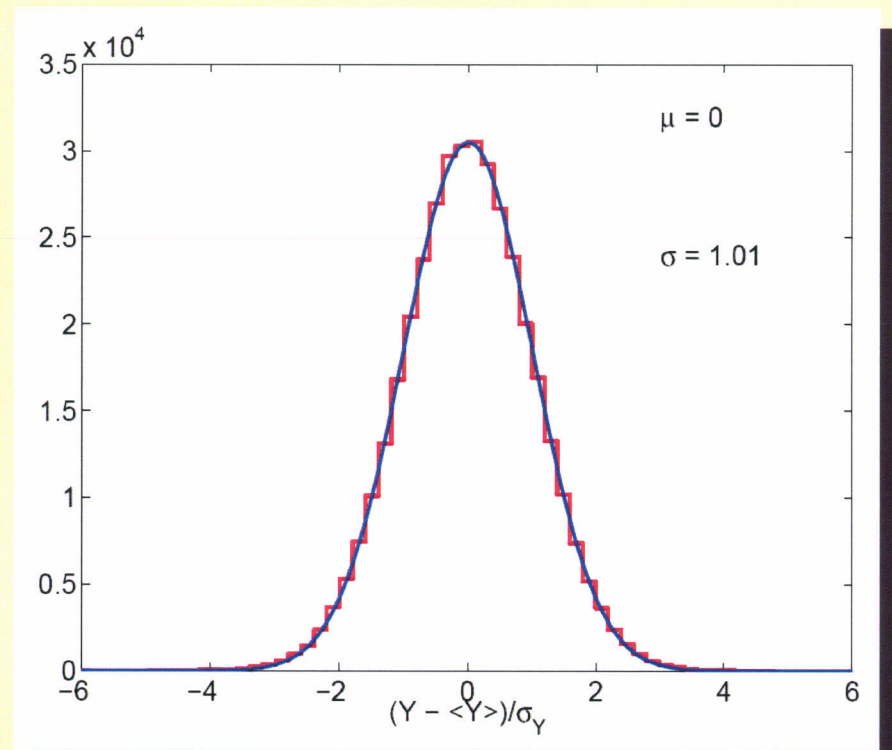


S5: Data Quality



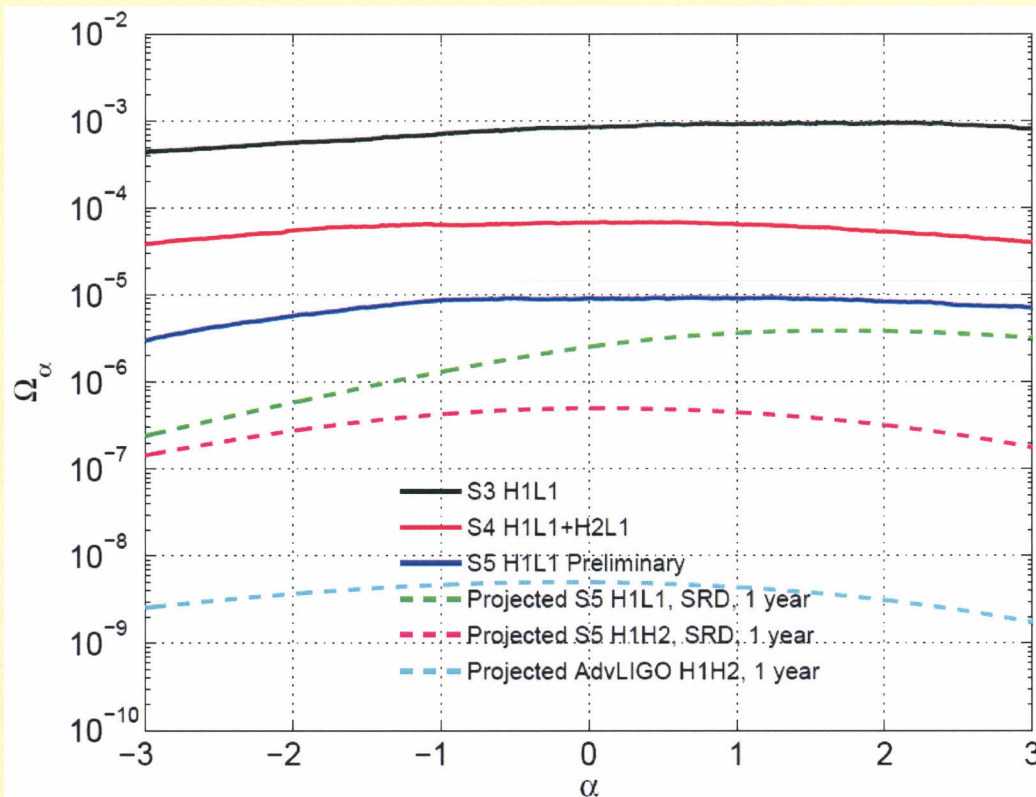
- I Frequency notches:
 - » 48.0 Hz
 - » 60 Hz harmonics
 - » Simulated pulsar lines
- I Data Quality Cuts:
 - » Require $|\sigma_{i\pm 1} - \sigma_i| / \sigma_i < 20\%$ (removes 4-5% of the segments).
 - » Reject a handful of segments identified to contain glitches in coherence studies.
- I All cuts defined **blindly** (with unphysical time-shift).
 - » Exception: a stretch of data was found to have bad v3 h(t) after the box was opened.
- I Residual distribution consistent with gaussian.
 - » Passes the Kolmogorov-Smirnov test.

Residual distribution
is Gaussian.



