Using Multimessenger Synthesis to Constrain Core-Collapse Supernova Distance and Orientation

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Core-Collapse Supernova (CCSN) Description

- Stars $\geq 8 M_{\odot}$ can fuse elements up to ^{56}Fe
- Leads to a loss of pressure support, leading to core collapse
- Increasing central density halts infall, launches shock



- Oxygen on Earth was deposited via CCSNe
- The stellar rotation profile of stars is generally unknown
- \bullet CCSN are the progenitor mechanism of BH/NS

CCSN Signals

- *Neutrinos:* Release gravitational binding energy of order 10⁵³ ergs
- GWs: Mainly emitted from protoneutron star (PNS): 100Hz 2kHz.



How can we constrain distance, orientation, rotation, and stellar compactness?

Definition

Supernova compactness measures stellar inner density profiles, and is defined roughly as:

$\xi_M \propto M/R$

- 20 2D simulations via FLASH
- Applied physics-informed rotation profiles
- Simulations cover ZAMS masses of 12, 20, 40, and $60 M_{\odot}$
- Central rotation rate $\Omega_0:~0,0.5,1,2,~\text{and}~3~\textit{rad/s}$

GW Amplitude

• Quadrupole formula (slow motion, weak field)



GW Frequency Properties

Two detectable properties:

• *GW bounce signal:* Initial burst from rotating CCSNe. This can be approximated as

$$\Delta h \propto rac{\Omega_0^2}{D} \sin^2 heta$$

Peak GW frequency: Sourced from dominant PNS mode ("ramp-up slope")



Neutrinos Slopes

Gravitational waves are not nearly enough to provide good constraints on progenitor properties. We introduce neutrinos and characterize its relations w.r.t other parameters.



Example: $12M_{\odot}, \Omega_0 = 0$

Neutrinos Cont'd



- Linear rotation relationships: peak luminosity, compactness, and luminosity slope
- SNOwGLoBES: realistic detector neutrino energies and counts

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Conclusion

- We connect GW observables to CCSN physics
- Following past methodology, we obtain the following linear relationships:

$$\xi_{1.75} = 1.42\Delta h + 7.73\dot{f} - 1.30\tag{1}$$



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• Connect compactness to neutrinos

$$\xi_{1.75} = (3.99)N_{tot} \times \frac{(100 \text{kpc})^2}{D^2} + (-2.97)\dot{f} + (0.399)$$
 (2)

• Connect rotation to neutrinos

$$\mathcal{L}_{peak}^{\overline{\nu}_e} = (-14.1)\Omega_0 + (42.6)\xi_{1.75} + 48.7 \tag{3}$$

 $\text{P-values} \leq 1 \times 10^{-3}$

- Relaxing Assumptions: Directionally dependent neutrino luminosities.
- Generalization: What if we run full 3D simulations? Varying EoS?
- *Further relationships:* Correlations between electromagnetic signatures and GWs (e.g., Sedona).

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- CCSNe distance, orientation, compactness, and rotation profiles need to be constrained
- Neutrino and GW signals alone can be synthesized to constrain these four parameters