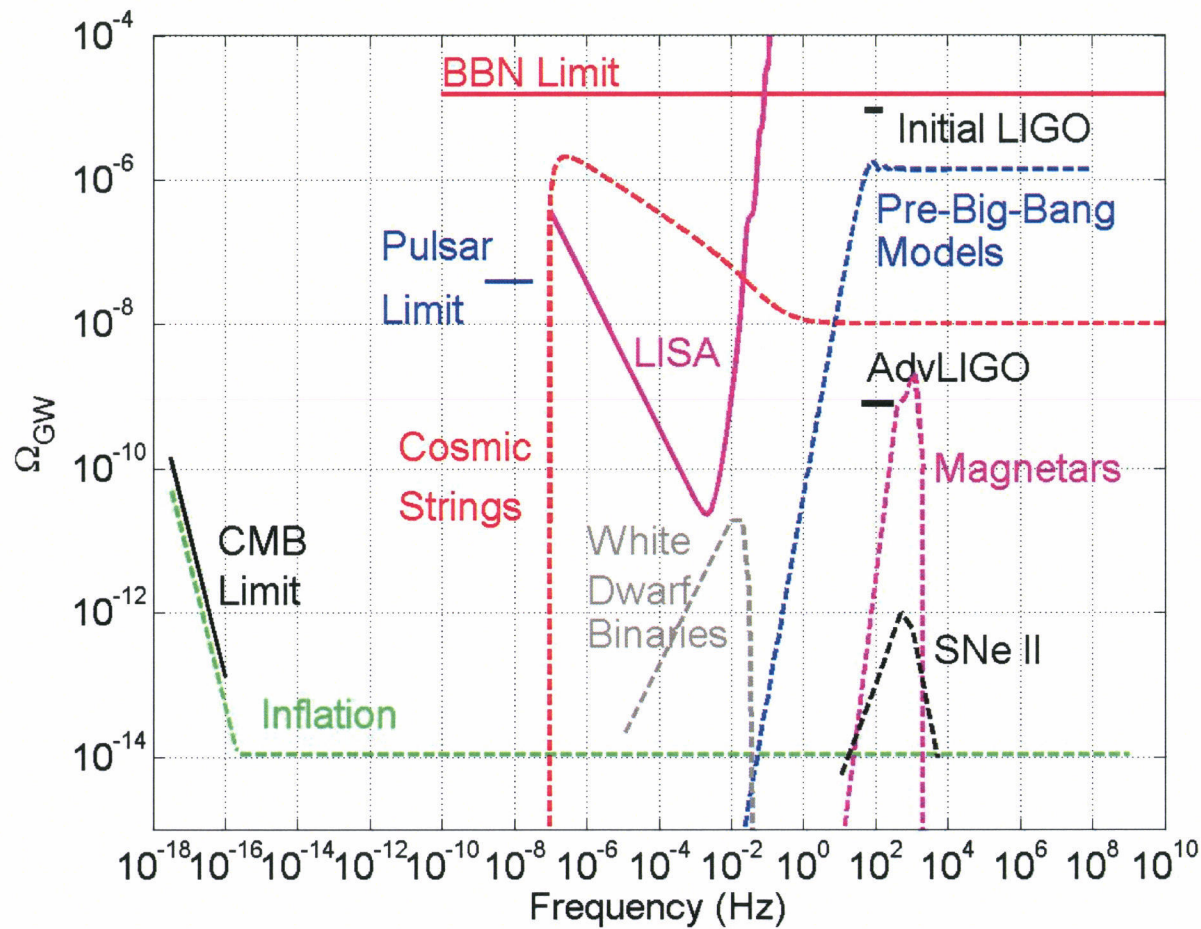
Reach as a Function of Spectral Slope

$$\Omega_t(f) = \Omega_\alpha (f/100 \text{ Hz})^\alpha$$



- S3 H1L1: Bayesian 90% UL.
- S4 H1L1+H2L1: Bayesian 90% UL.
- S5 H1L1 preliminary: Bayesian 90% UL.
- Expected S5: design strain sensitivity and 1 year exposure.
- AdvLIGO: sensitivity optimized for binary neutron star search, and 1 year exposure.

Landscape



- Surpassed BBN bound
- Beginning to probe models.

H2L1 coherence studies (up to 22 jan 2007)

• Lines

Freq	Range
60.0	59.9 - 60.1
128.0	
430.3	
485.7	

$$\Delta f = 10^{-1} \text{ Hz}$$

Freq	Range
128.00	127.99 - 128.01

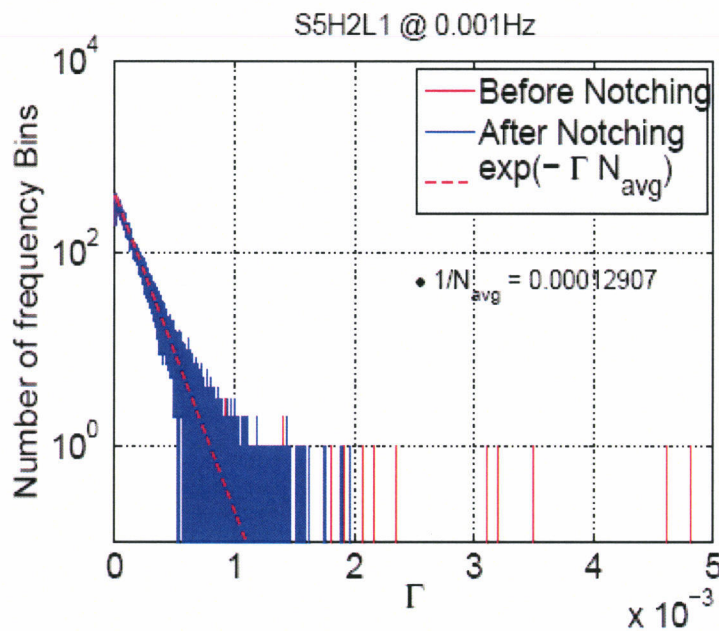
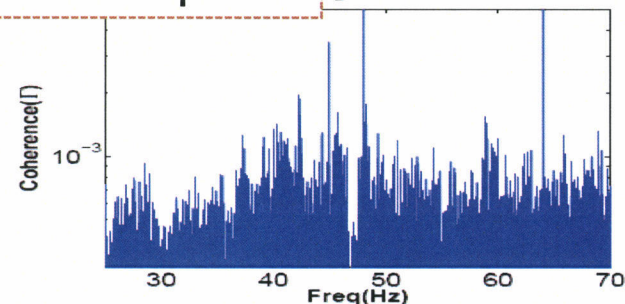
$$\Delta f = 10^{-2} \text{ Hz}$$

Freq	Range
44.912	44.912 - 44.913
48.000	47.999 - 48.000
64.000	
80.000	
100.000	
108.848	
128.000	
200.000	
256.000	

$$\Delta f = 10^{-3} \text{ Hz}$$

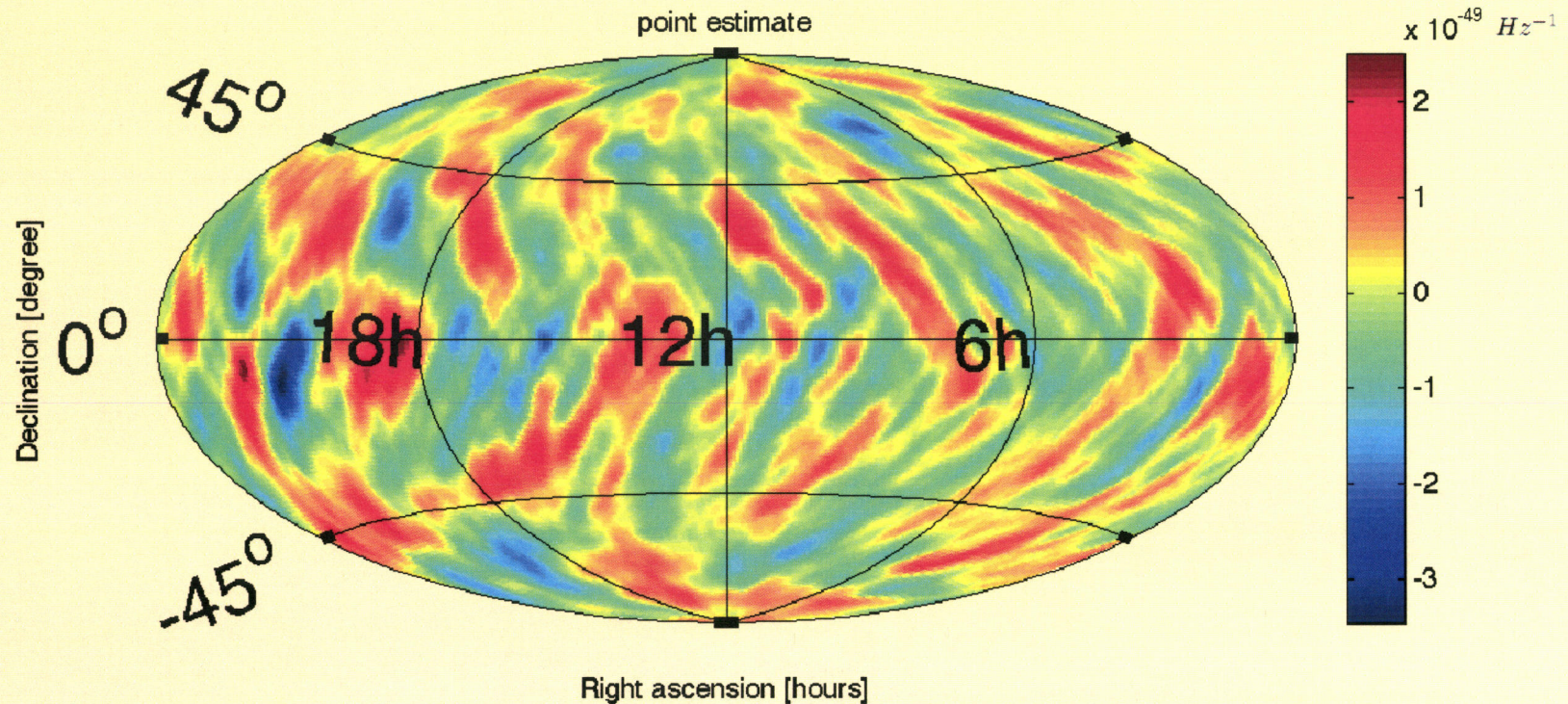
- Power line
- 16 Hz harmonics
- Pulsar injection
- Not identified

Dip around 40 Hz @ 0.001 Hz



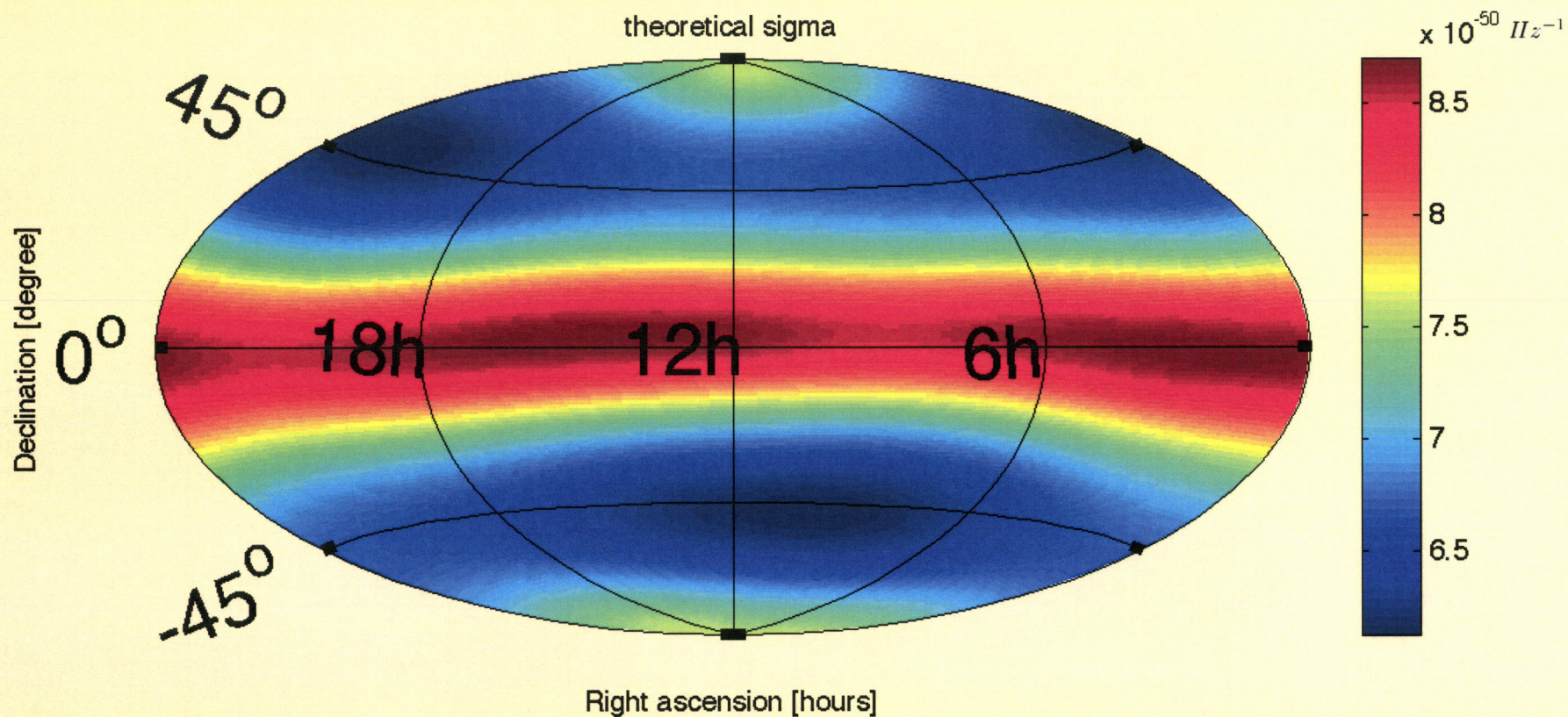
Preliminary.
No data
quality
applied yet.

S5 first year preliminary results: Point Estimate

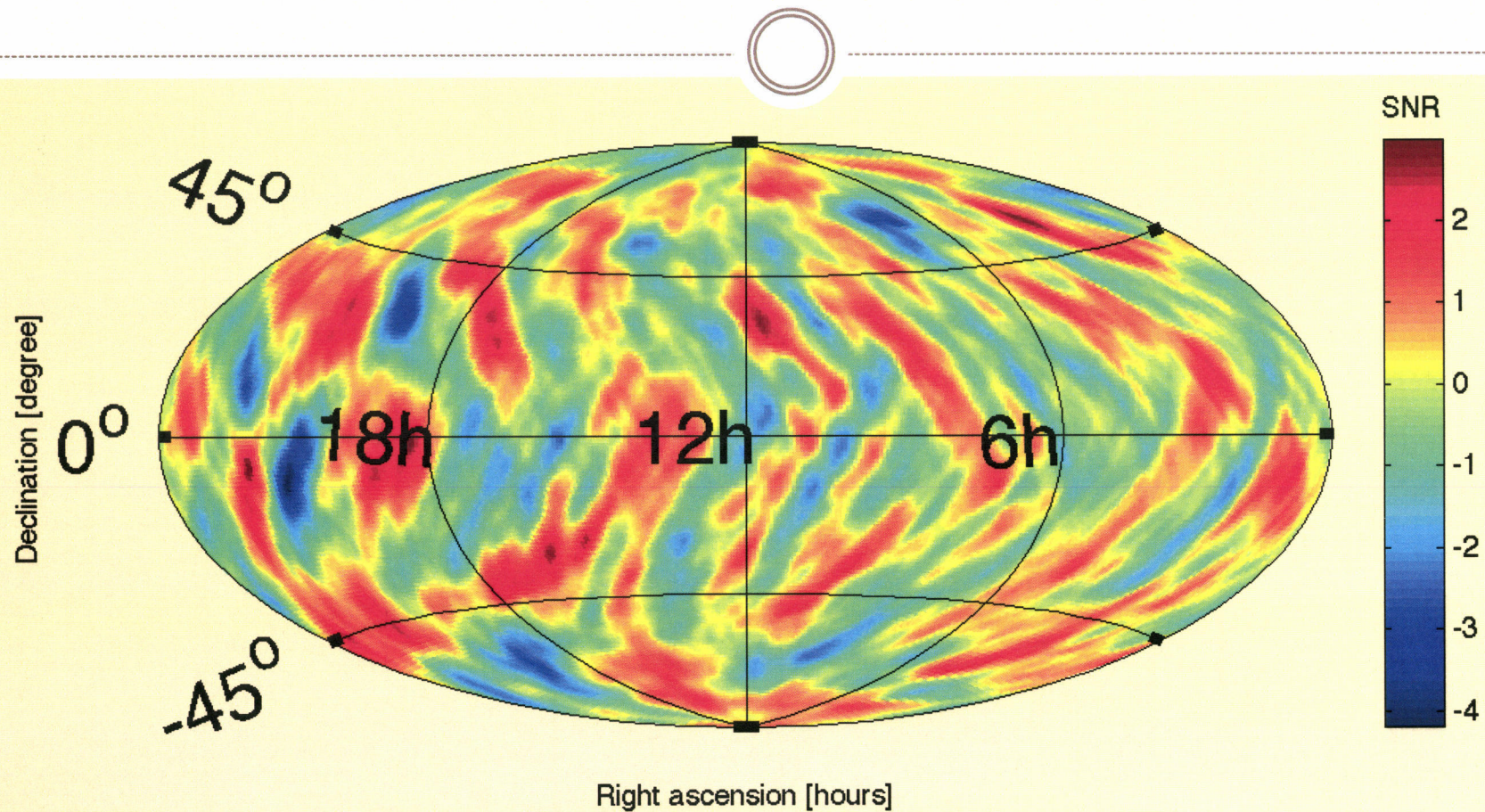


Vetoed 3529 out of 364371 60-second segments
(0.96852%)

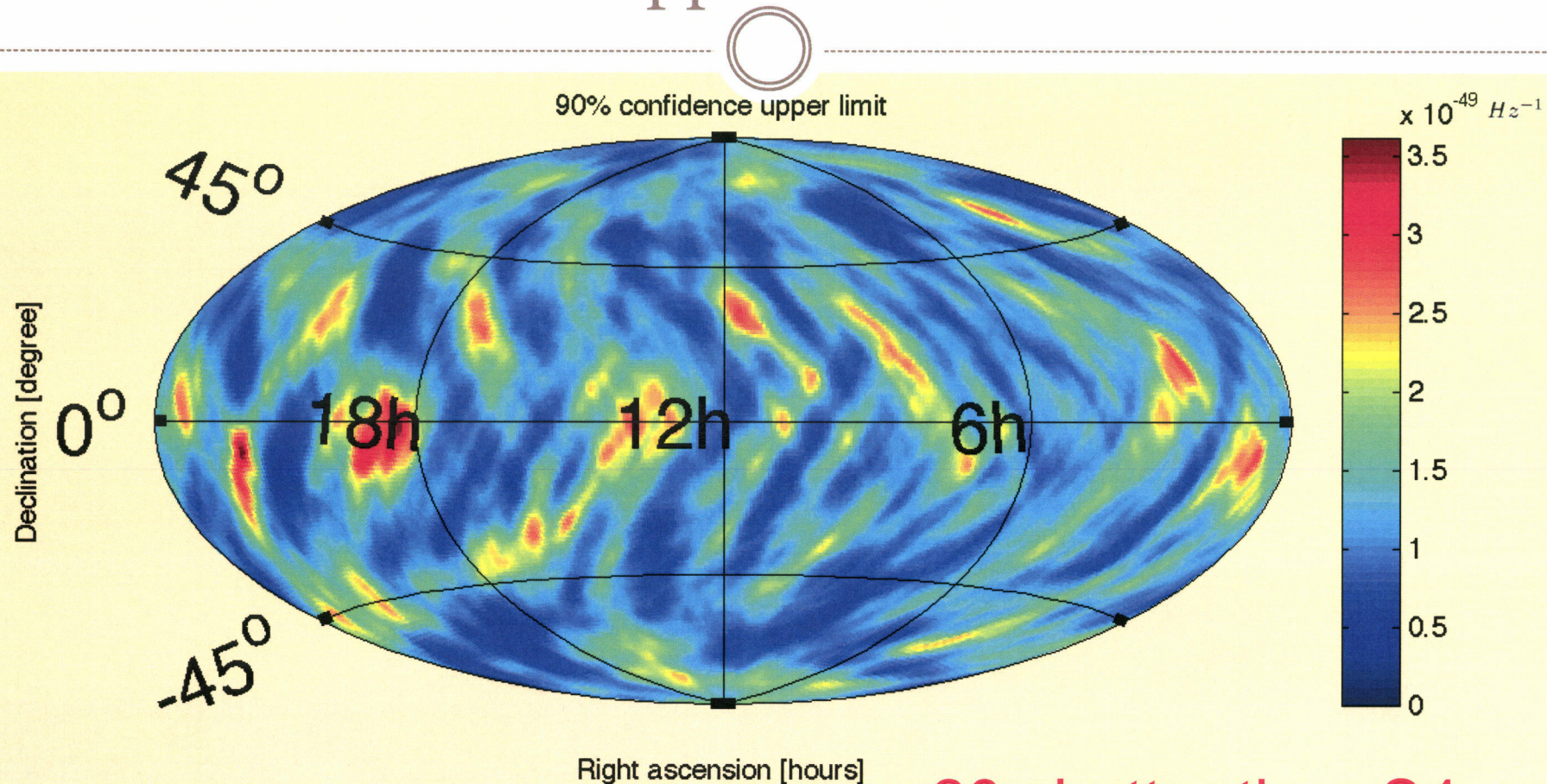
S5 first year preliminary results: Theoretical σ



S5 first year preliminary results: SNR



S5 first year preliminary results: 90% Upper Limit



~20x better than S4

Maximal upper limit: $3.62193\text{e-}49$ @ ra=18.333333, decl= -2.000000

Minimal upper limit: $3.92539\text{e-}50$ @ ra=19.333333, decl= 31.000000

Spherical harmonics decomposition



- Decompose power on sky in terms of spherical harmonics Y_{lm} rather than pixels \square natural basis associated with Earth's rotation
- Deconvolving antenna pattern may be easier since beam correlation matrix Γ has:
 - fewer elements (multipoles vs. pixels)
 - symmetry ($\Gamma_{lm,l'm'}=0$ if $\Delta l=\text{odd}$; $\Gamma_{lm,l'm'} \approx 0$ if $m \neq m'$)
- Still some degeneracy between responses to certain Y_{lm} 's
- Reproduces isotropic and (approximates) radiometer results as special cases!!

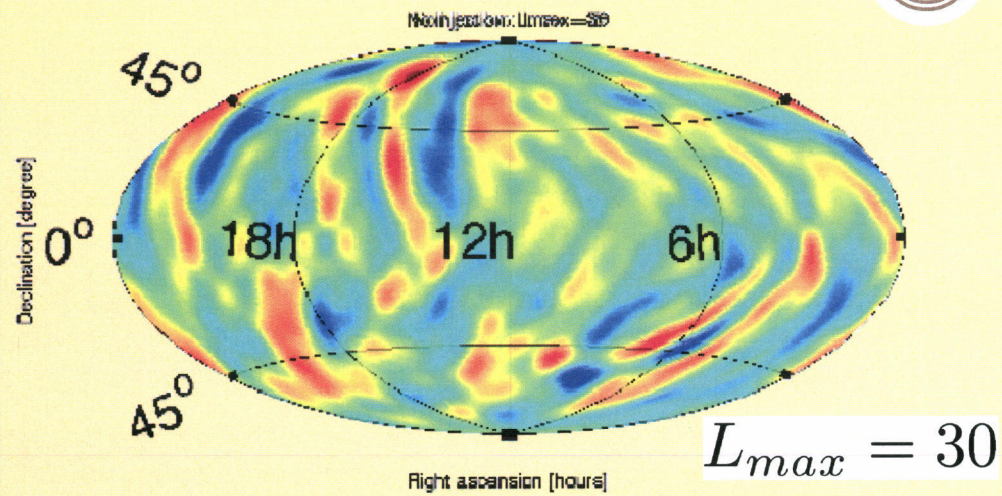
Spherical harmonics decomposition:

Status

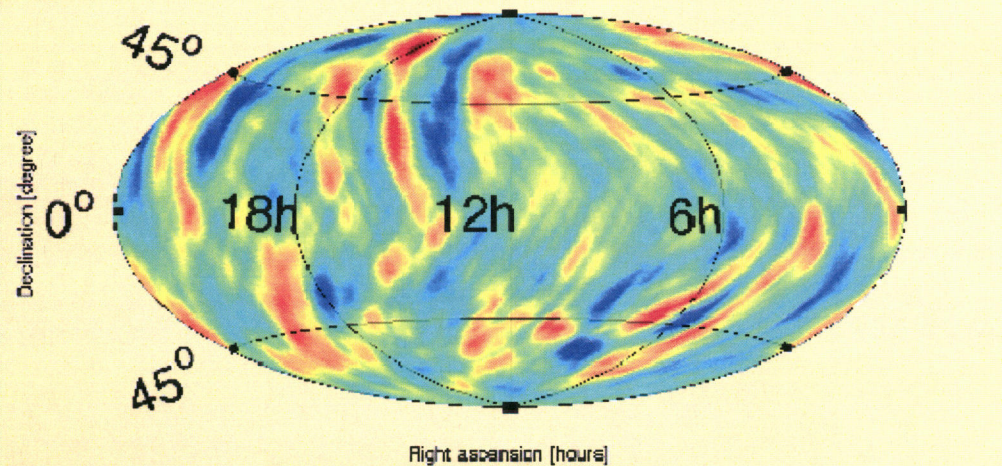


- Analysis routines written and tested (normalisation factors worked out)
- Injections routines now allow for arbitrary spatial distributions
- Currently testing pipeline via software injections (multipole moments, point sources, etc.) into one sidereal day of S5 data (~4 hours)
- Agreement between SpH, isotropic, and radiometer searches as expected
- Post-processing routines for overlapping segments still needed

SpH vs radiometer (no injection, 1 sidereal day S5)



Spherical harmonic
decomposition

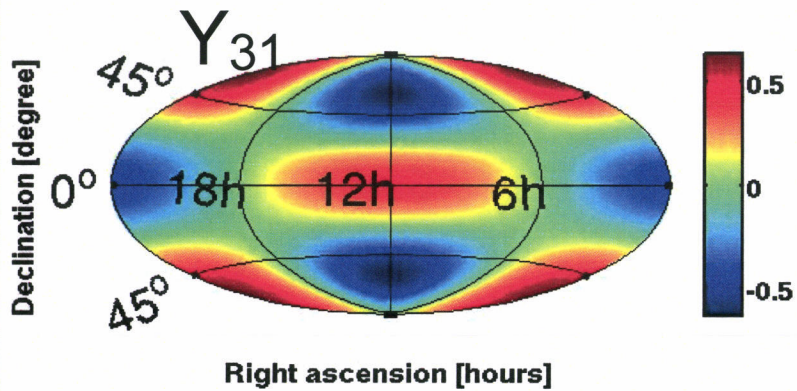


Radiometer

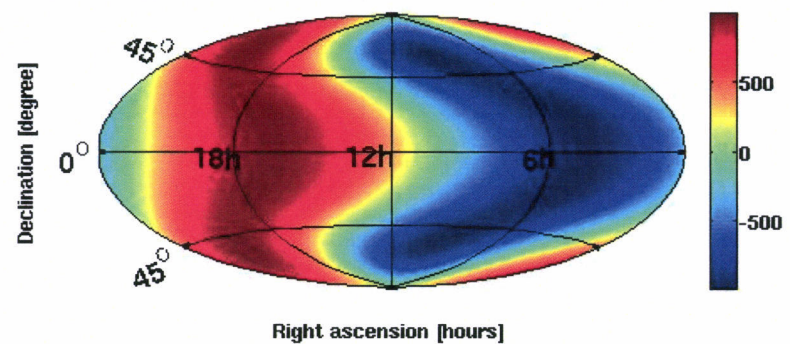
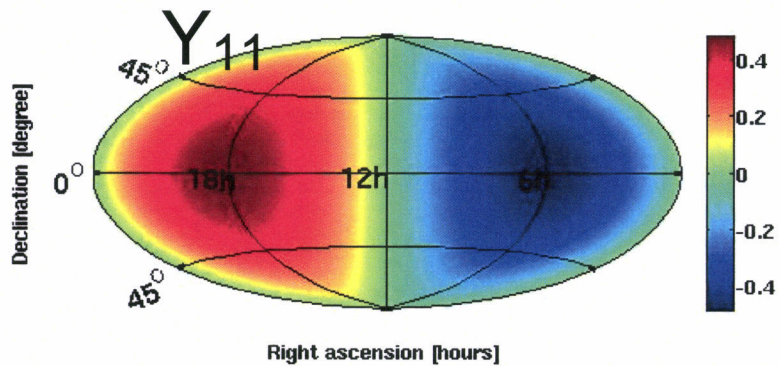
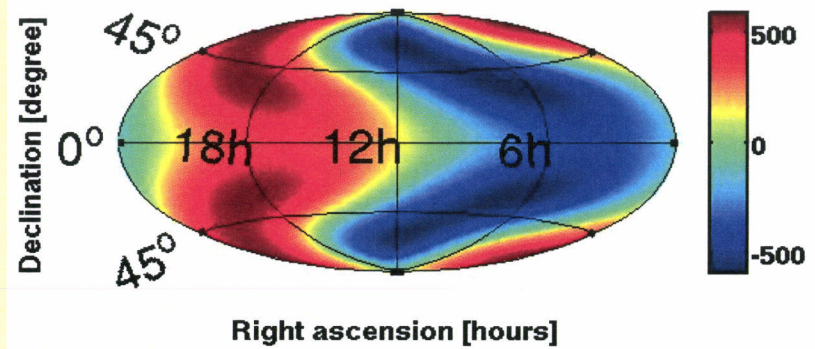
Degeneracies in the antenna response



Actual background
(clean map)



Measured signal
(before deconvolution)

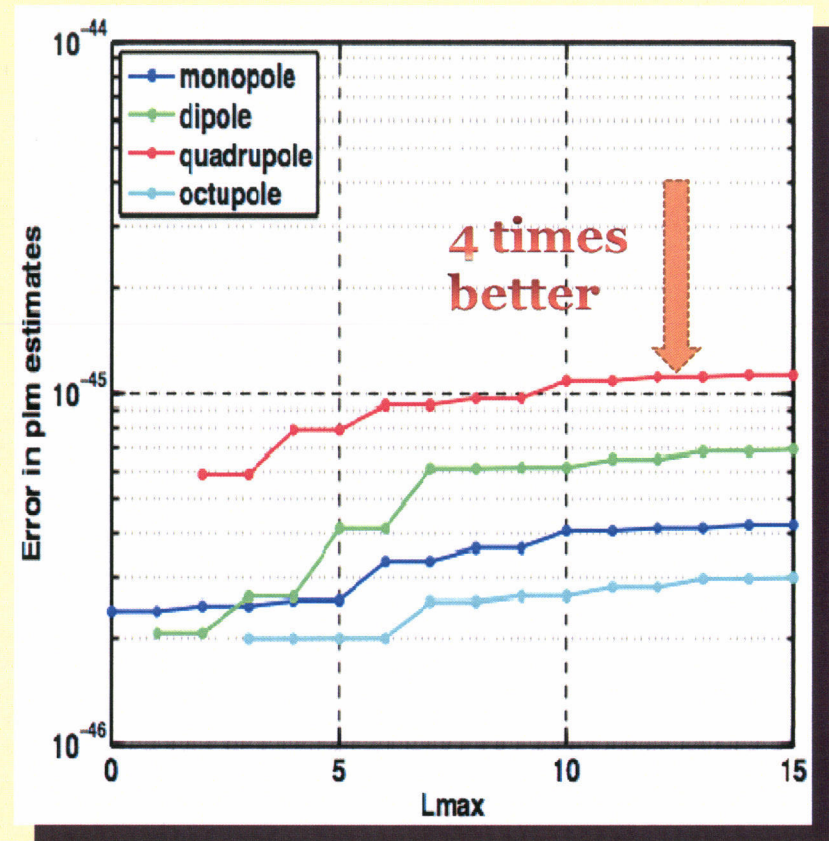
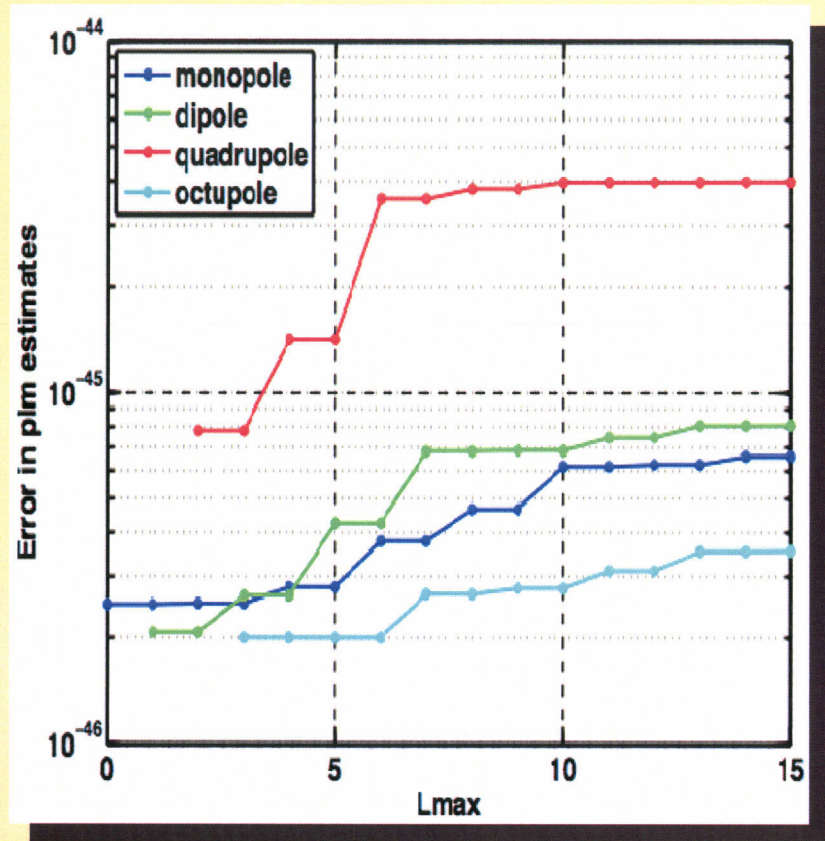


Errors vs L_{\max}



HL

HLV



Remaining tasks



- Finish testing pipeline via software injections
- Write post-processing routines to handle overlapping segments
- Look for ways to mitigate large errors from higher-order multipoles (e.g., multiple baselines, Bayesian priors, ...)
- Start running on S5 data!

Non Gaussian SB

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➤ The number of bursts present at the detector is a Poisson process:

$$P_\lambda(n) = \frac{1}{n!} \lambda^n e^{-\lambda}$$

➤ Probability distribution of the GW strain amplitude:

$$p_h(h) = P_\lambda(0)\delta(h) + \sum_{n=1}^{\infty} P_\lambda(n) [p_{burst}(h)]^{*n}$$

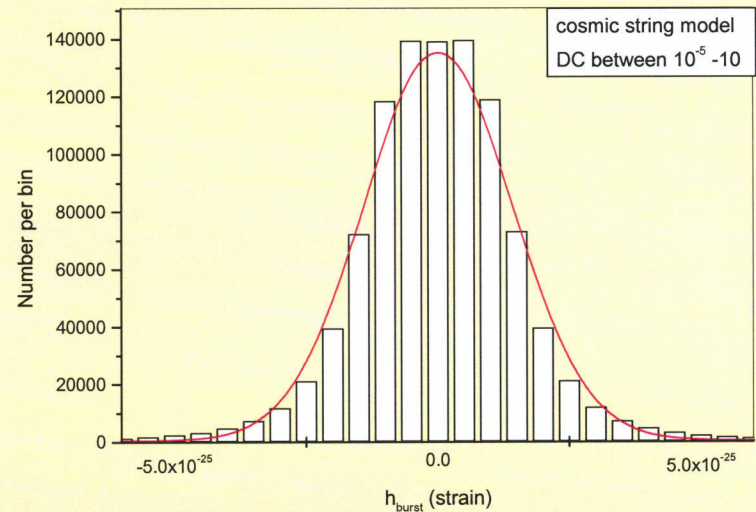
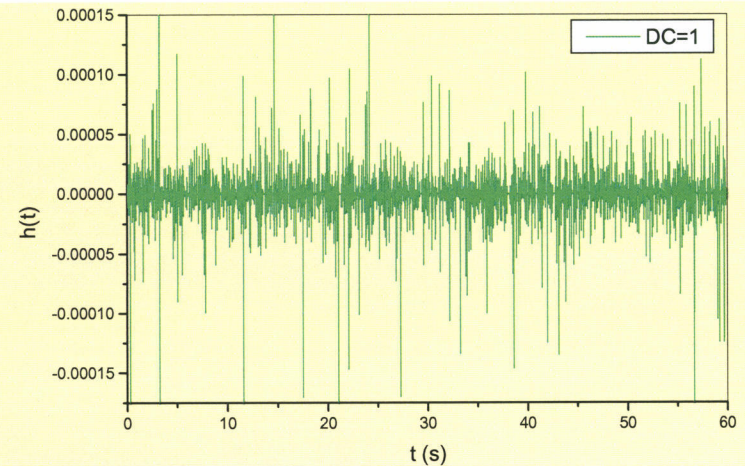
where $h = h_1 + h_2 + \dots + h_n$

$$[N(h; 0, \sigma)]^{*n} = N(h; 0, n\sigma)$$

➤ Models

$$p_{burst}^{strings}(h) = N(h; 0, \sigma_a)$$

$$p_{burst}^{astro}(h) = N(h; 0, \sigma_a) + \underbrace{N(h; 0, \sigma_b)}_{\text{large tails}}$$



Non Gaussian SB

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➤ Detection statistic (p_{burst} = gaussian):

$$\log \Lambda = \max_{\lambda, \sigma_1, \sigma_2, \sigma} \left\{ \log(\bar{\sigma}_1 \bar{\sigma}_2) - \log(\sigma_1 \sigma_2) - \frac{\bar{\sigma}_1^2}{2\sigma_1^2} - \frac{\bar{\sigma}_2^2}{2\sigma_2^2} + \frac{1}{N} \sum_{k=1}^N \log P_\lambda(0) + \sum_{n=1}^{\infty} I(\lambda, n) \right\}$$

$$I(\lambda, n) = \frac{\sigma_1 \sigma_2 P_\lambda(n)}{\sqrt{\sigma_1^2 \sigma_2^2 + \sigma_n^2 (\sigma_1^2 + \sigma_2^2)}} \exp \left[\frac{(\sigma_1^{-2} s_1^k + \sigma_2^{-2} s_2^k)^2}{2(\sigma_1^{-2} + \sigma_2^{-2} + \sigma_n^{-2})} \right]$$

$$\sigma_n = \sqrt{n} \sigma \quad \bar{\sigma}_i^2 = \langle s_i^k s_i^k \rangle$$

➤ Data Analysis

- pipeline popcorn.c in LALAPPS
- tested on gaussian noise and currently running on the full set of project1b data

```
bash-3.2$ ./popcorn --verbose --gaussian -N 1000000 -g 1 -G 1 -m 0.5 -s 0.8
will analyze 1 segments of length 61 s...
generate gaussian noise with variance sigma1=1.000000 and sigma2=1.000000...
generate gw signal with mu=0.5 and sigma=1 ...
estimate parameters...
mu=0.50 sigma=0.80 mean(var)=0.32 sigma1=1.00 sigma2=1.00
muest=0.489566 sigmaest=0.810045 mean(varmest)=0.32 1240
sigma1est=0.99952 sigma2est=1.00064
```

Conclusions



- **LIGO/VIRGO: see E. Robinson's talk for isotropic search**
 - A separate analysis will start this month, using VIRGO pipeline
- **Bayesian approaches**
 - Work in progress (Emma)
 - Worth to be further explored
- **Multi baseline radiometry: see D. Talukder's talk**